

# Learning Human Preferences

## From Clicks to Conversations

Suryanarayana Sankagiri

IIT Madras

18th November 2025

# My Academic Journey



Segmentation of  
Hindustani  
concert music

**NCC '16, ISMIR '16**

B.Tech.

2012-2016



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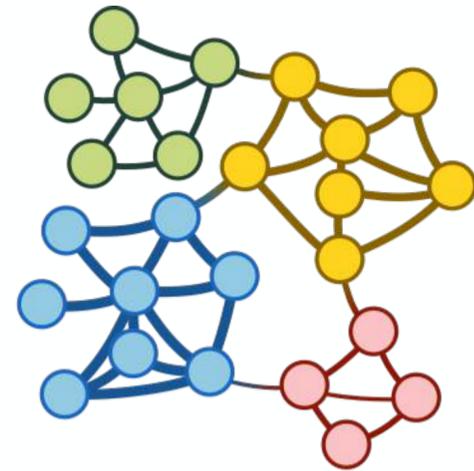


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UNIVERSITY OF  
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Blockchain protocols  
for security and  
efficiency

**FC' 21, INFORMS SS '23, IEEE ToN '25**

Ph.D

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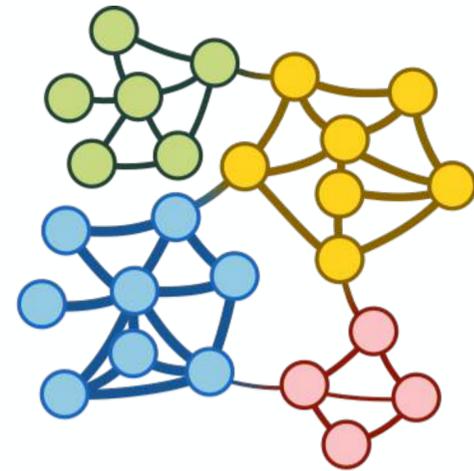


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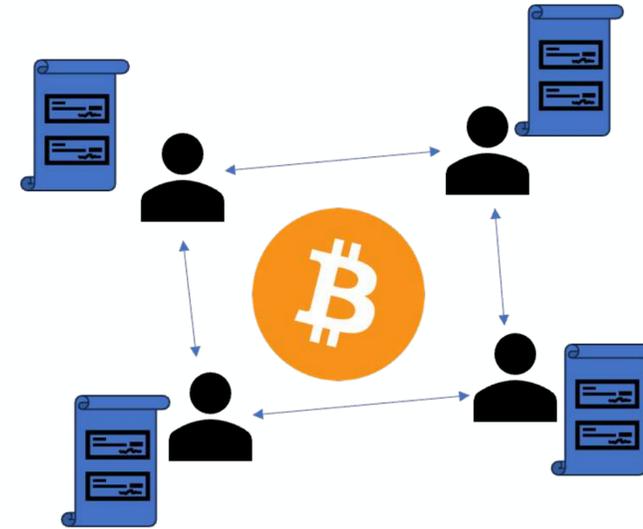
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Recommender  
systems that learn  
from comparisons

ICML '25, UAI '25

Postdoc

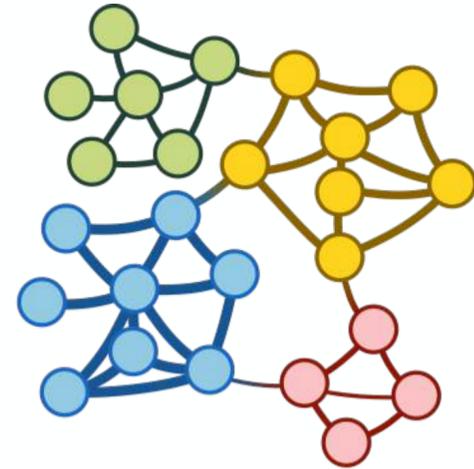
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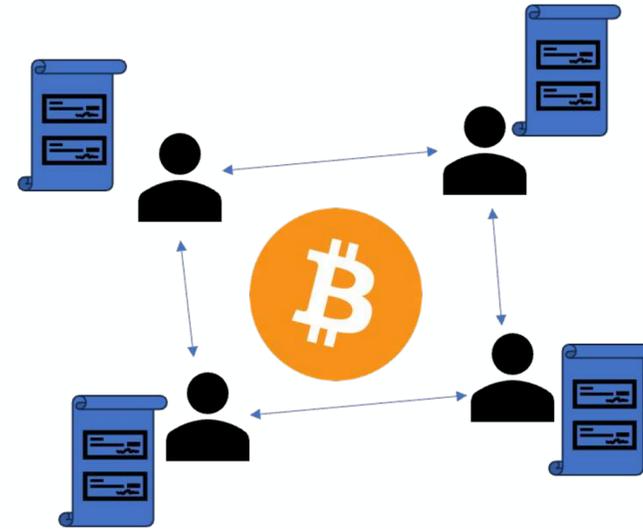
# Theme: Theoretical Systems Researcher



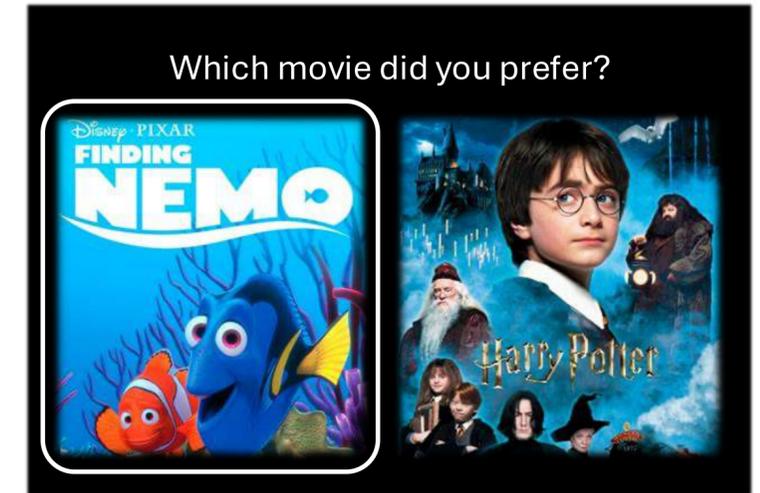
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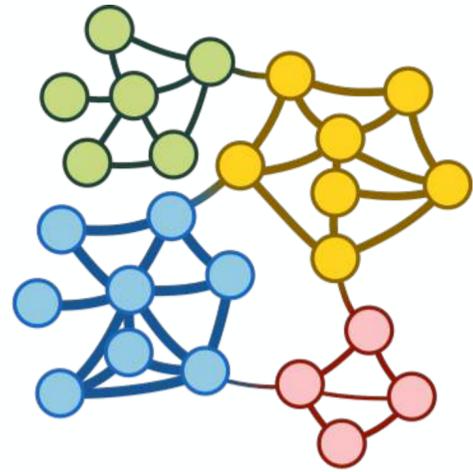


Blockchain protocols for security and efficiency



Recommender systems that learn from comparisons

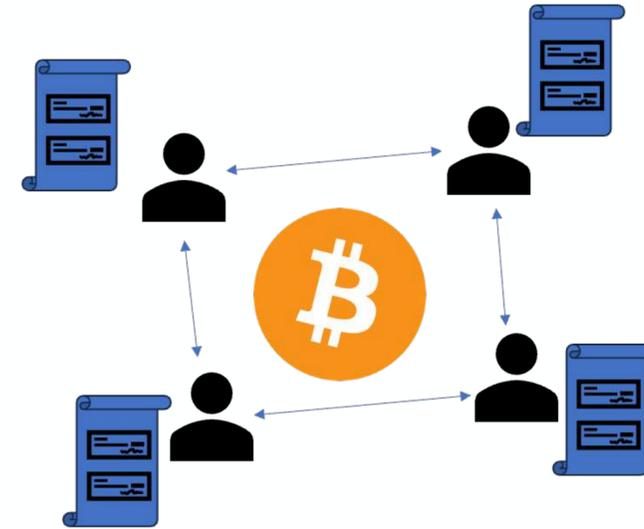
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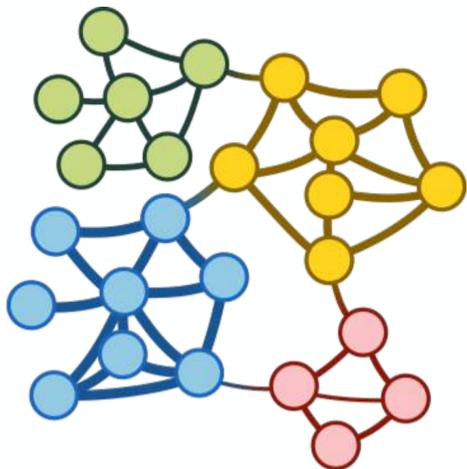
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**Individual utilities influence actions**



Human-in-the-loop systems

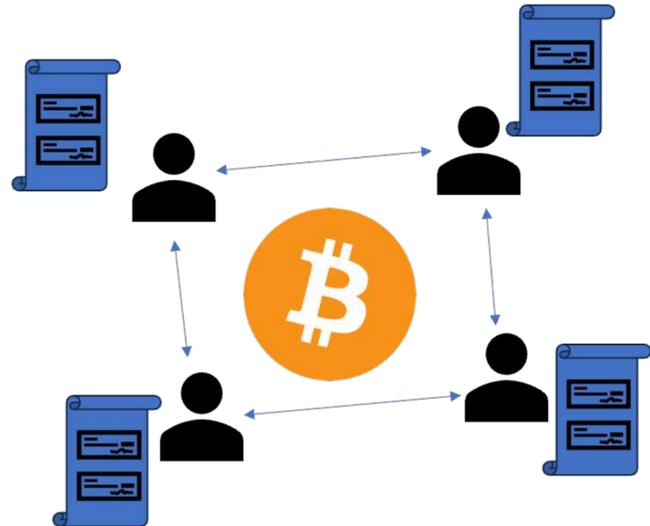
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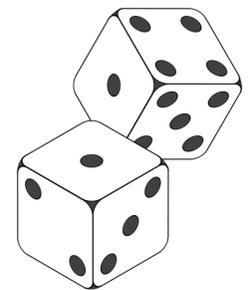
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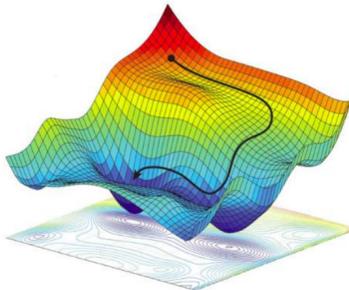
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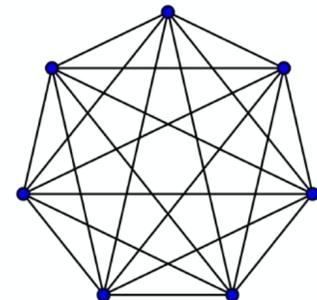
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Probability



Optimisation



Networks

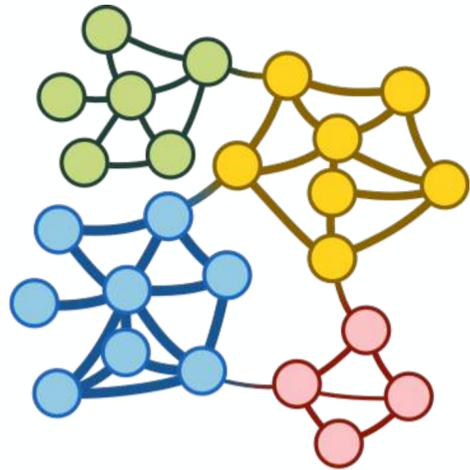
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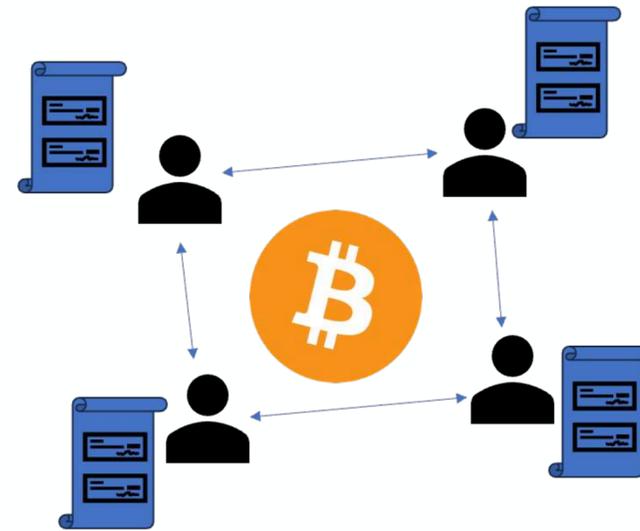
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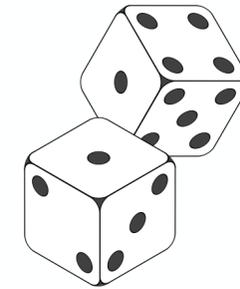
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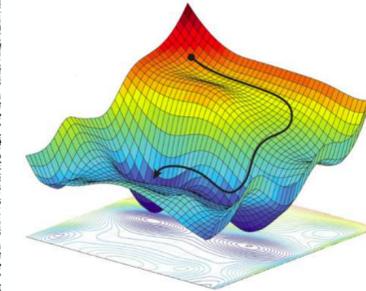
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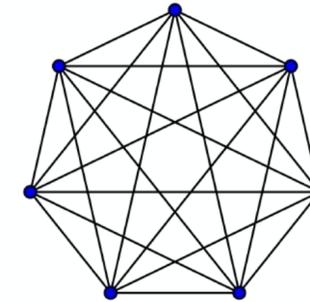
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Probability



Optimisation



Networks

Learning →

Individual utilities influence actions

← Control



Human-in-the-loop systems

Next-gen systems need both learning and control

Modelling

Analysis

Insights

# Towards Recommender Systems That Learn From Comparisons

Goal: recommend good items  $\Rightarrow$  learn user utilities from interactions

Ratings reflect  
user utilities



# Towards Recommender Systems That Learn From Comparisons

Ratings reflect user utilities

Why seek comparisons?



# Towards Recommender Systems That Learn From Comparisons

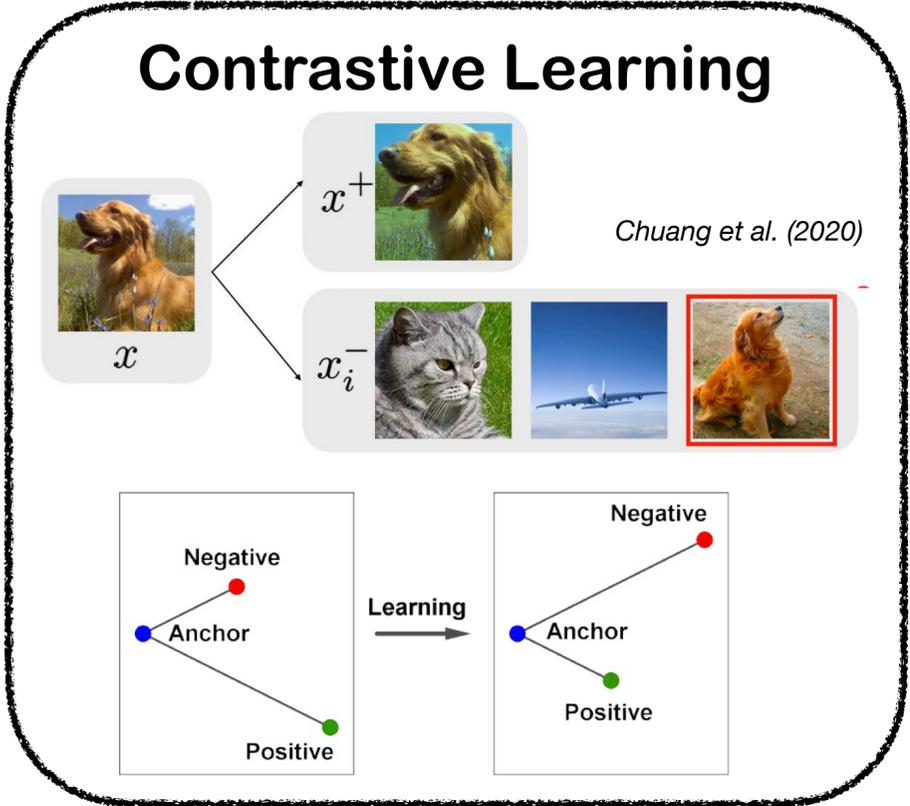
Ratings reflect user utilities

Ratings are lossy due to discretisation

Comparisons convey fine-grained ranking information

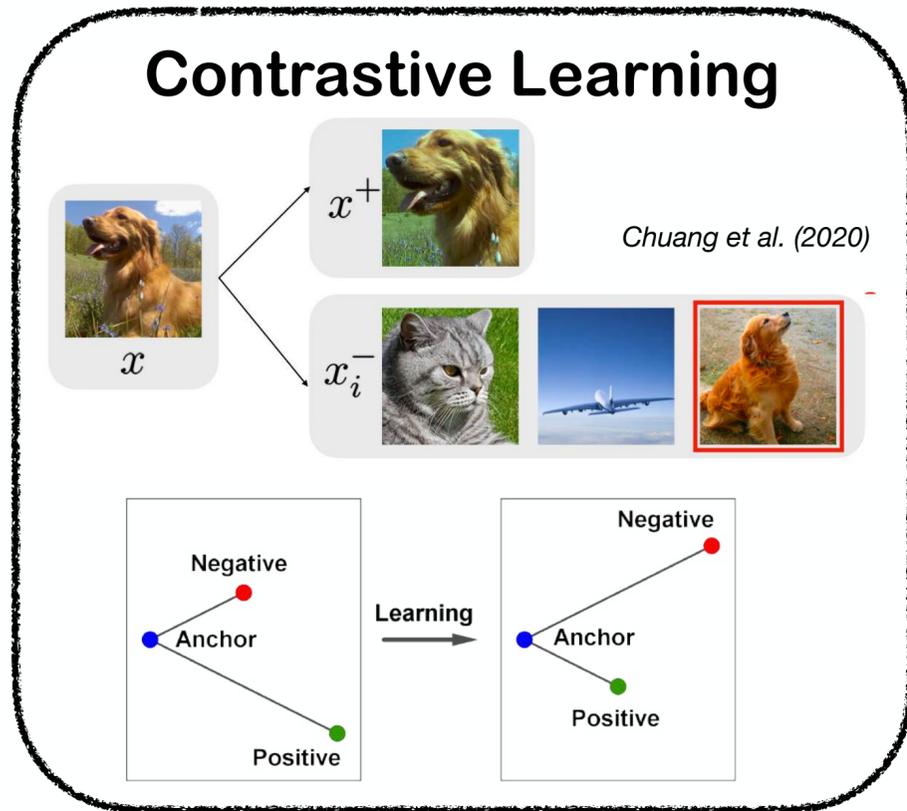


# Learning From Comparisons: Examples

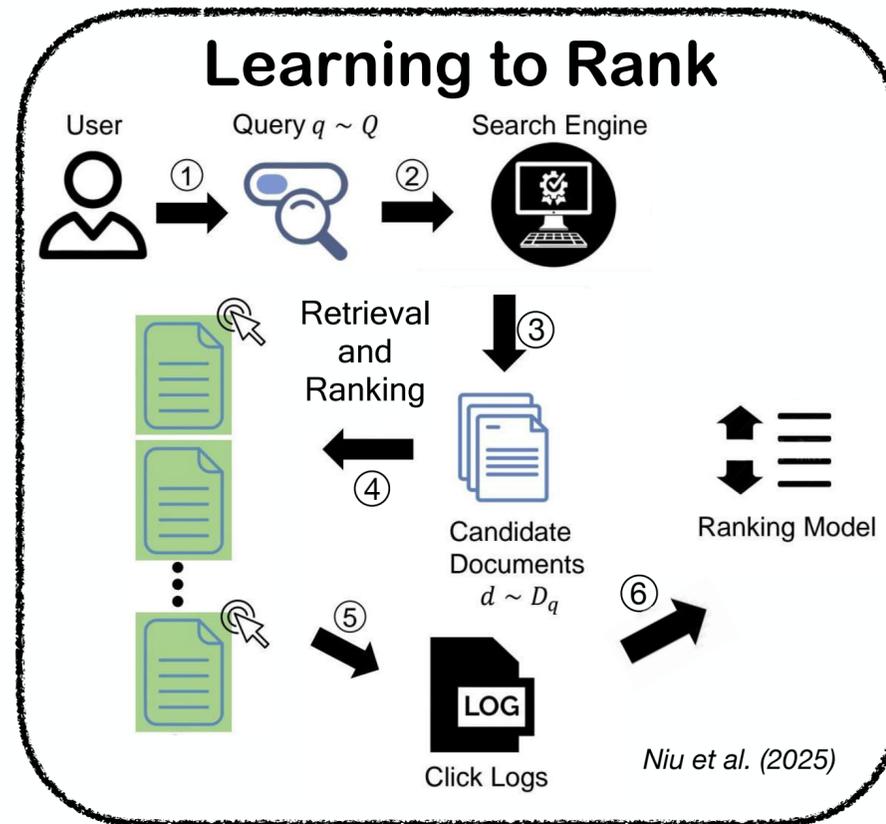


**artificial comparisons**

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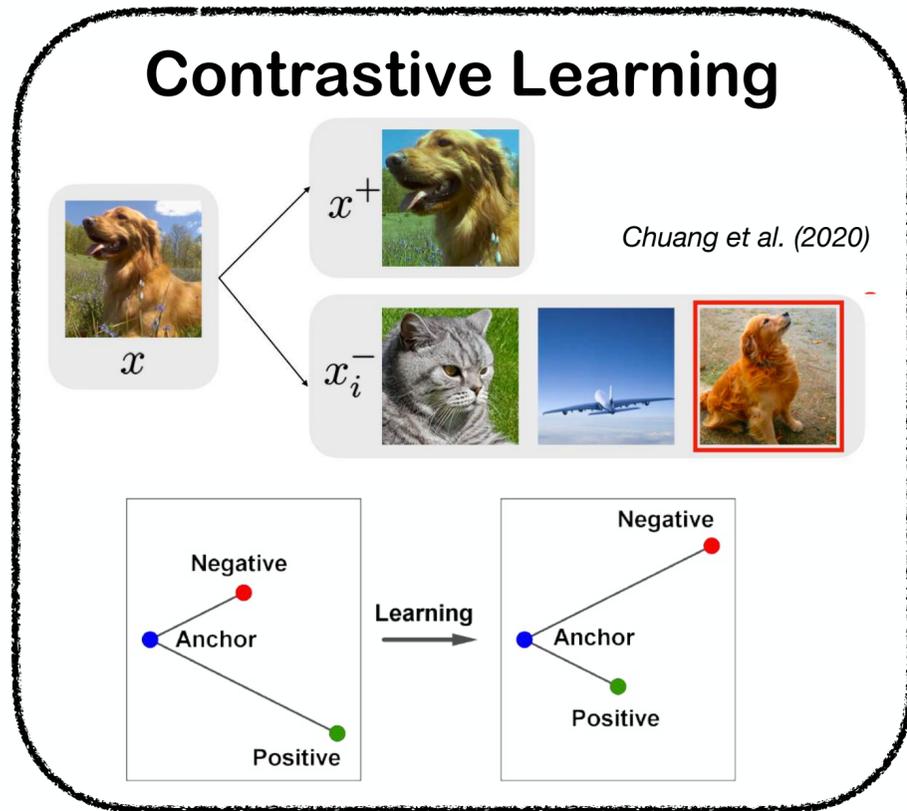


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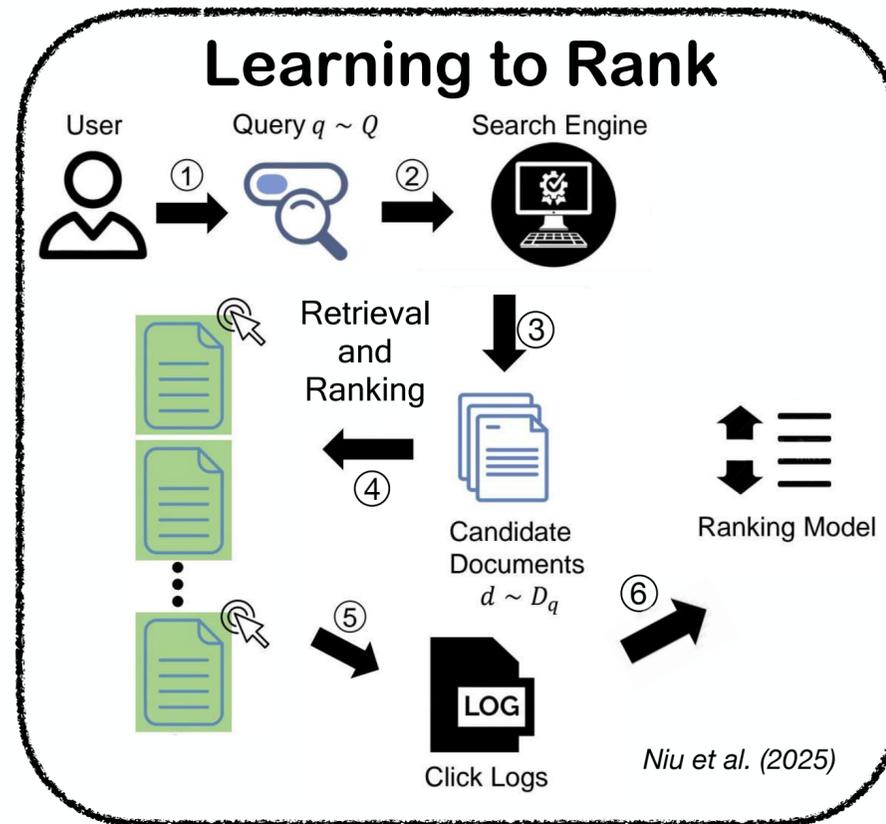


implicit human comparisons

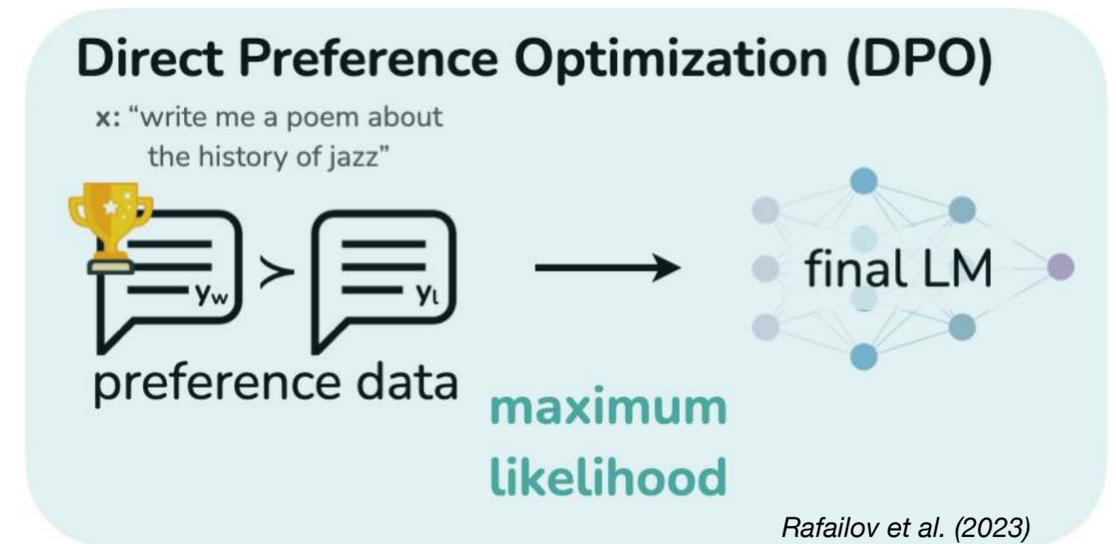
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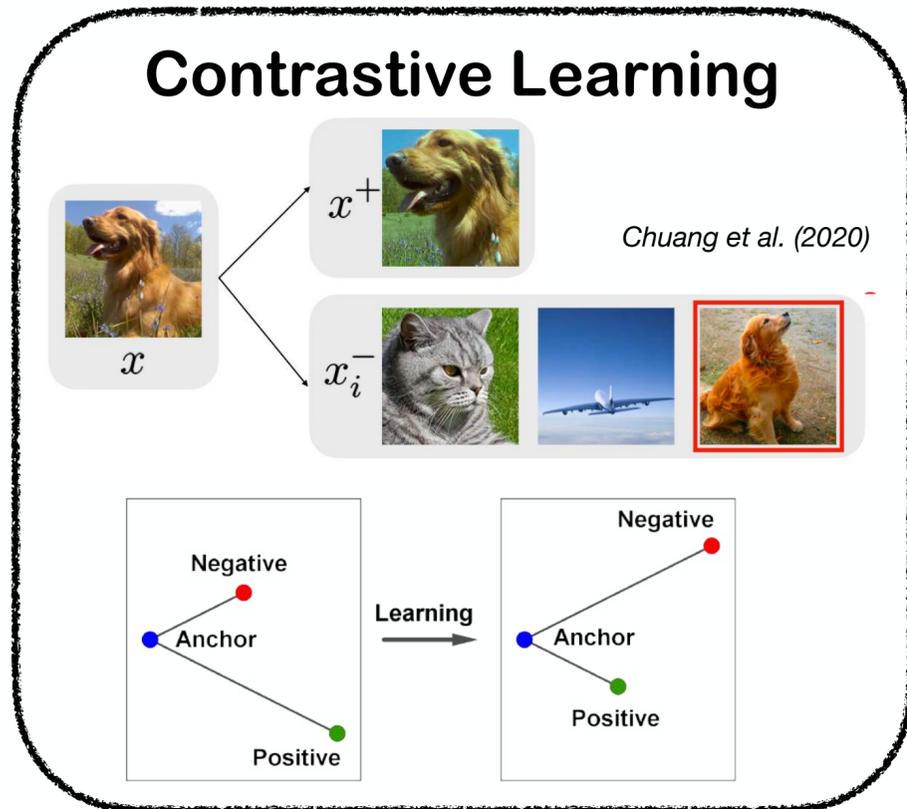


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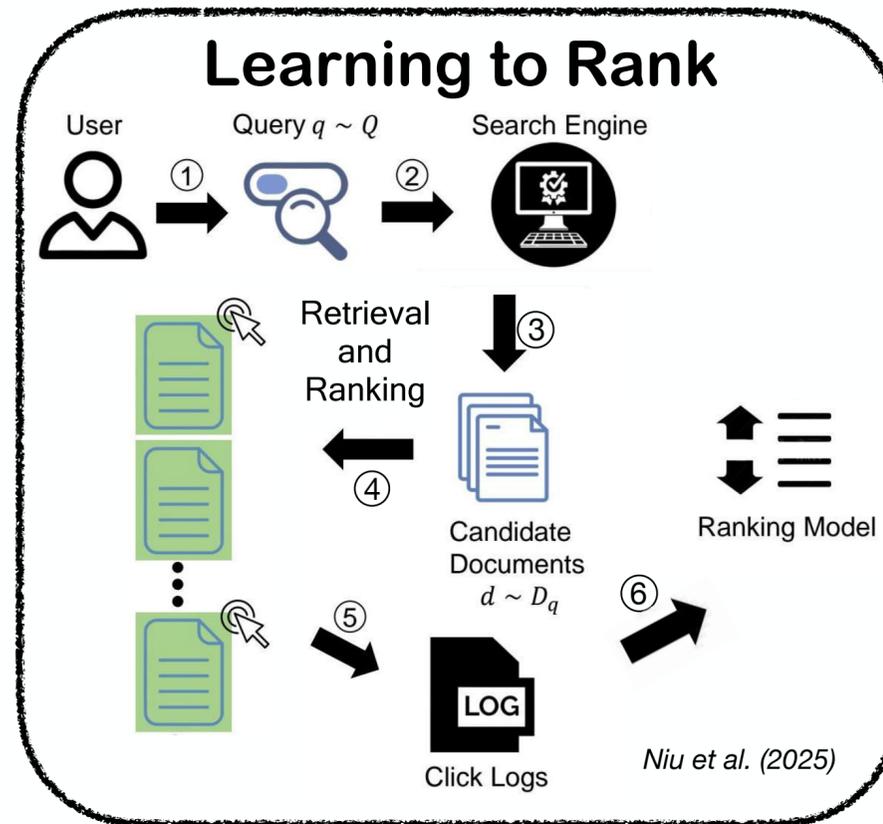


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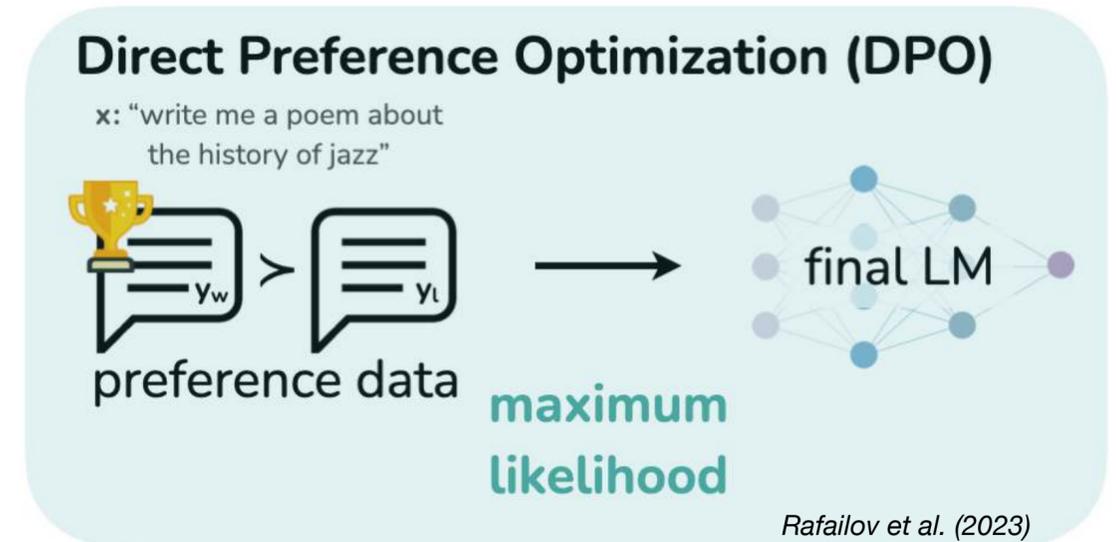
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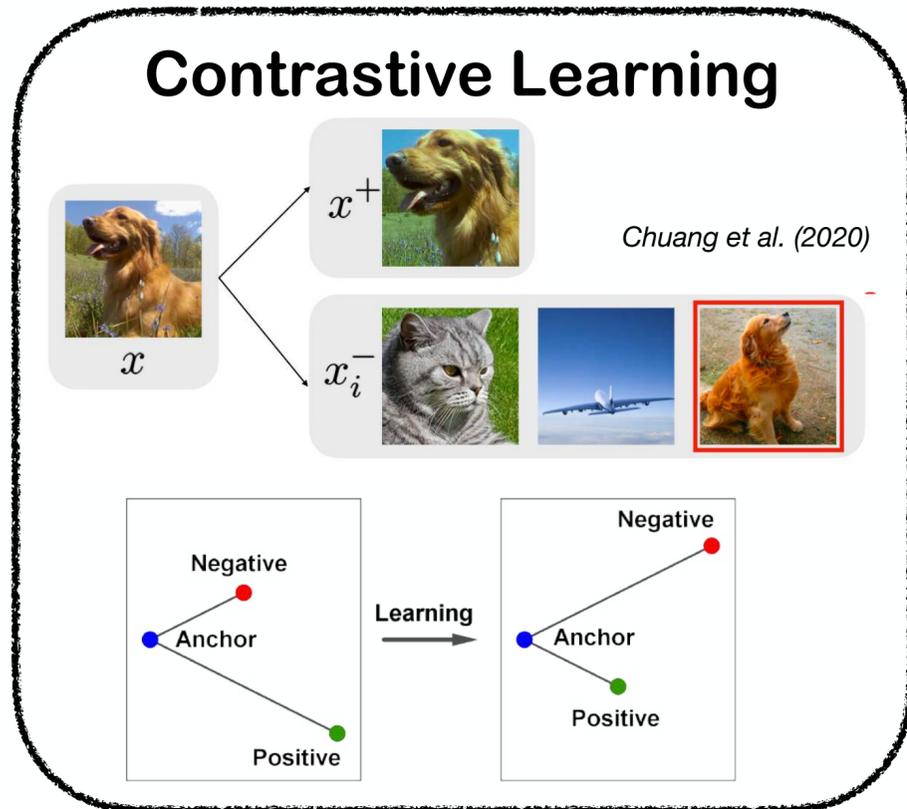
recommender system design

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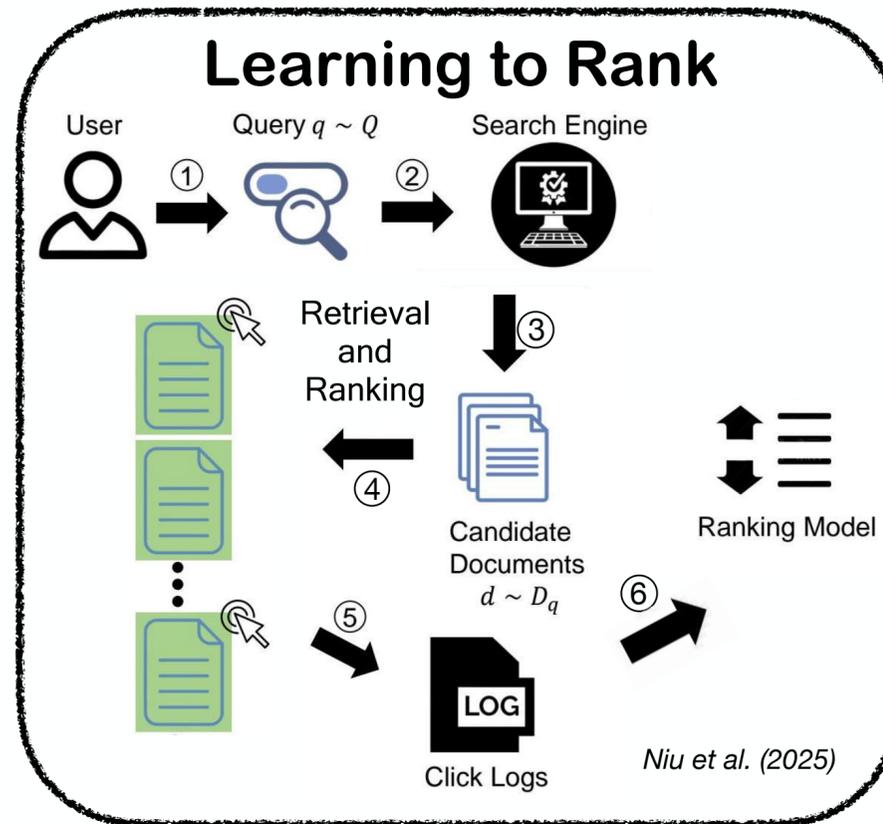
*More expensive, more valuable*



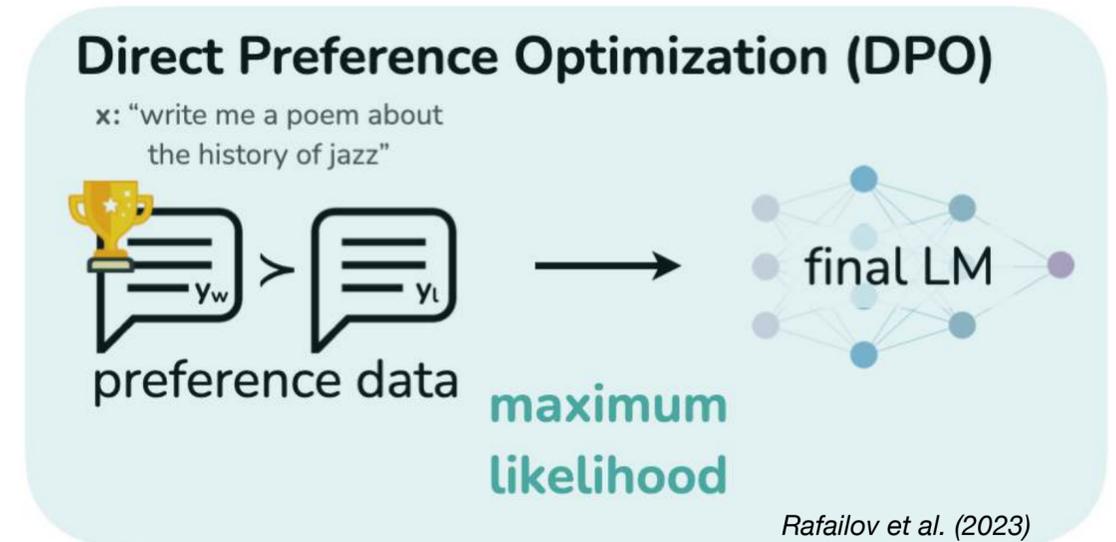
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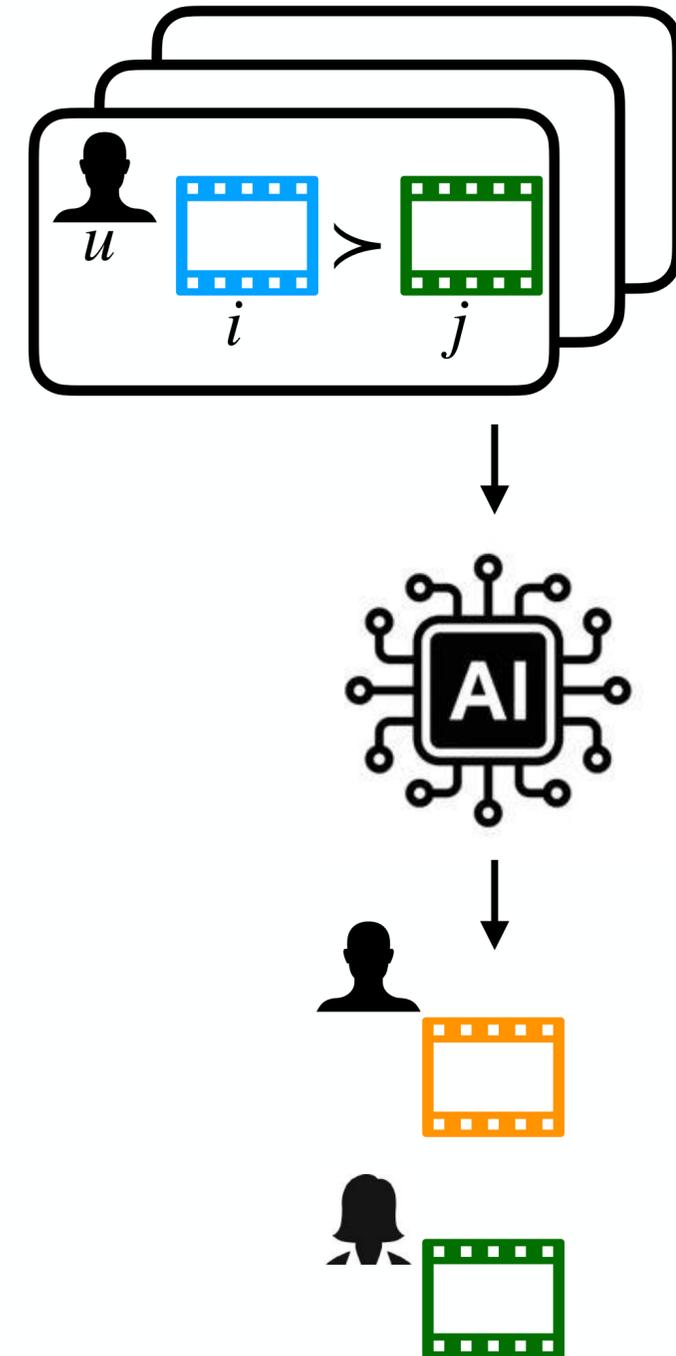
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- ▶ **How much data** is needed to learn personalised utilities from comparisons?
- ▶ **What comparisons** should be sought in order to learn utilities quickly?

# Learning From Comparisons Is Efficient

**Task:** Learn personalised tastes of each user, given offline comparison data

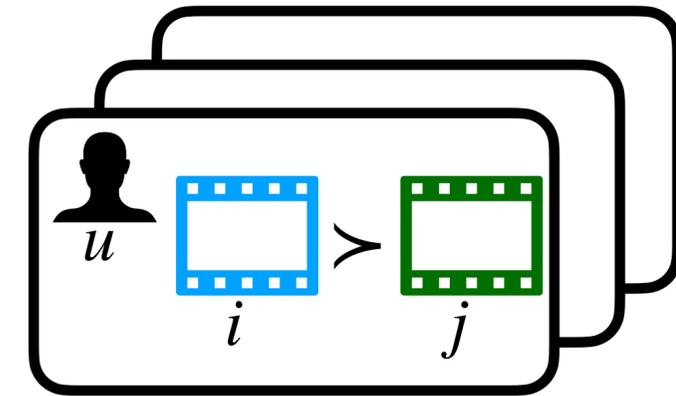
How many comparisons are needed? What algorithm should we use?



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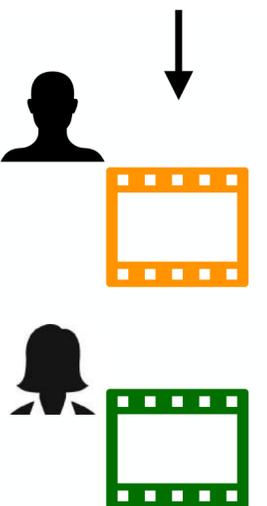
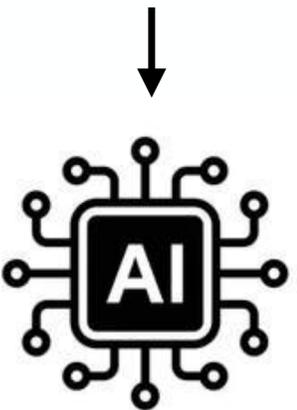
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*Recommendations with Sparse Comparison Data: Nonconvex Matrix Factorisation.*

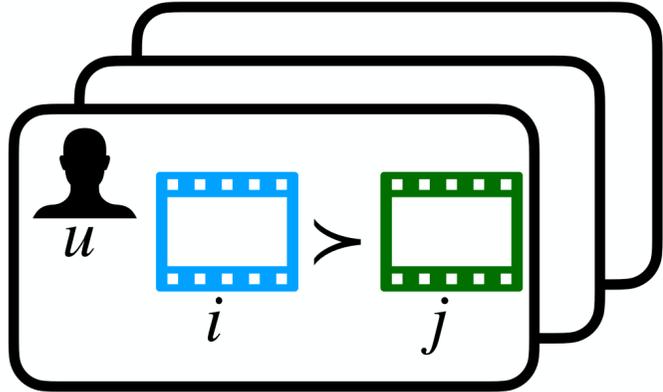
**S. Sankagiri**, J. Etesami, and M. Grossglauser (*ICML 2025*)



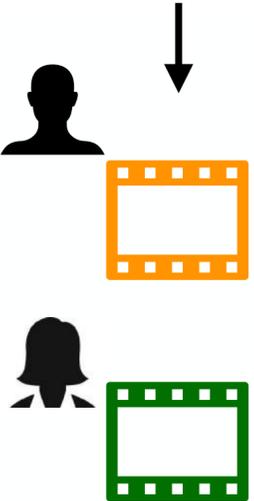
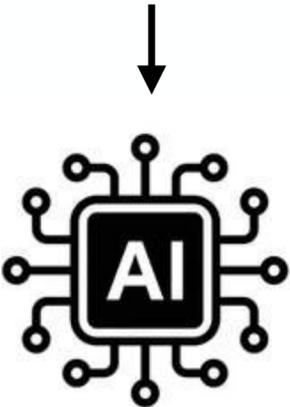
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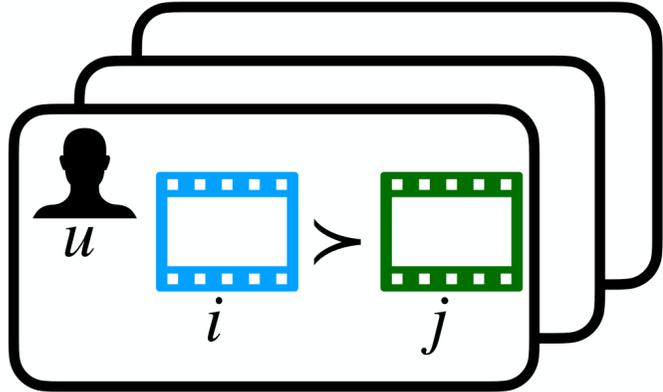
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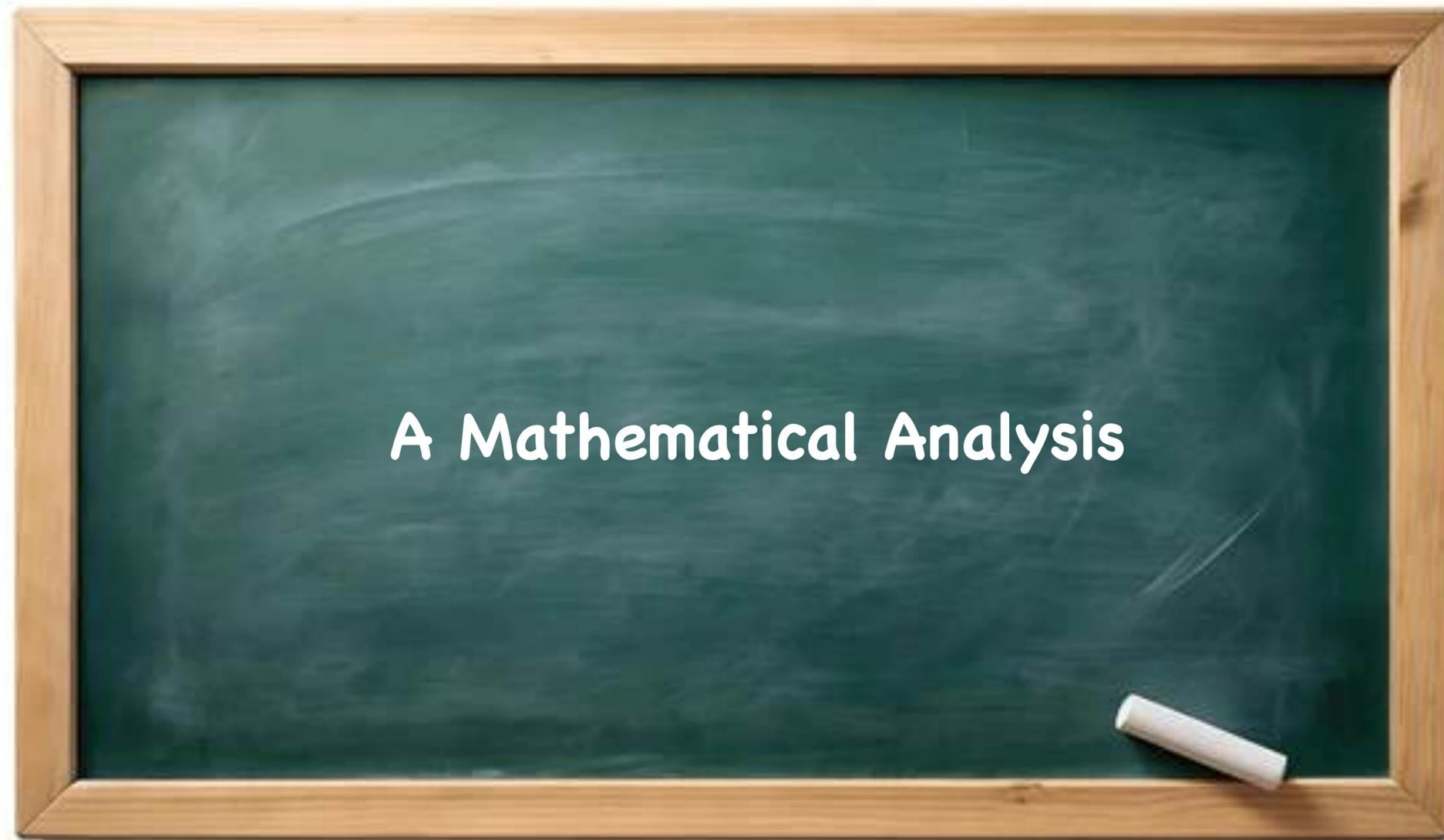


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- ▶ Personalisation possible with only **few comparisons per user**
- ▶ Nonconvex objective can be provably minimised via **gradient descent**

# Reasoning About Human Choice



# Simple Math Captures Human Choice

## Random Utility Model (RUM)

Item  $i$  has latent utility  $x_i$

From choice set  $C$ ,  
user picks

$$i^* = \arg \max_{i \in C} x_i + \varepsilon_i$$

**noisy utility  
maximisation**

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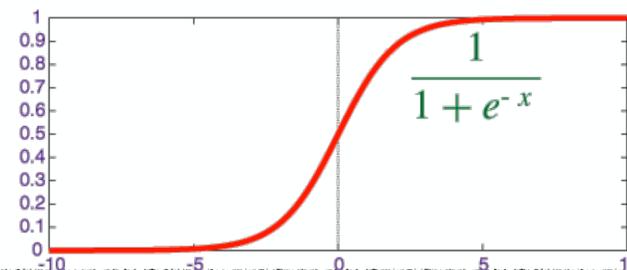
## Bradley-Terry-Luce (BTL) Model

\* RUM:  $\varepsilon \sim$  i.i.d. Gumbel

$$* \mathbb{P}(i | C) = \frac{e^{x_i}}{\sum_{j \in C} e^{x_j}}$$

● softmax over utilities

$$* \mathbb{P}(i > j) = \sigma(x_i - x_j)$$



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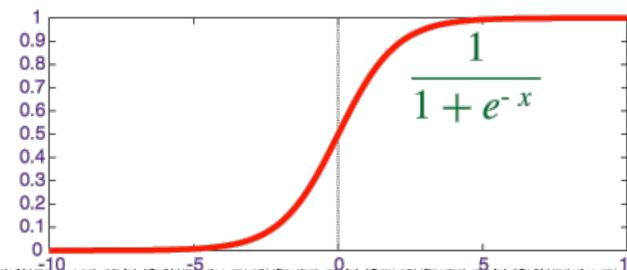
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**Pick out the  
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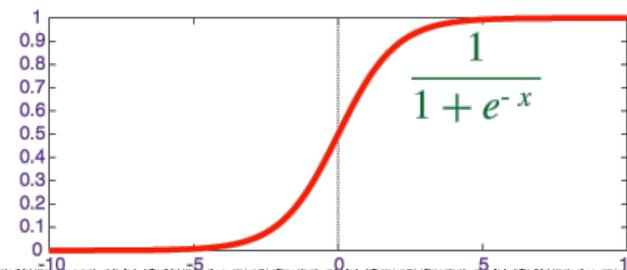
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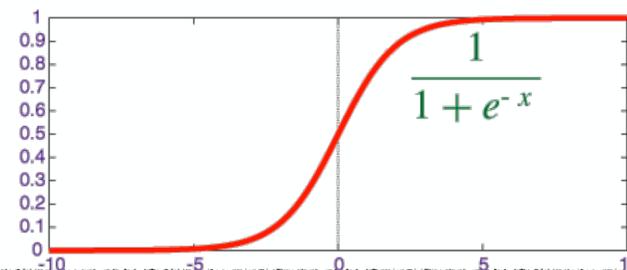
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## Useful Features

- learning from comparison data  $\equiv$  estimating utilities
- strong guarantees
- easily interpretable

not always accurate

a good first-order  
model

# Towards Personalisation

BTL identifies global order

- Recommendation systems need user-dependent rankings  $\Rightarrow$  personalised utilities
- $\mathbb{P}(i \succ j \mid u) = \sigma(x_{u,i} - x_{u,j})$

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## Example from Transportation

- $x_{u,i}$ : user  $u$ 's utility for commute mode  $i$
- $x_{u,i} = \beta^\top y_{u,i} \leftarrow$  measured (time, cost, etc)
- Predicted usage of new metro in SF



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- For recommendations: need to learn utilities from scratch  
 $X = \{x_{u,i} : u \in \{n_1 \text{ users}\}, i \in \{n_2 \text{ items}\}\}$
- Without further assumptions:  $O(n_2 \log n_2)$  comparisons per user
- Each user compares all items! Infeasible

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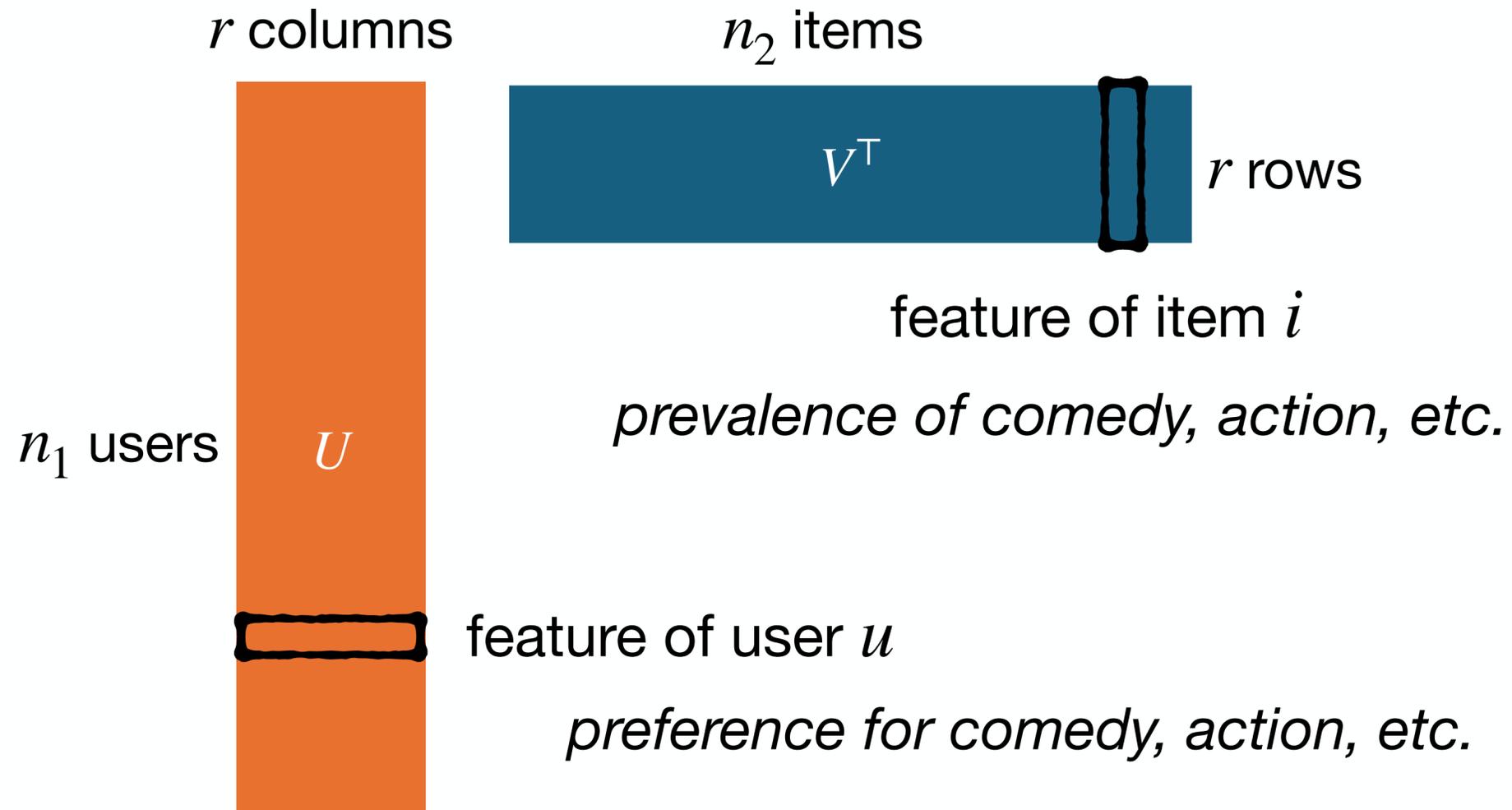


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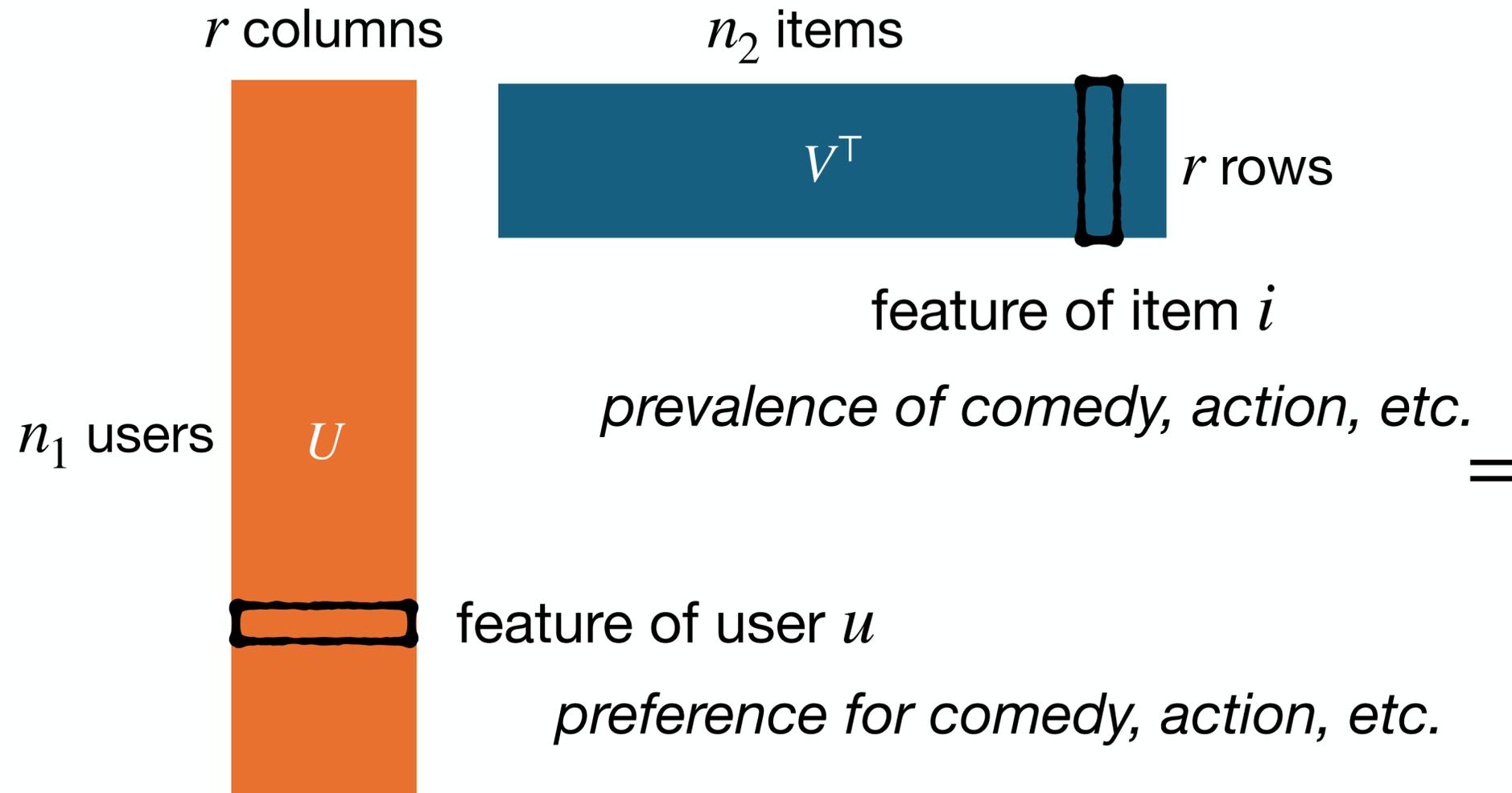
## Additional Structure Needed

- Assume  $x_{u,i} = U_u^\top V_i$
- $U_u, V_i$ :  $r$  dimensional *feature vectors*
- Learning  $X \leftrightarrow$  learning  $(U, V)$

# Interpreting the Parameters



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$X$

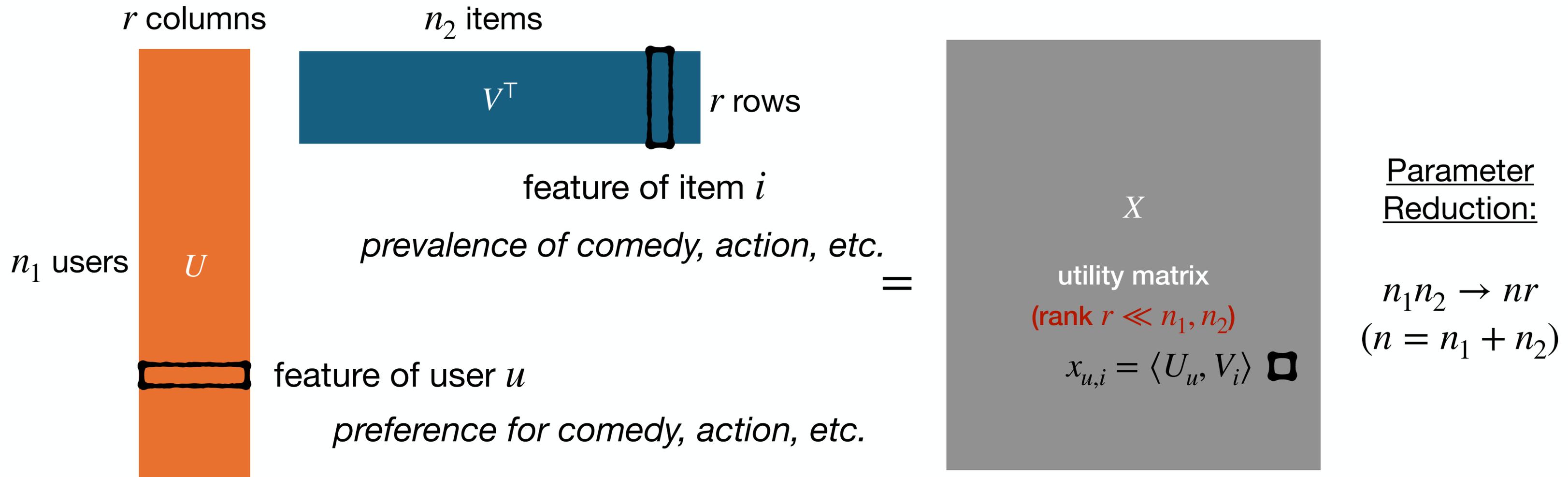
utility matrix  
 (rank  $r \ll n_1, n_2$ )

$x_{u,i} = \langle U_u, V_i \rangle \square$

Parameter Reduction:

$n_1 n_2 \rightarrow nr$   
 $(n = n_1 + n_2)$

# Interpreting the Parameters



Learning personalised utilities  $\leftrightarrow$  learning  $X \leftrightarrow$  learning  $(U, V)$

Goal: estimate  $Z = (U, V)$  from a dataset of pairwise comparisons

# Fundamental Learning Problem

**Dataset:**  $\Omega = \{ \text{user } u; \text{ items } (i, j); \text{ outcome } y = \mathbf{1}\{i \succ j\} \}; |\Omega| = m$

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Ground-truth  $Z^*$  of size  $n \times r$

$(u, i, j)$  chosen uniformly at random

$$\mathbb{P}(i \succ j | u) = (1 + \exp(x_{u,i} - x_{u,j}))^{-1}$$

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**Maximum Likelihood Estimation:**

$$\min_X \sum_{k=1}^m \log \left( 1 + \exp(x_{u_k, i_k} - x_{u_k, j_k}) \right) - y_k \left[ x_{u_k, i_k} - x_{u_k, j_k} \right]$$

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**Key Research Questions:**

**(Statistical)** How many samples  $m$  are required to recover ground-truth  $Z^*$ ?

# Fundamental Learning Problem

**Dataset:**  $\Omega = \{ \text{user } u; \text{ items } (i, j); \text{ outcome } y = \mathbf{1}\{i \succ j\} \}; |\Omega| = m$

Ground-truth  $Z^*$  of size  $n \times r$

$(u, i, j)$  chosen uniformly at random

$$\mathbb{P}(i \succ j | u) = (1 + \exp(x_{u,i} - x_{u,j}))^{-1}$$

**Maximum Likelihood Estimation:**

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**Key Research Questions:**

**(Statistical)** How many samples  $m$  are required to recover ground-truth  $Z^*$ ?

**(Algorithmic)** How do we solve the above **nonconvex optimisation** problem?

# Theoretical Guarantees

**Theorem: (Sankagiri et al,  
ICML 2025)**

Given:  $m = \mathcal{O}(nr^2 \log(n))$

*noiseless* comparison samples.

Algorithm: gradient descent with

*warm start, small step size*

Guarantee: exponential

convergence rate w.h.p:

$$\|\hat{Z}_t - Z^*\| \leq (1 - \alpha)^t \|\hat{Z}_0 - Z^*\|$$

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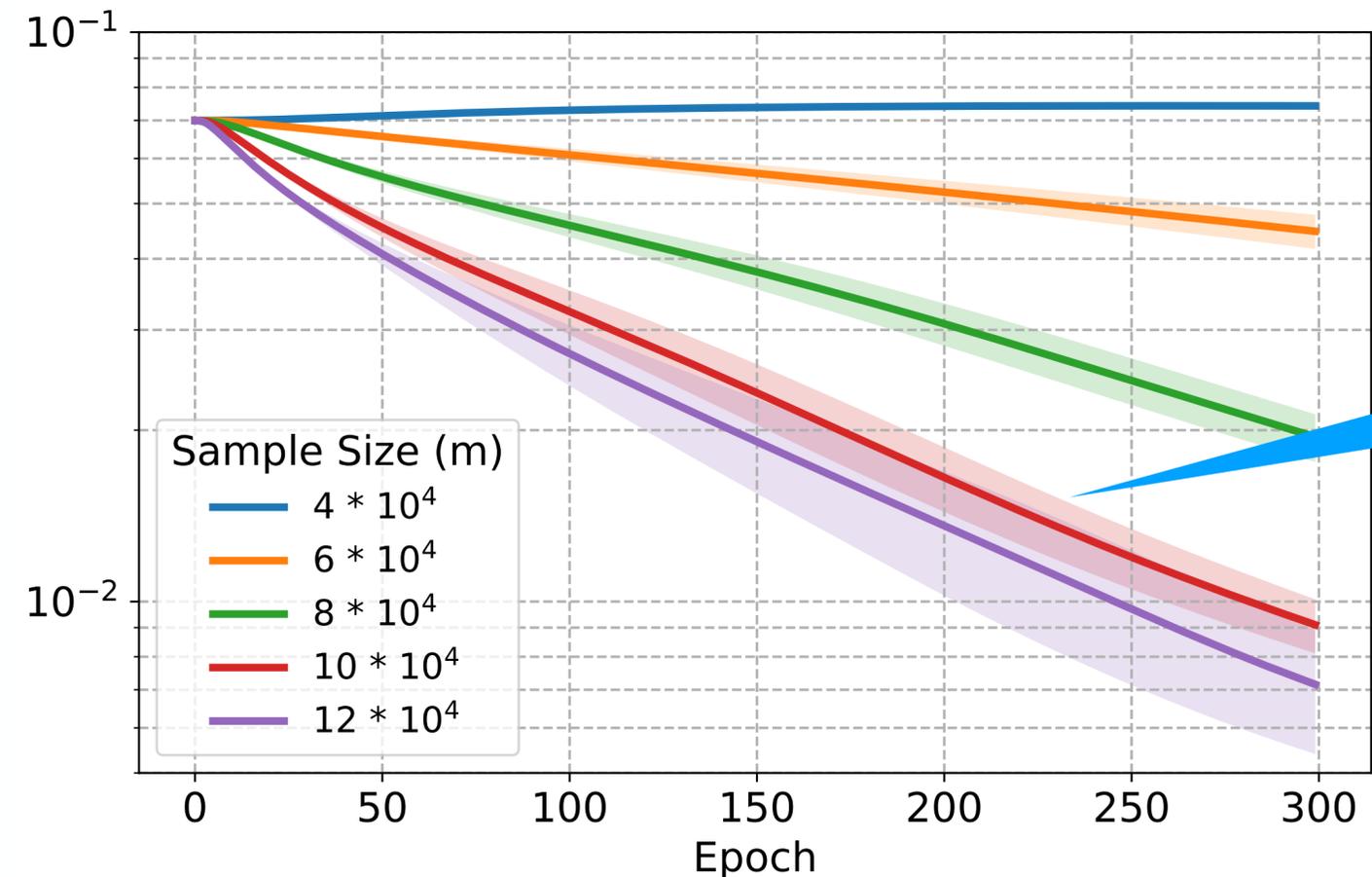
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Learning a utility matrix of rank 3  
2000 users and 3000 items



50  
comparisons  
per user

Error metric (RMSE):  $\frac{\|X_t - X^*\|_F}{\sqrt{n_1 n_2}}$

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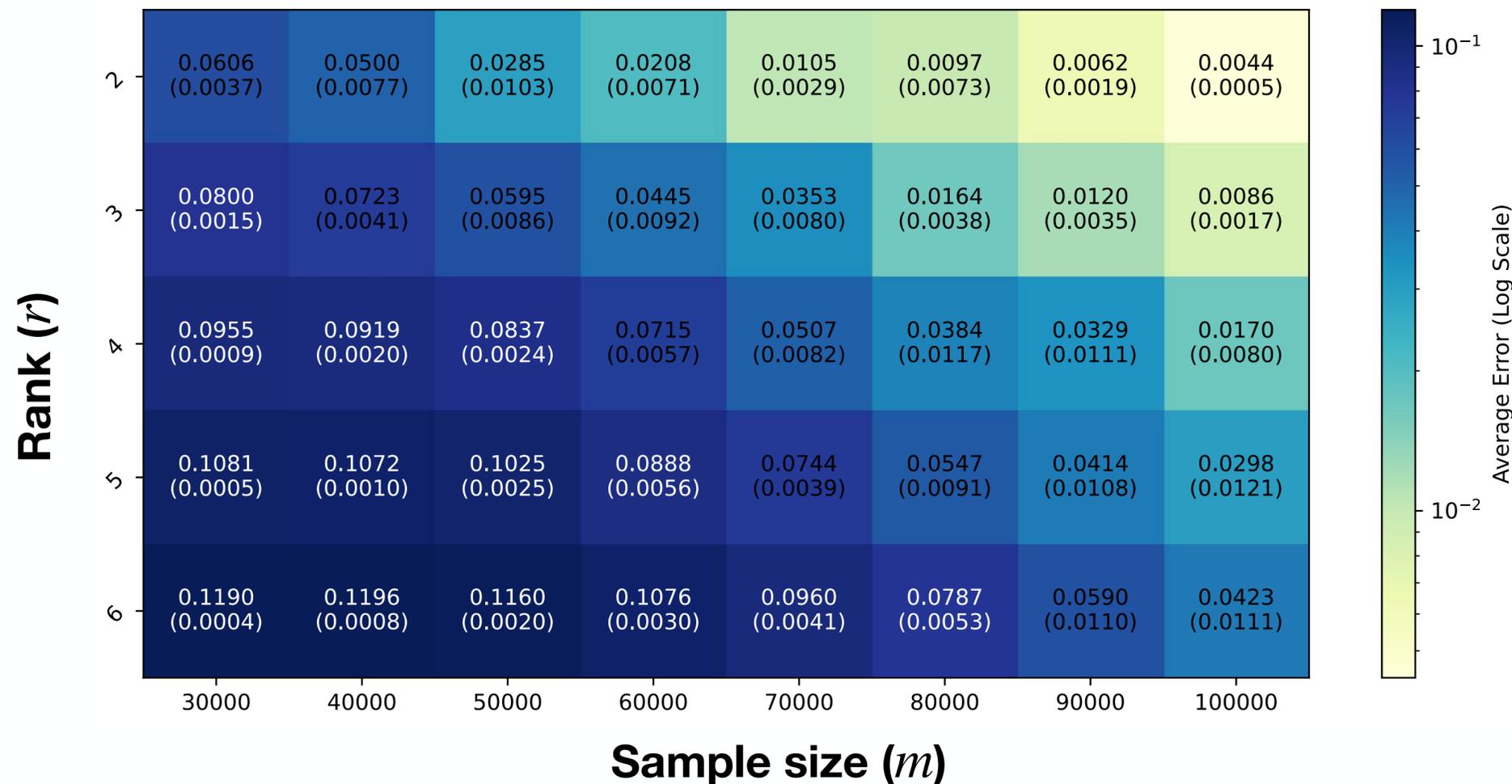
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# Comparison With Prior Work

## Theoretical Guarantees

- Learning from ratings well-studied:

$$y_{u,i} = x_{u,i} + \varepsilon_{u,i}, (u, i) \in \Omega$$

- Our results  $\sim$  SoTA for this problem

**first** such results for comparisons

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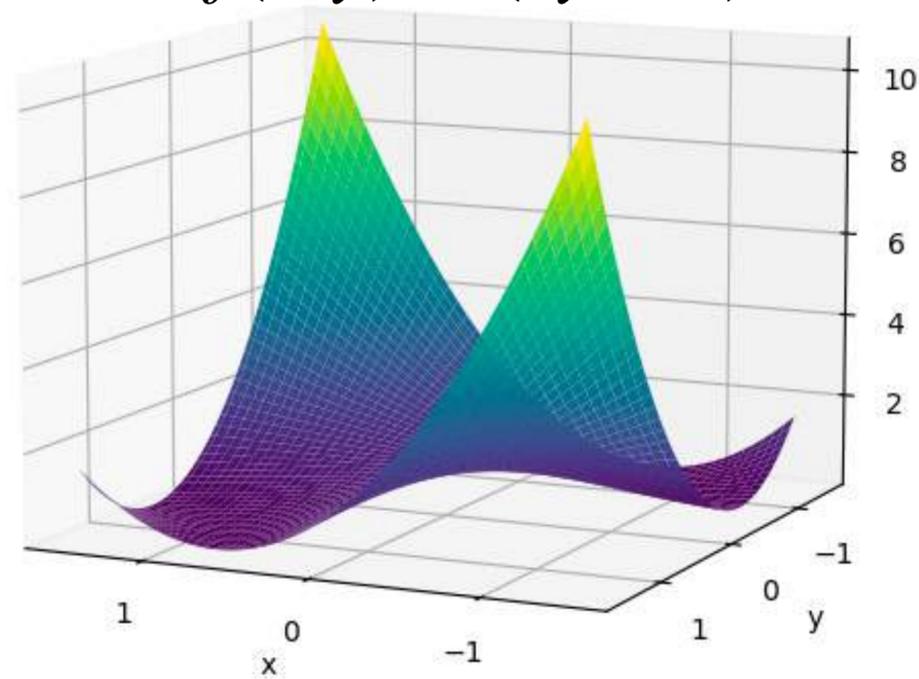
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**Open Question:** ratings or comparisons — what's better?

# Gradient Descent Works Despite Nonconvexity

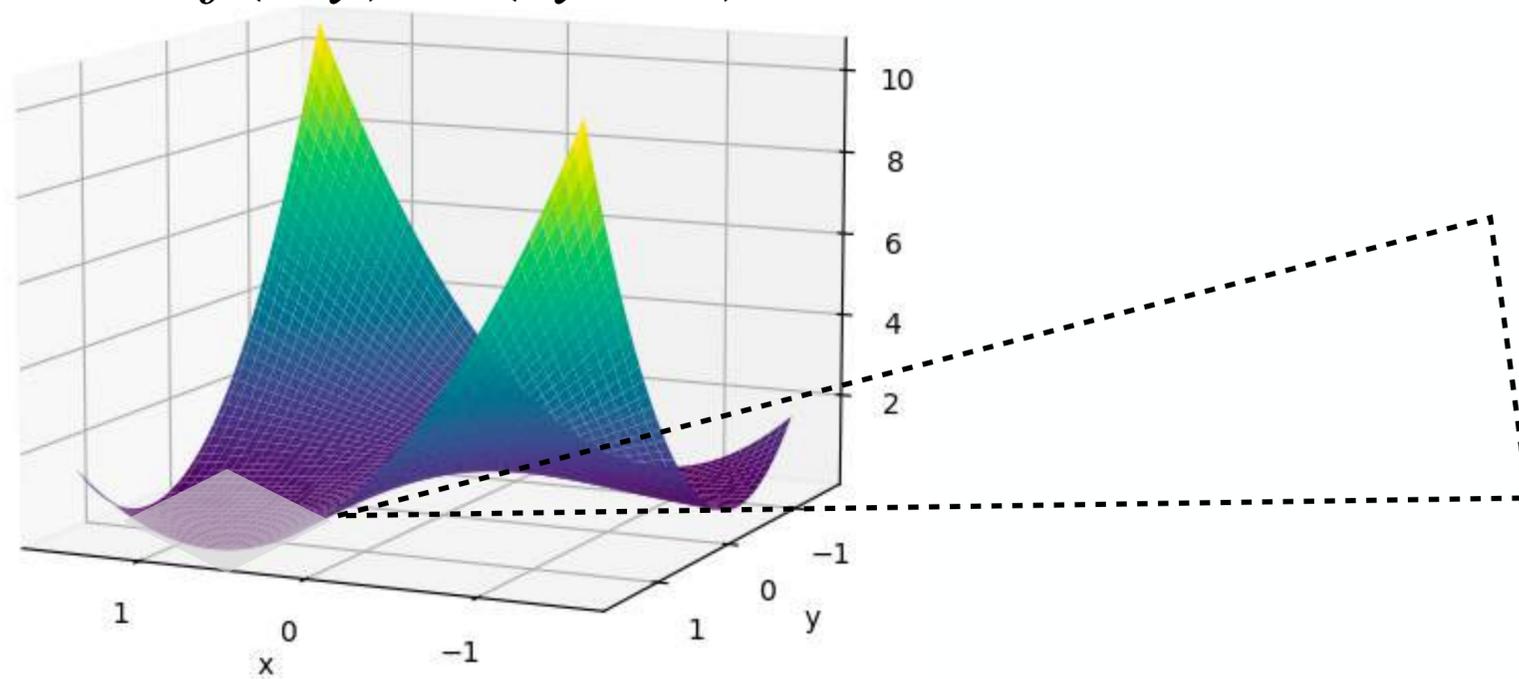
$$f(x, y) = (xy - 1)^2$$



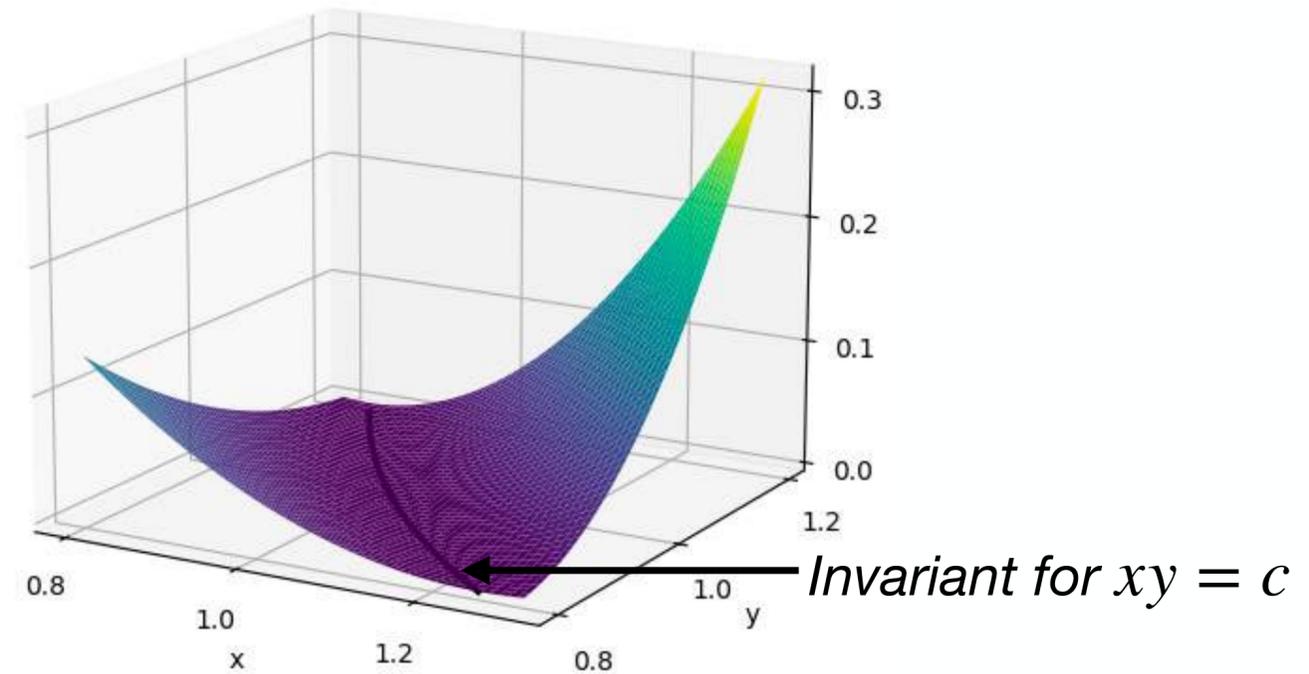
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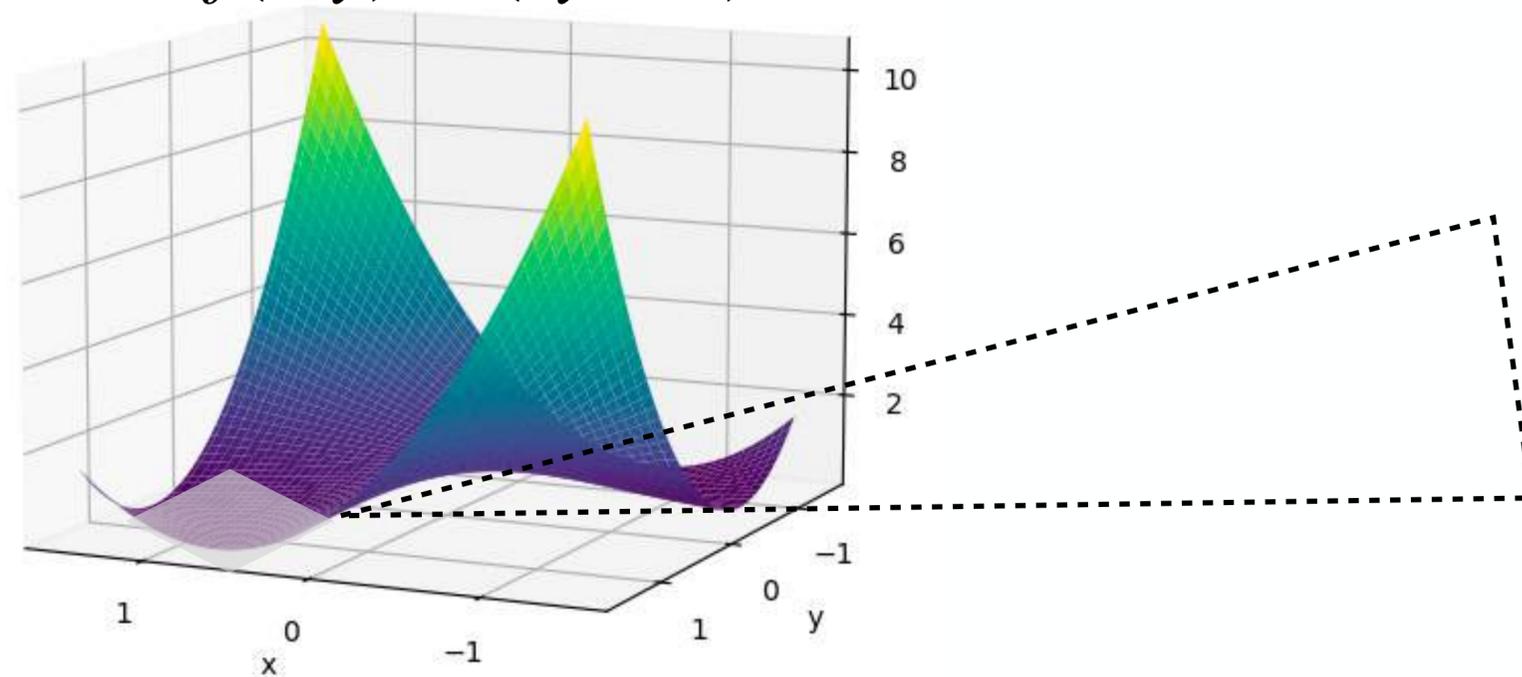
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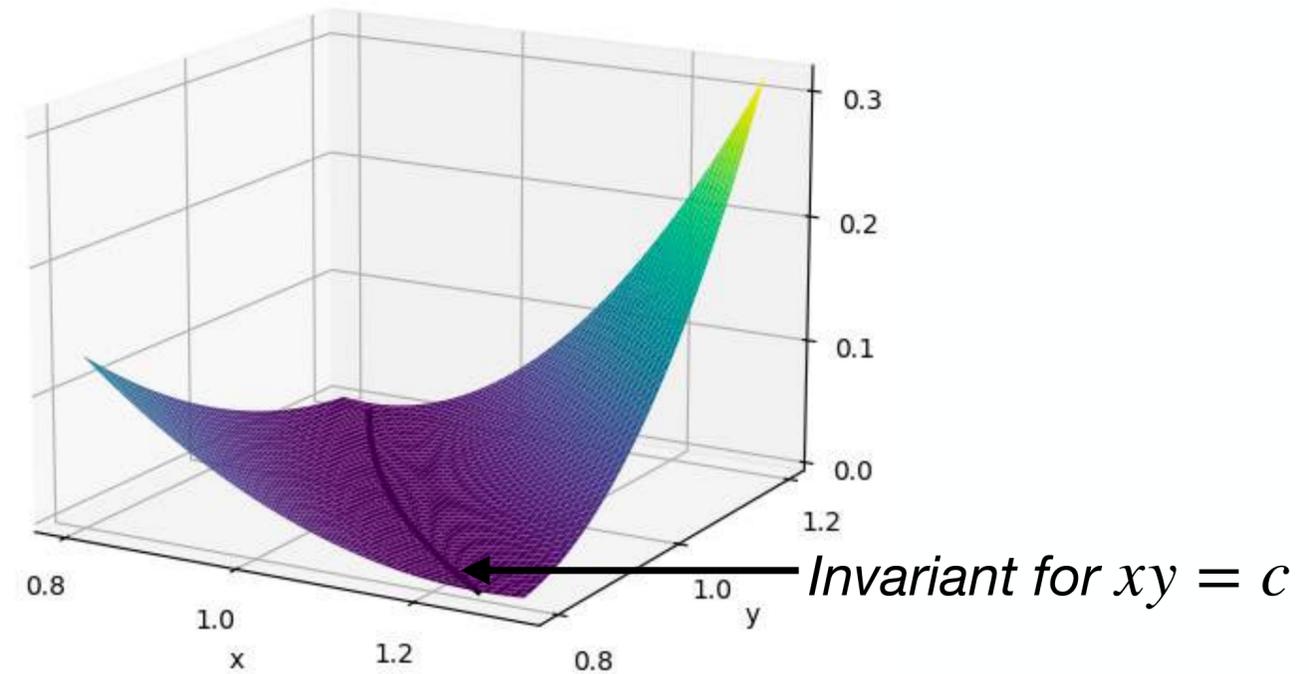
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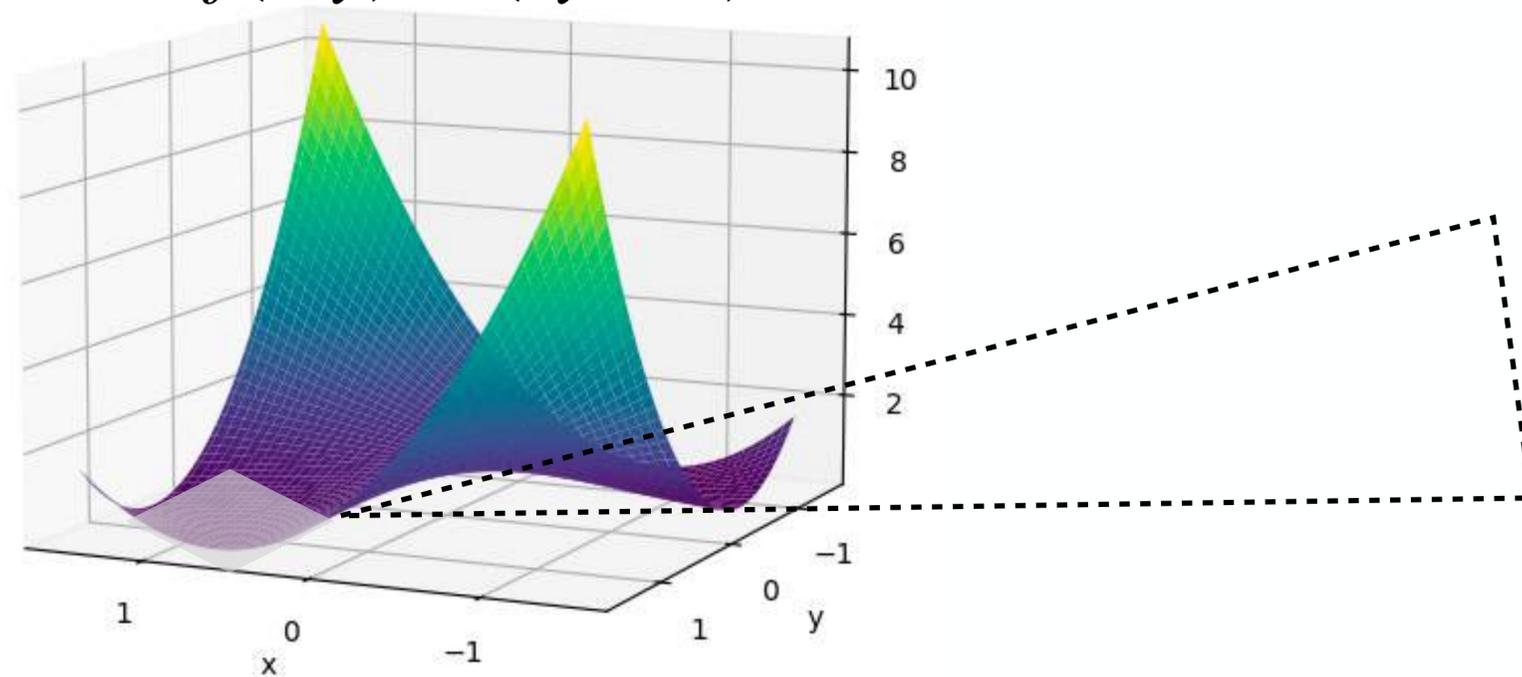


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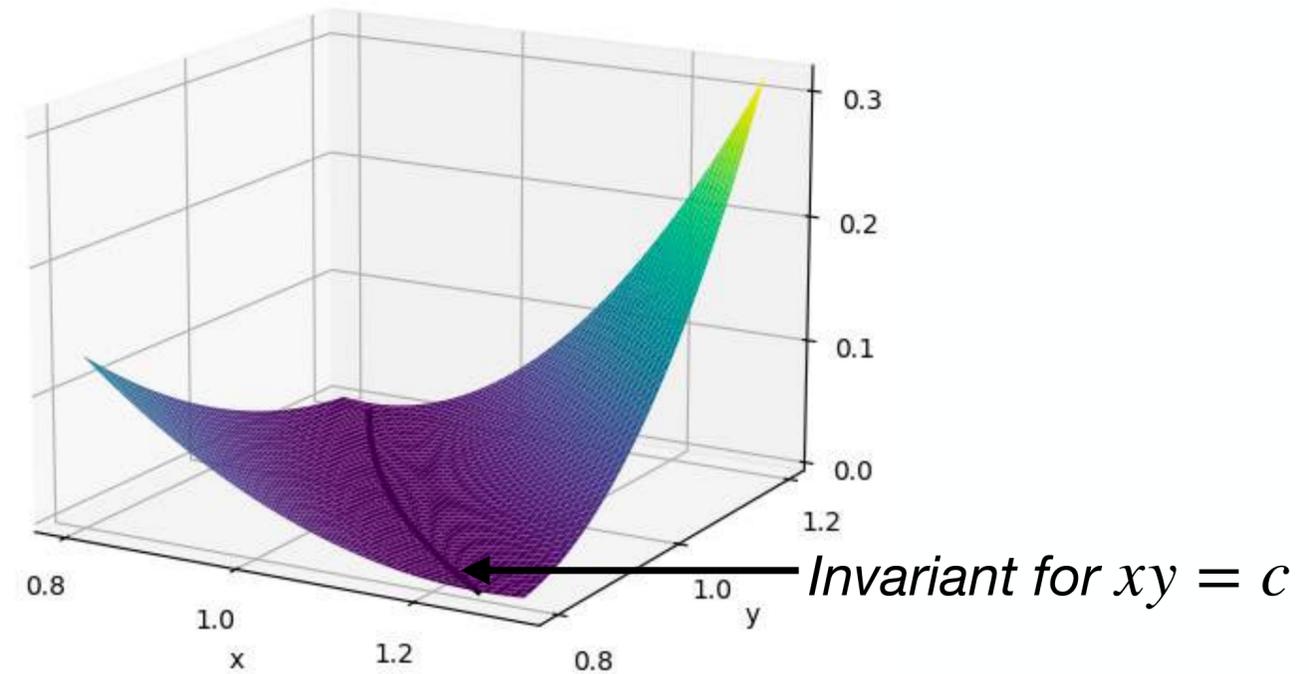
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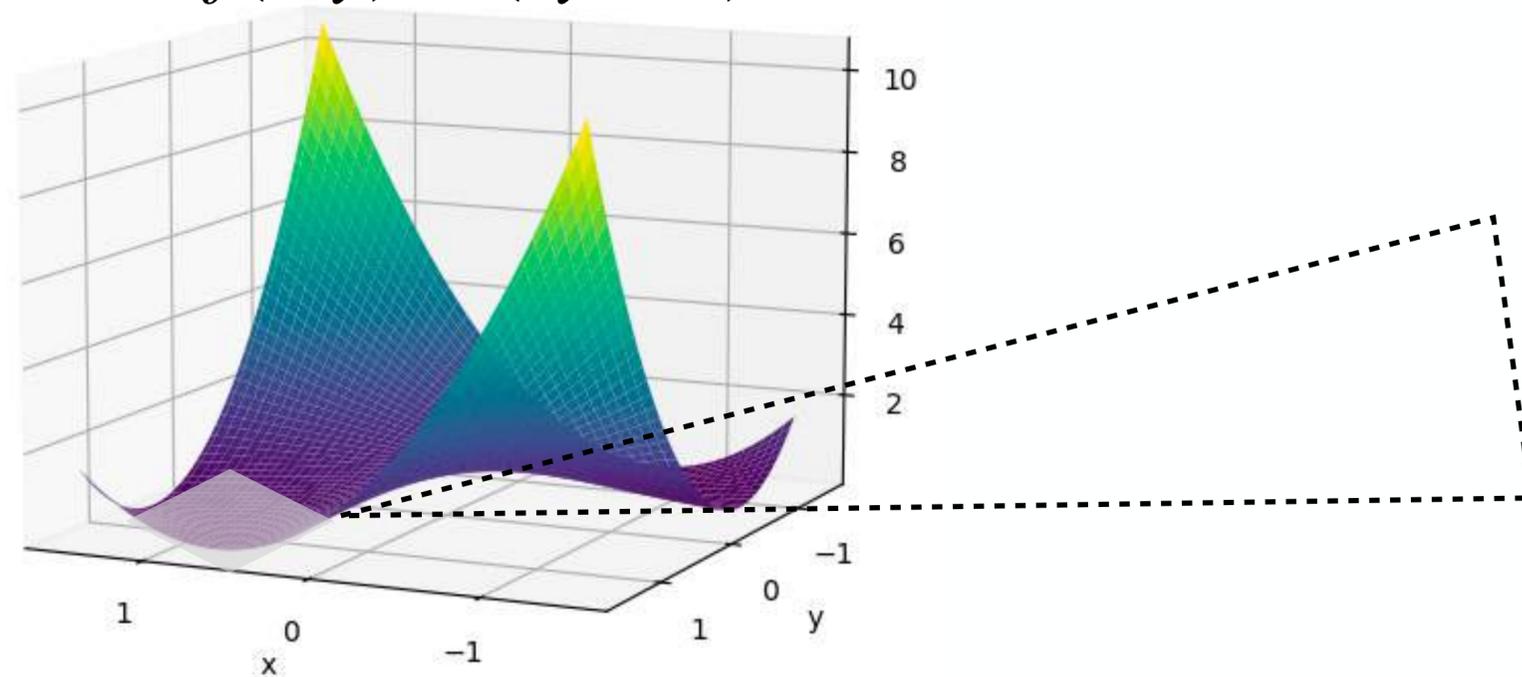


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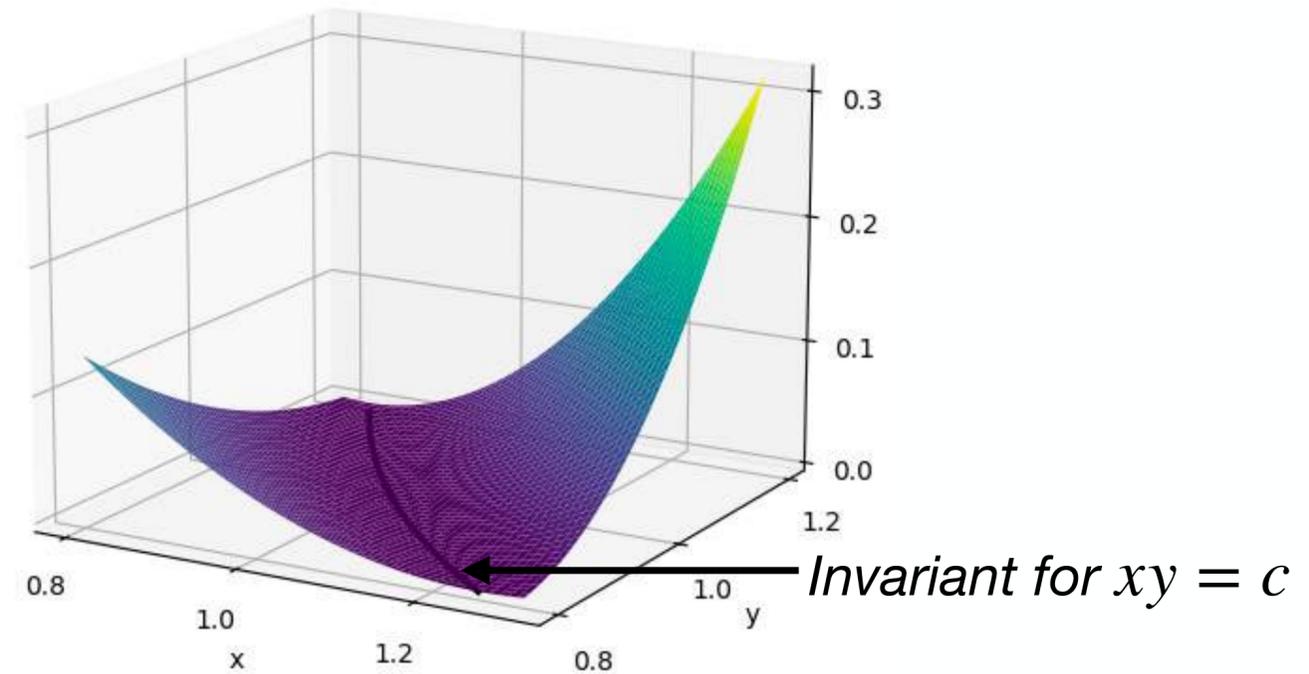
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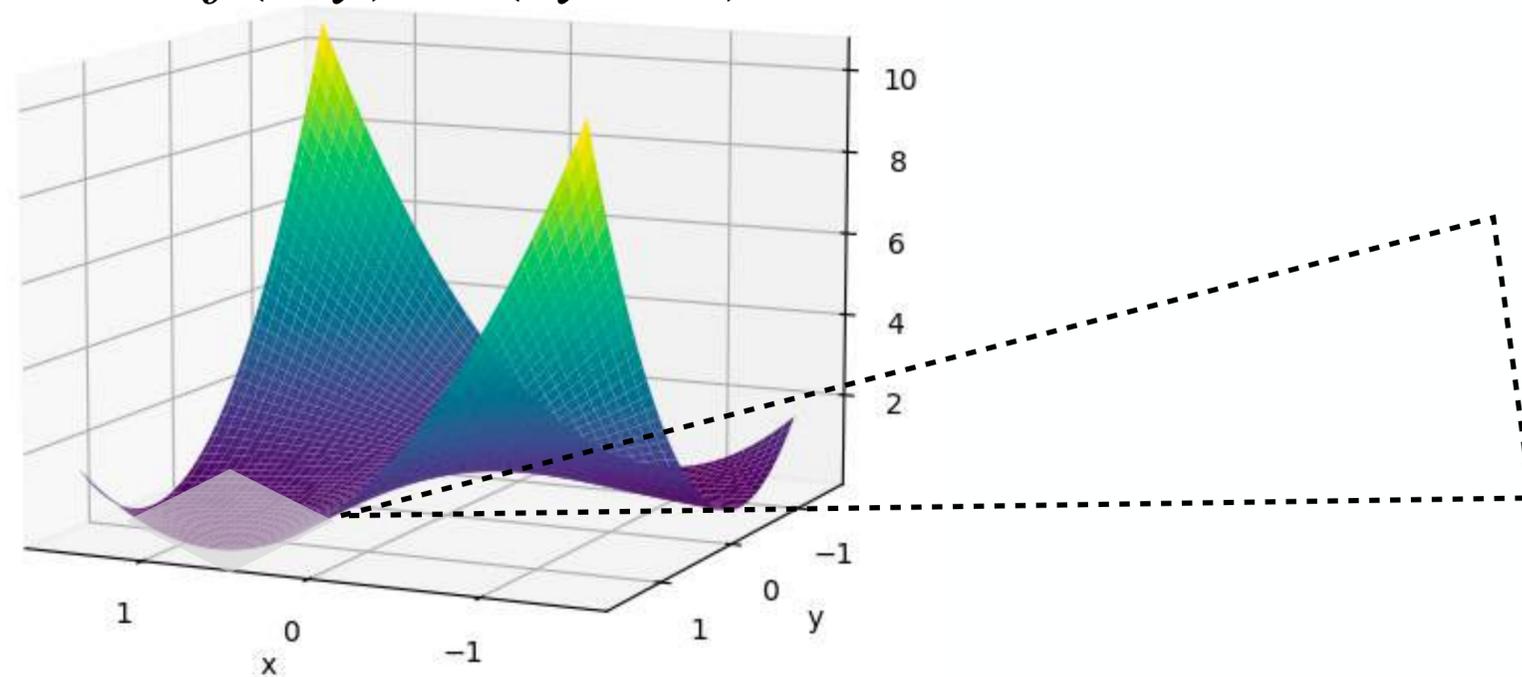


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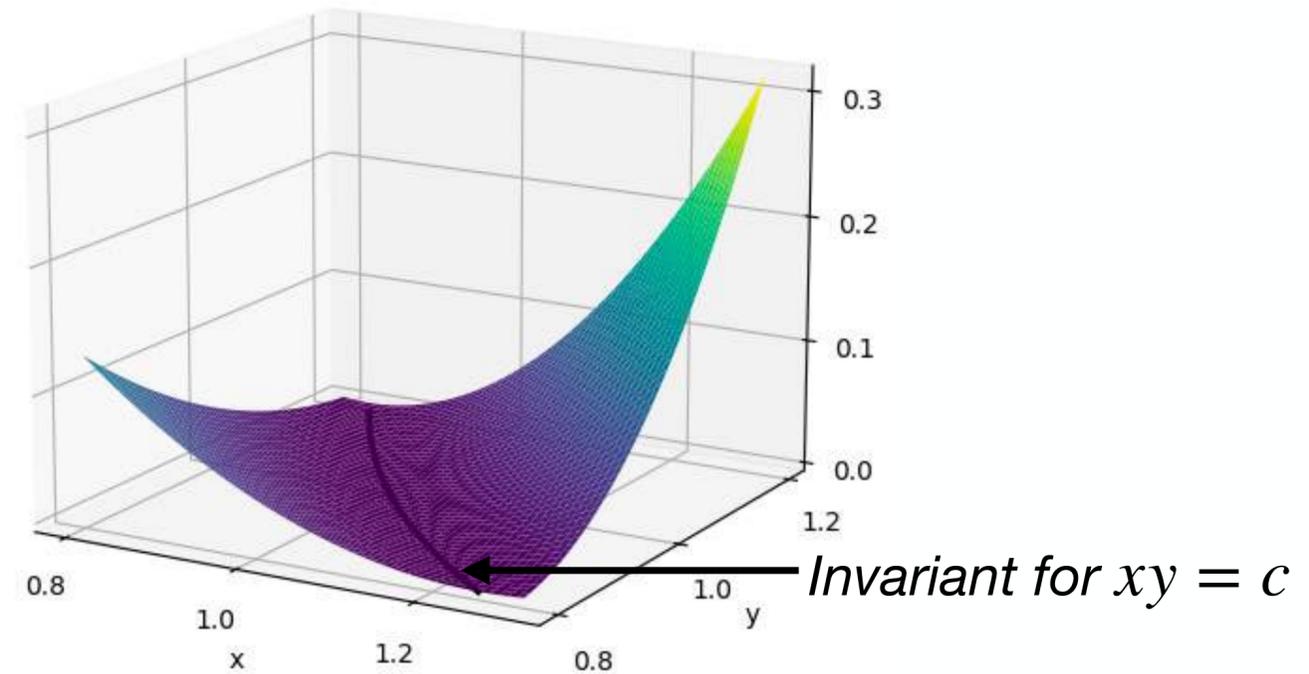
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- $\bar{A} = \frac{1}{m} \sum_{k=1}^m A_k(u_k, i_k, j_k)$  is a *data-dependent* matrix;  $\mathbb{E}[A] \approx I$   
*i.i.d.*

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**Open:** How general is this new proof technique?

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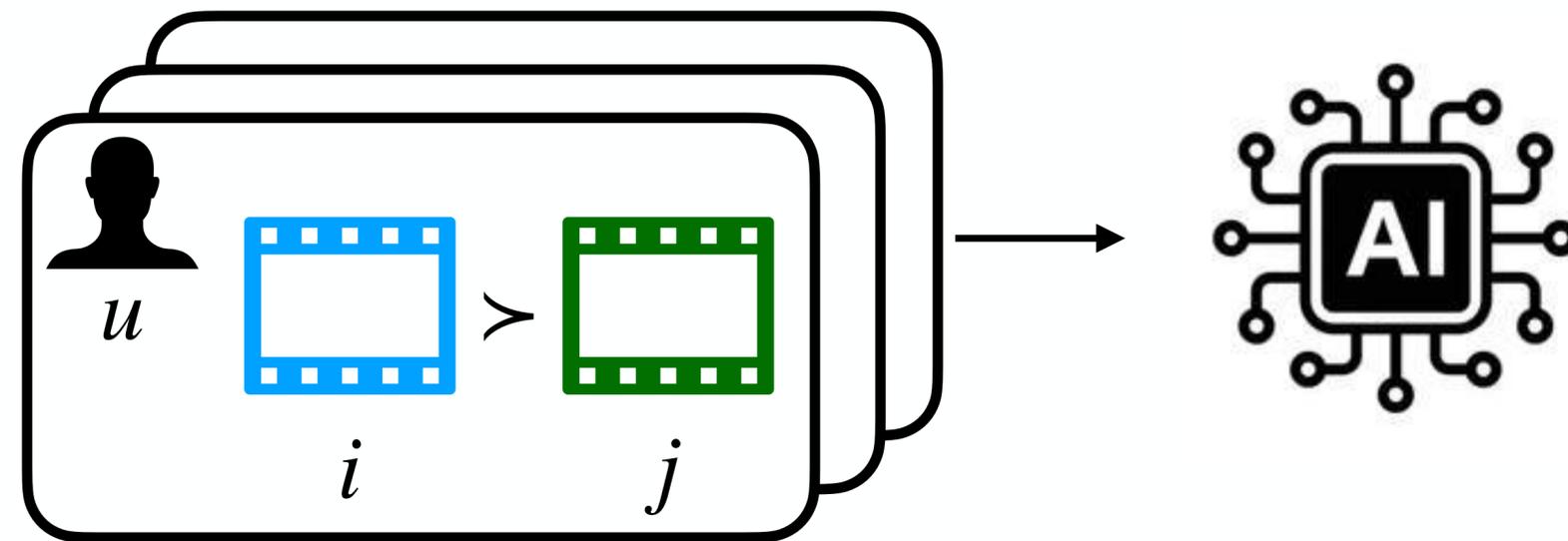
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# Journey So Far

## Learning From Offline Comparisons is Efficient

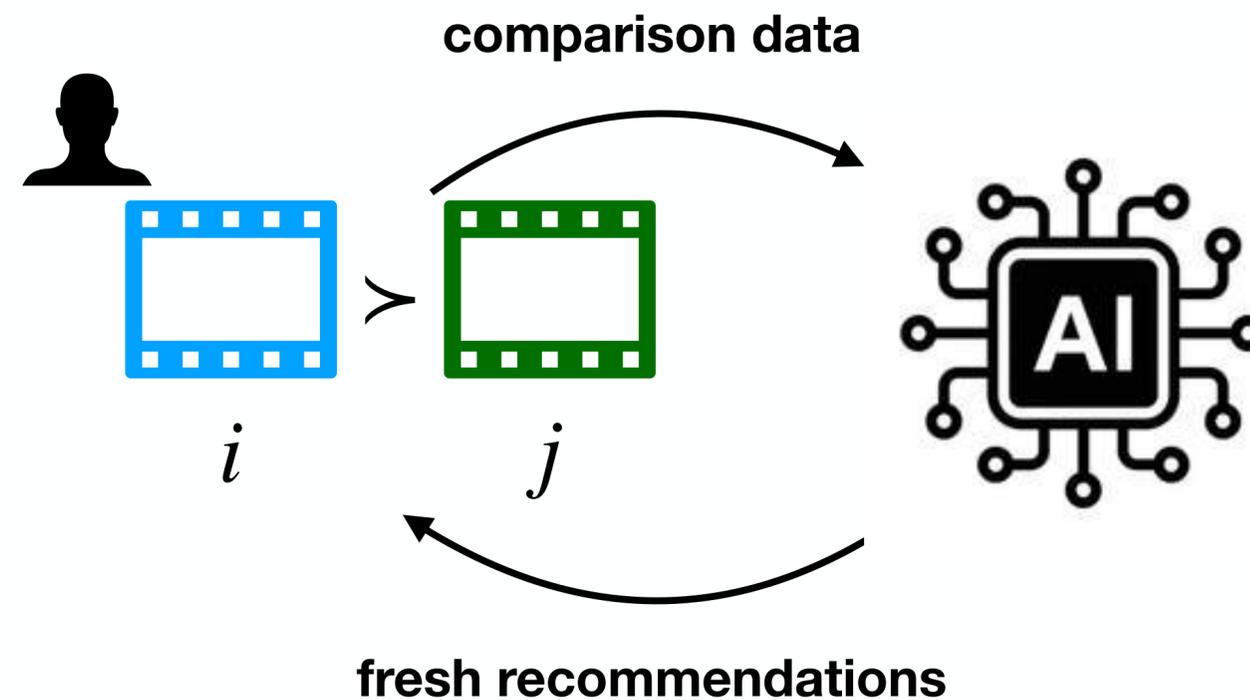
Fixed dataset (offline learning)



# Journey So Far

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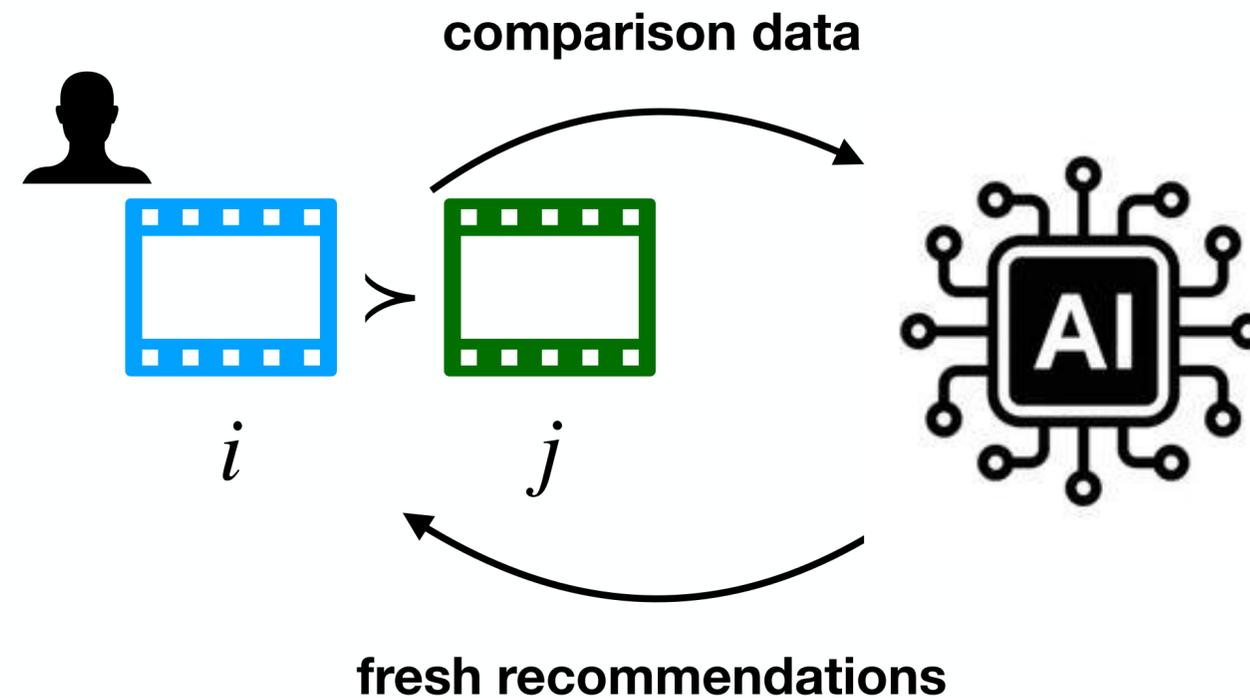
Interactive setting (online learning)



# The Next Big Question

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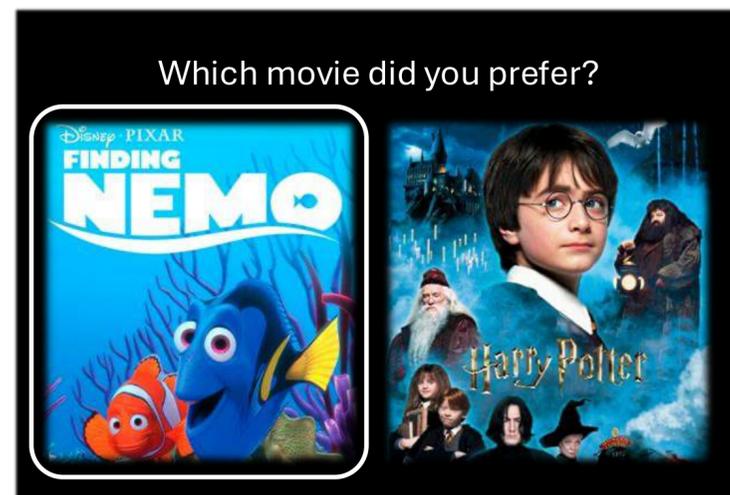
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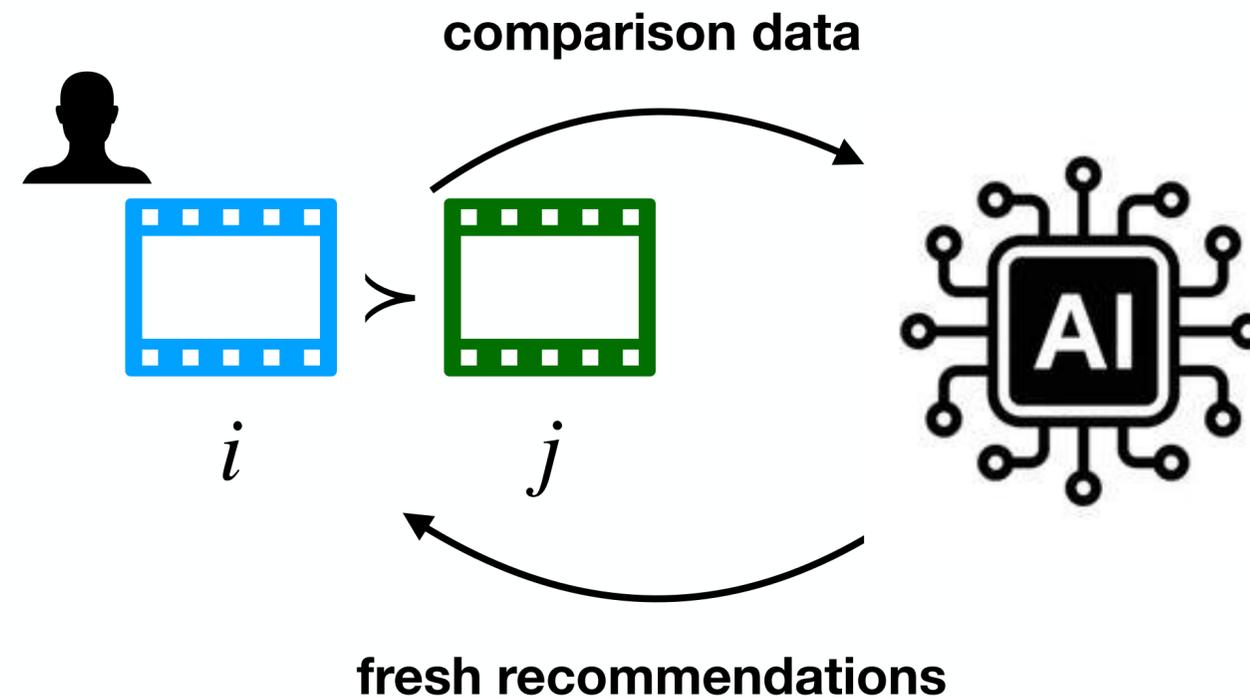


Watched  
just now

Watched  
last week

*What to  
recommend?*

*What to  
compare?*



Comparing with  
consumption  
history effectively  
reuses past  
experiences

# Comparing with History is Efficient

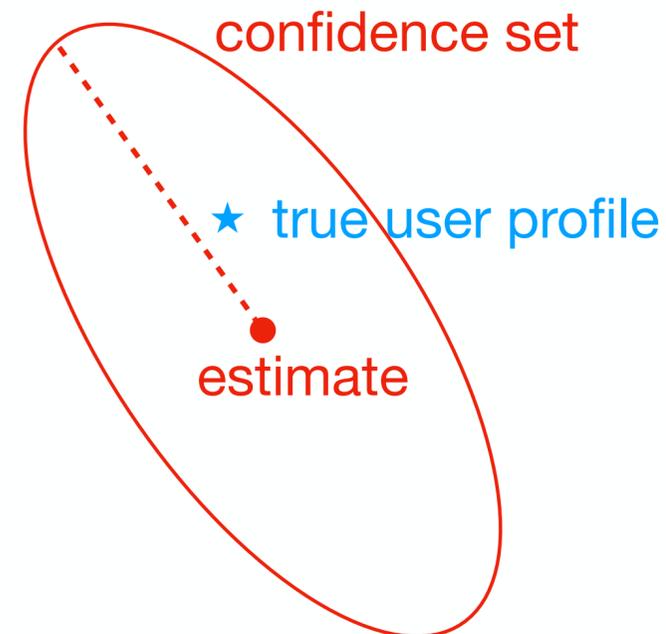
*Recycling History: Efficient Recommendations From Contextual Duelling Bandits.*

**S. Sankagiri**, P. Fatemi, J. Etesami, and M. Grossglauser (*Under Review*)

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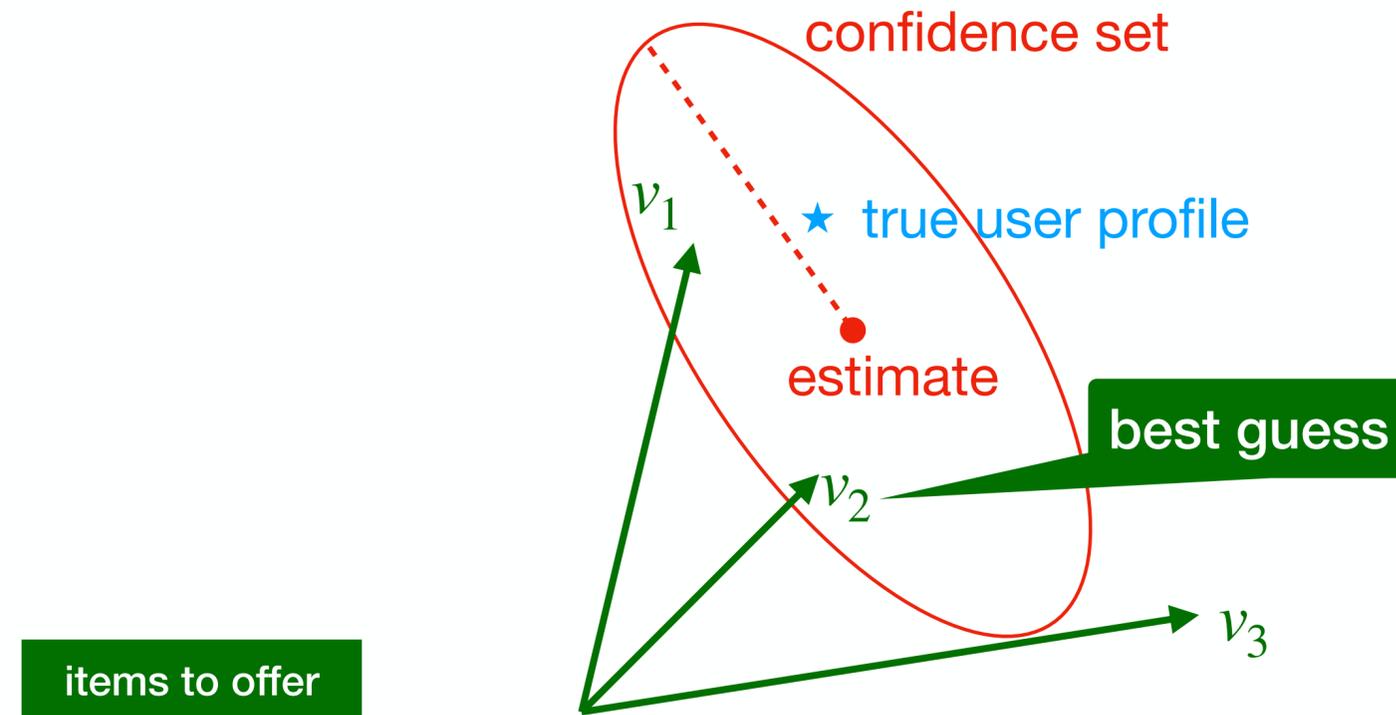
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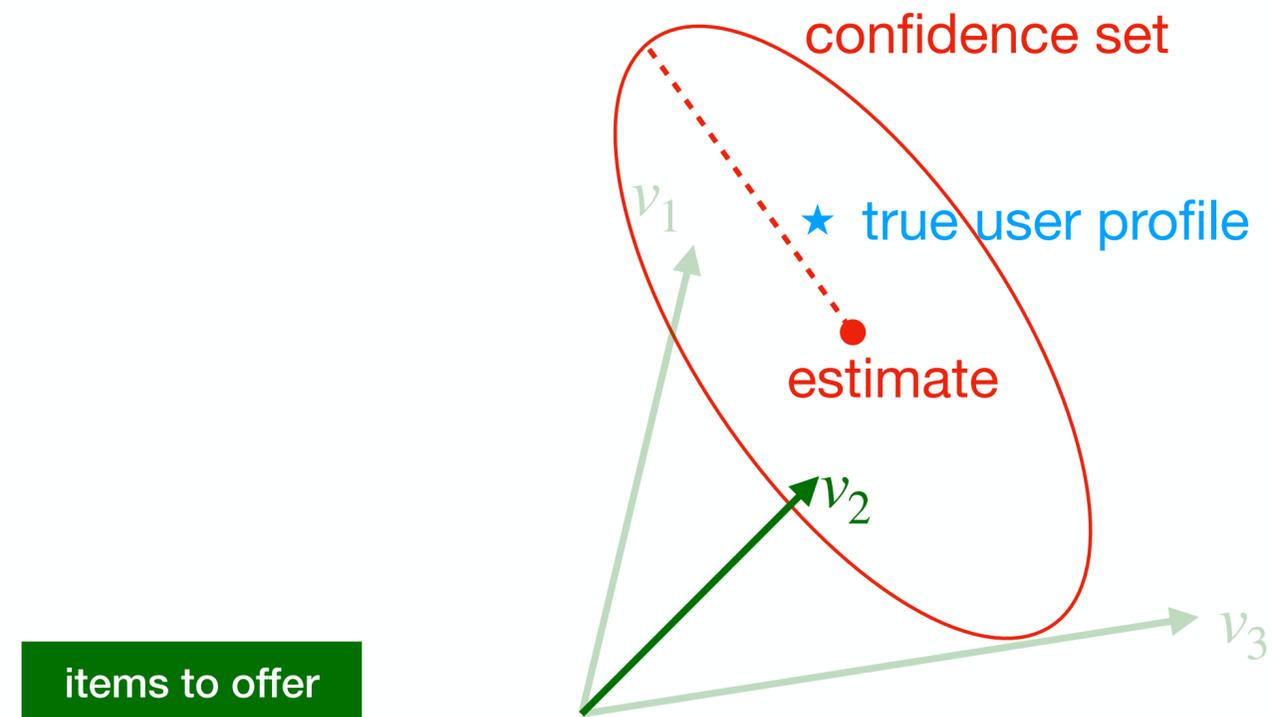
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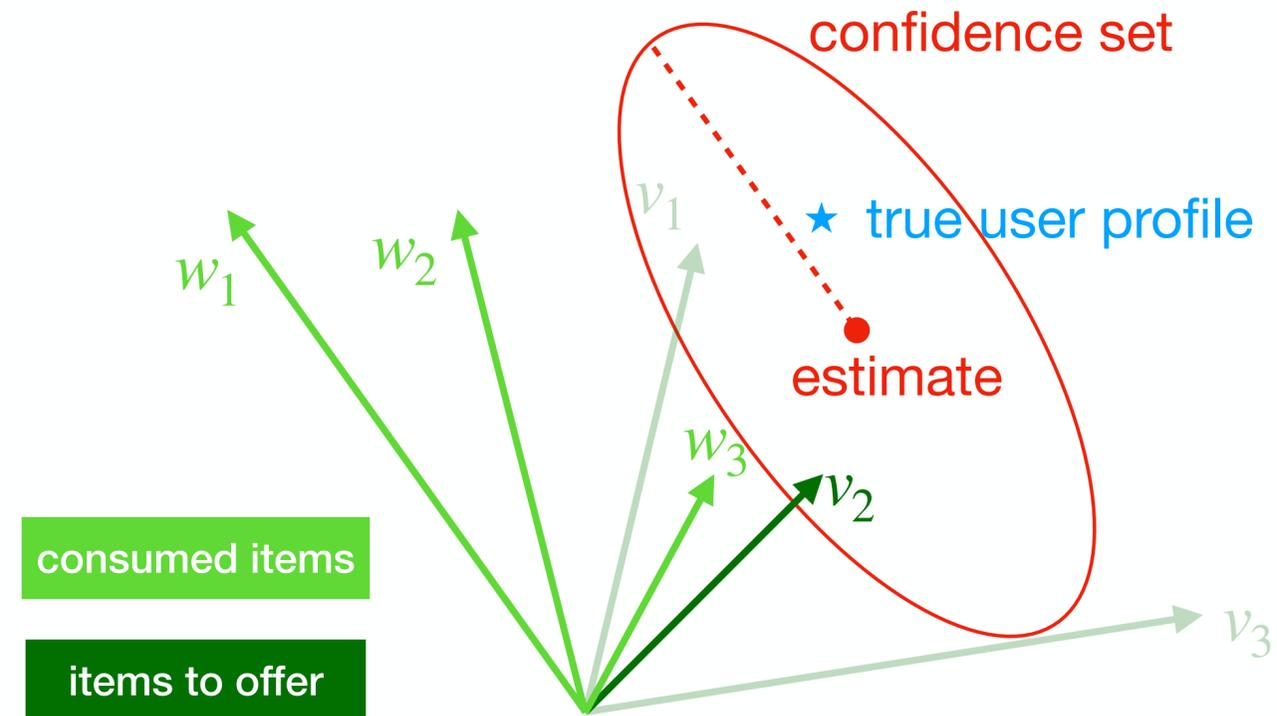


- ▶ Recommend the best guess item

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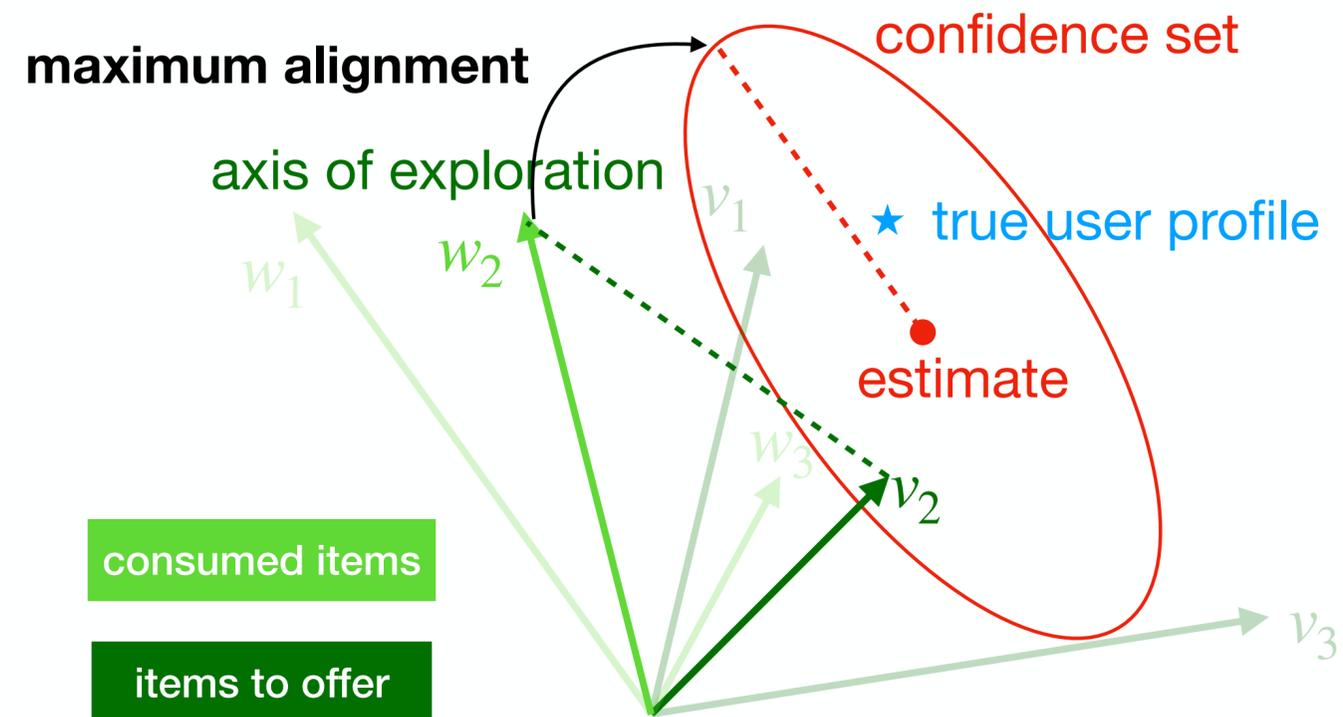


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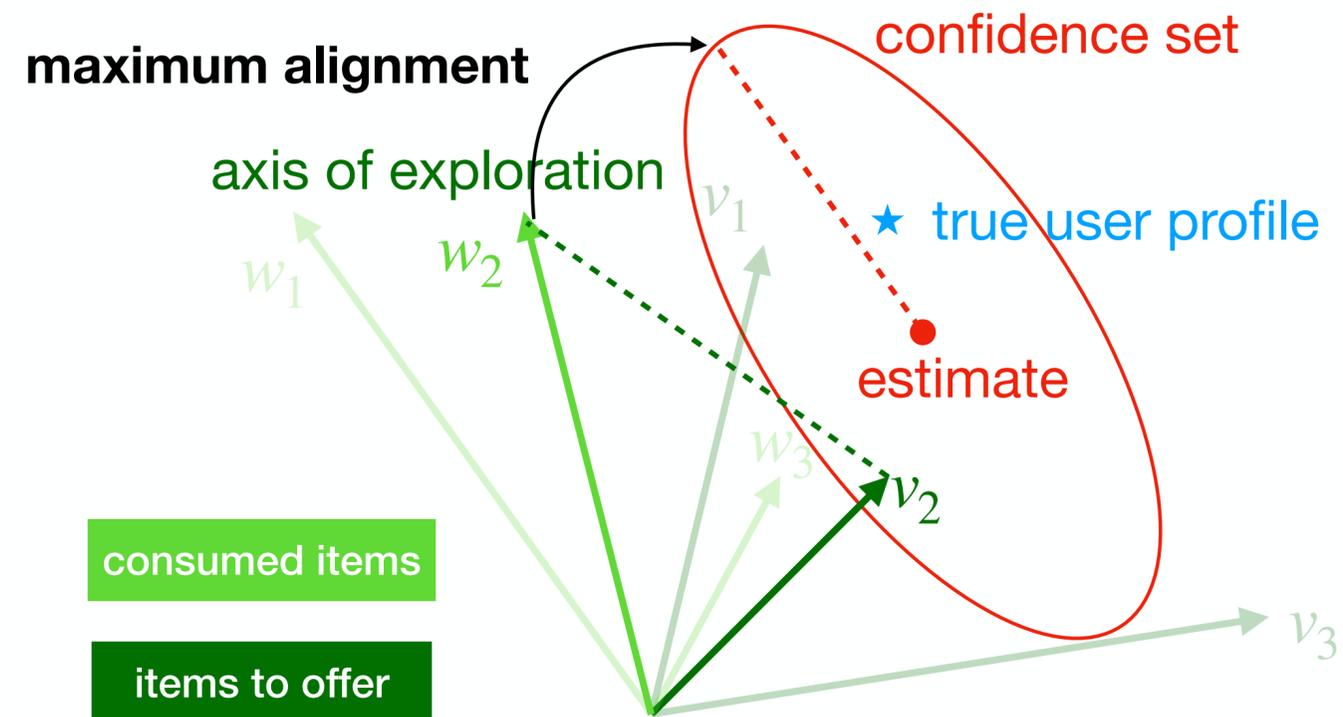


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- ▶ **Mitigates exploration-exploitation tradeoff!**

# Experimental Results

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# Real Data Doesn't Obey BTL

Pick the older person



**Fading memory effects**

**Context effects**

**Incompatibility effects**

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Inconsistencies if spaced out

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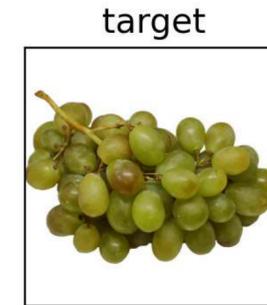
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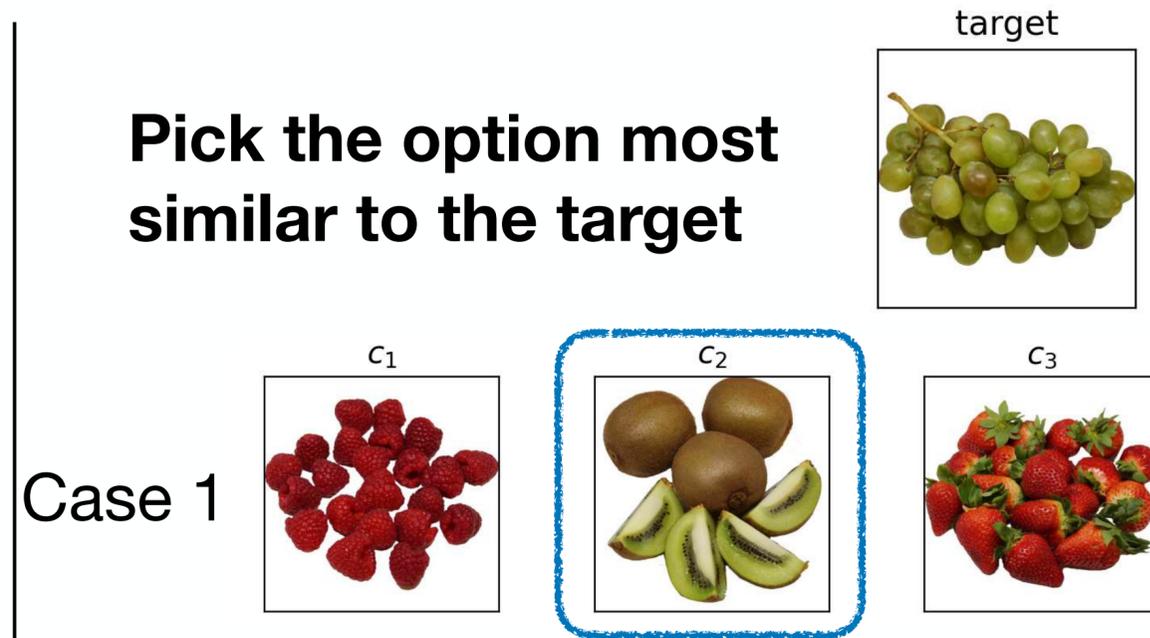


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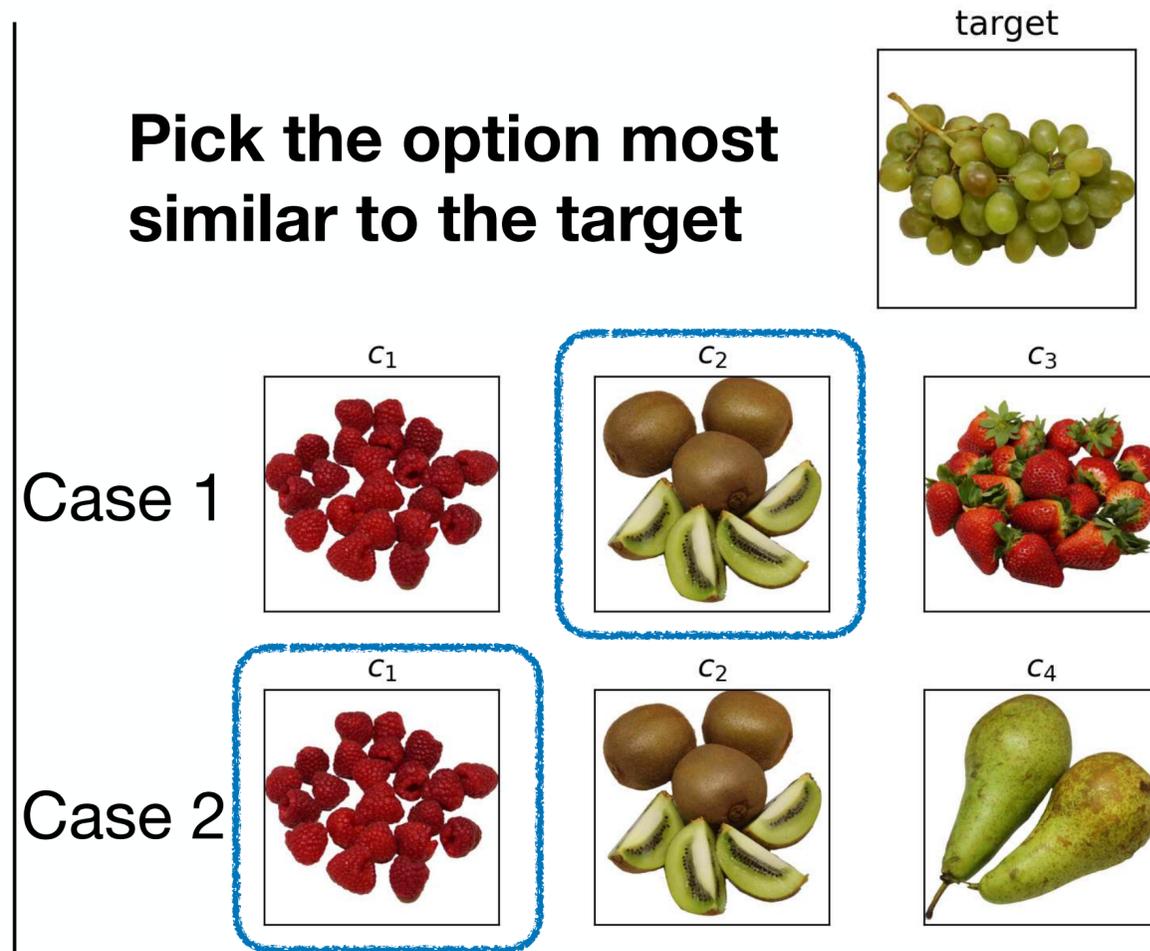
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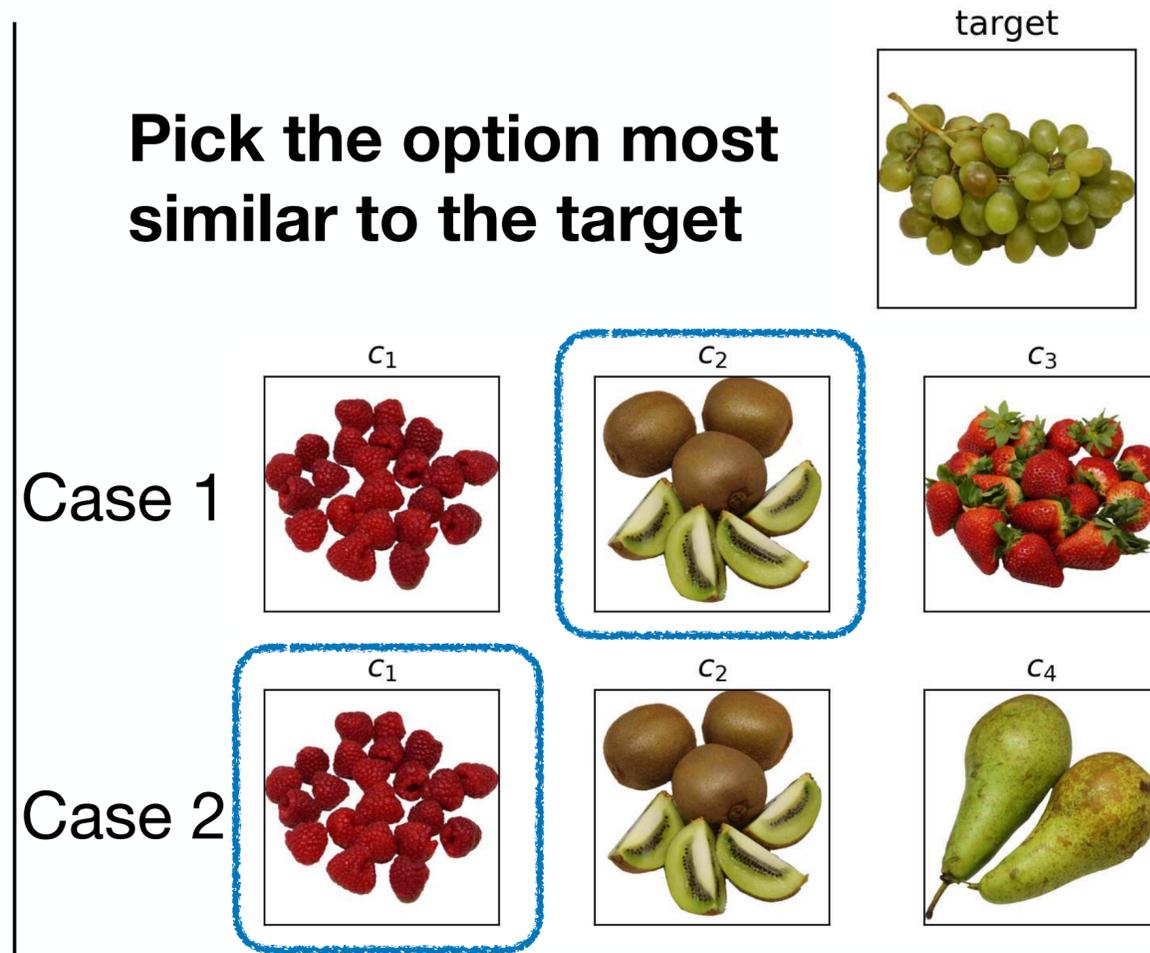


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Statistically significant deviation  
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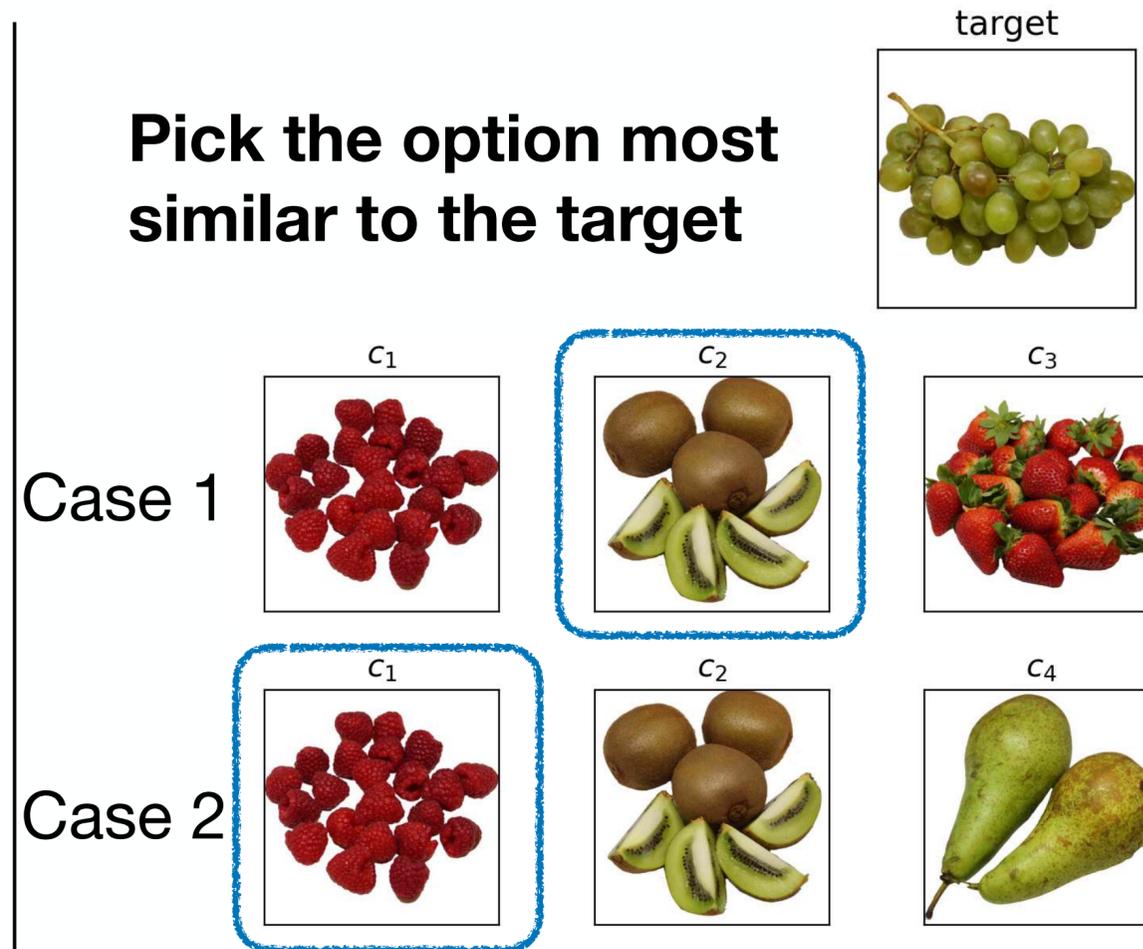


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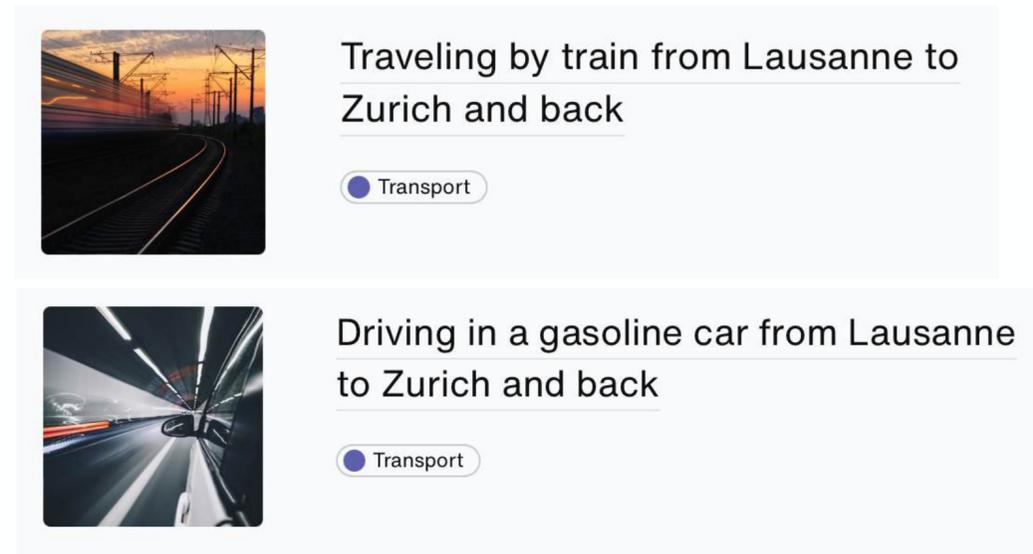


Observation

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**Context effects**

Pick action with larger CO2



*courtesy: clim pact.ch*

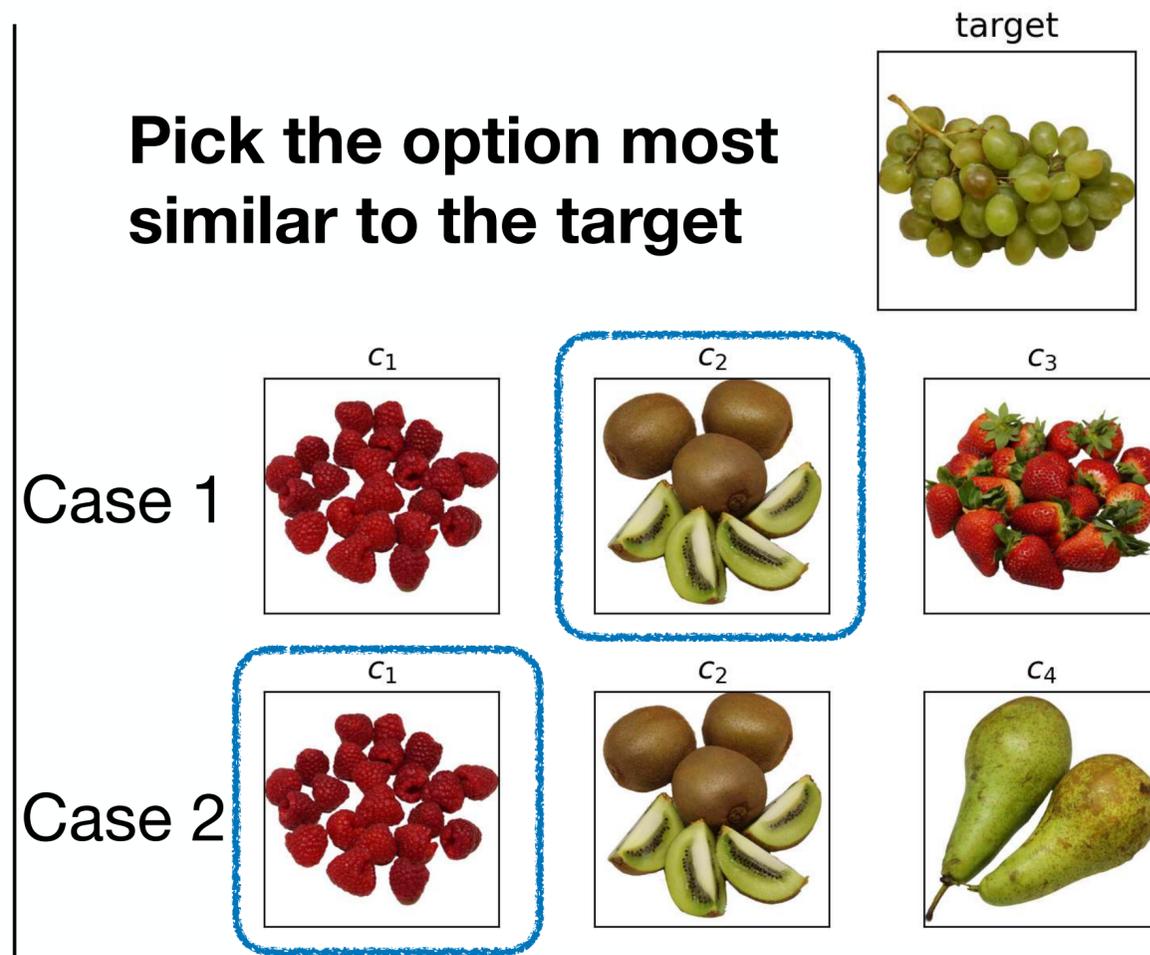
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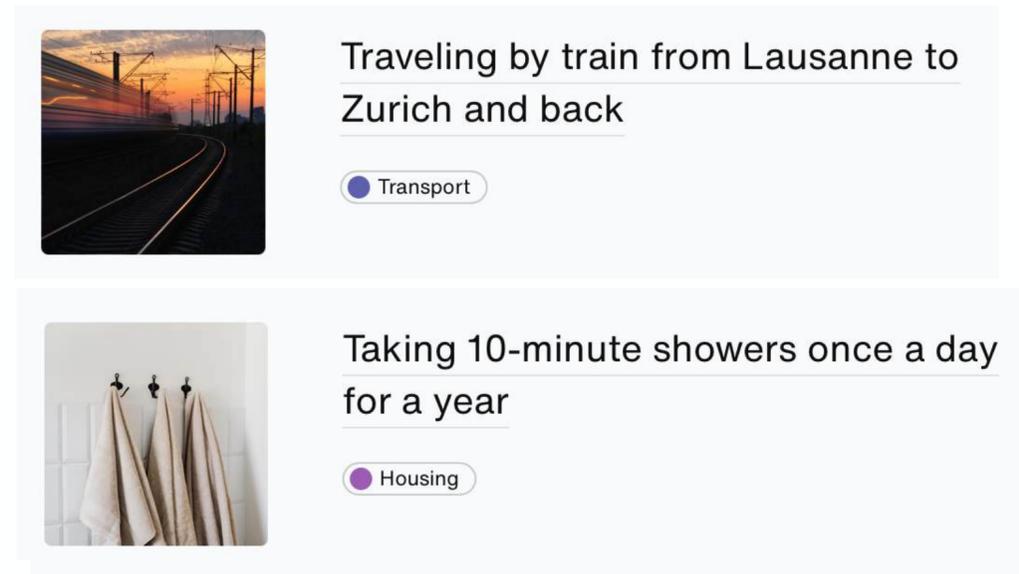
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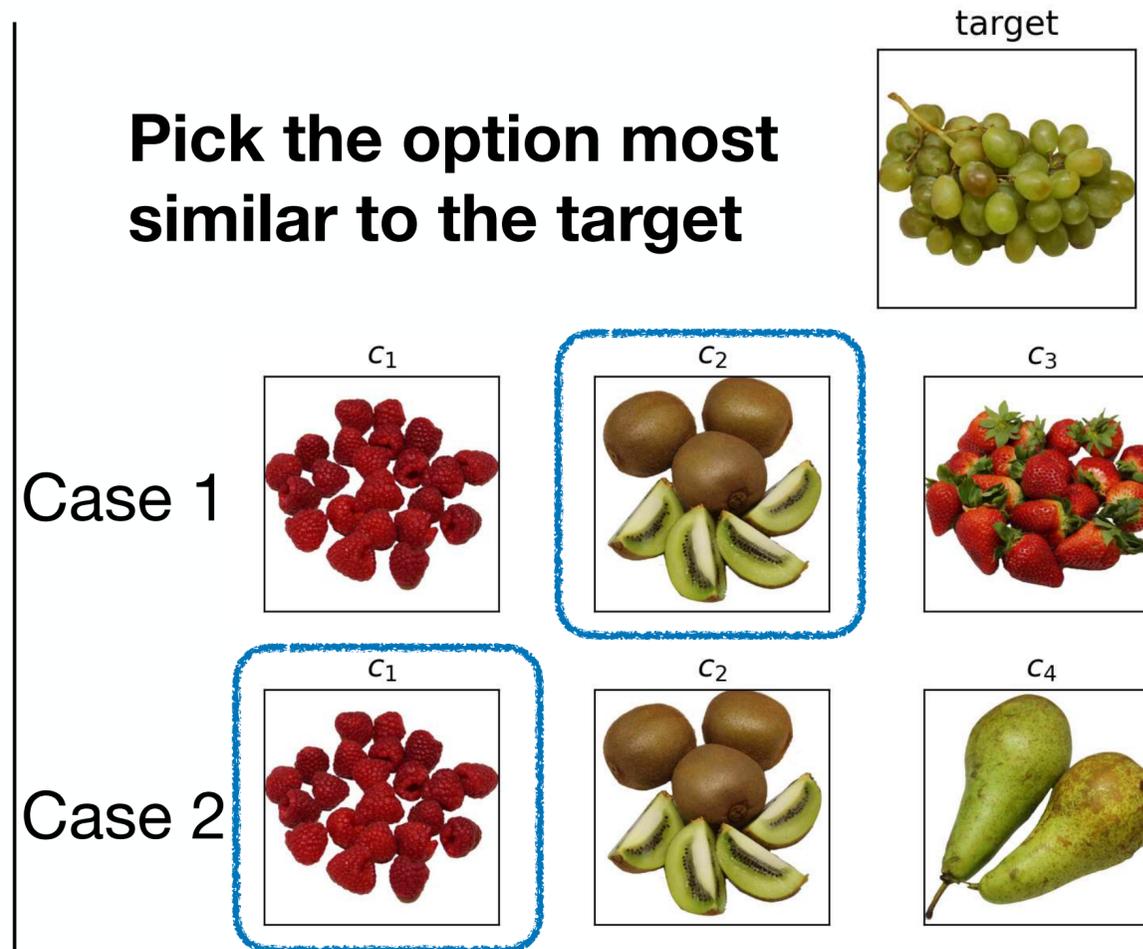


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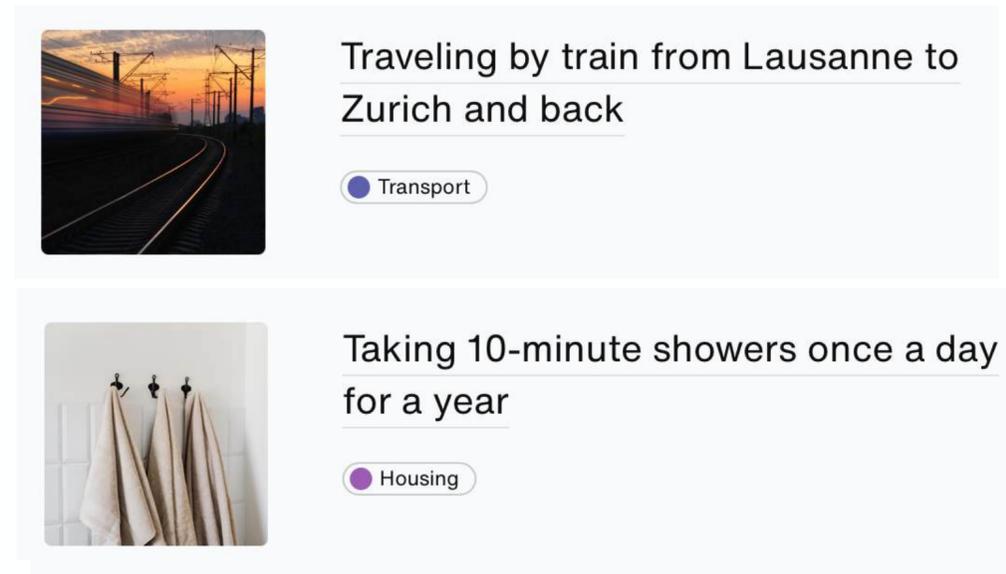


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Observation

Variance in user response larger  
For apples-to-oranges comparisons

**Incompatibility effects**

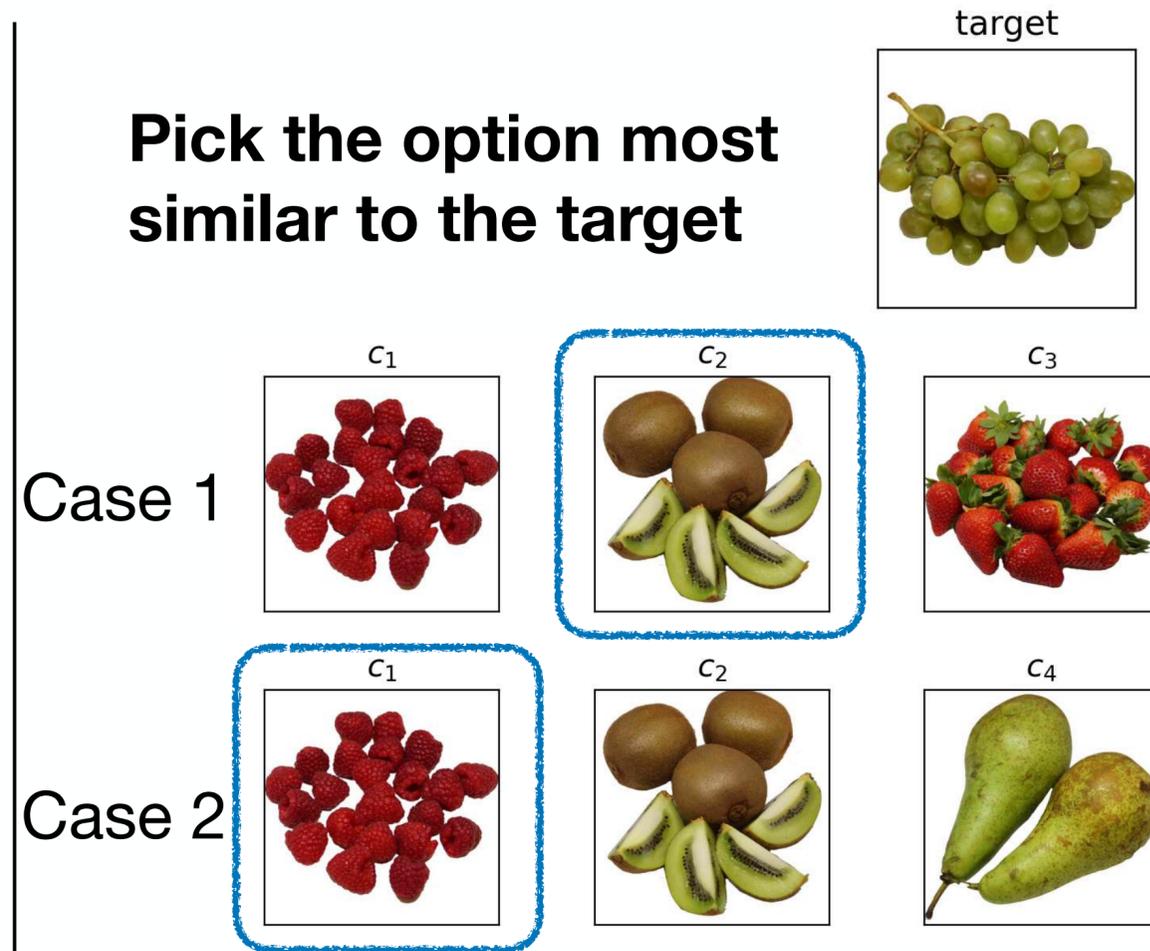
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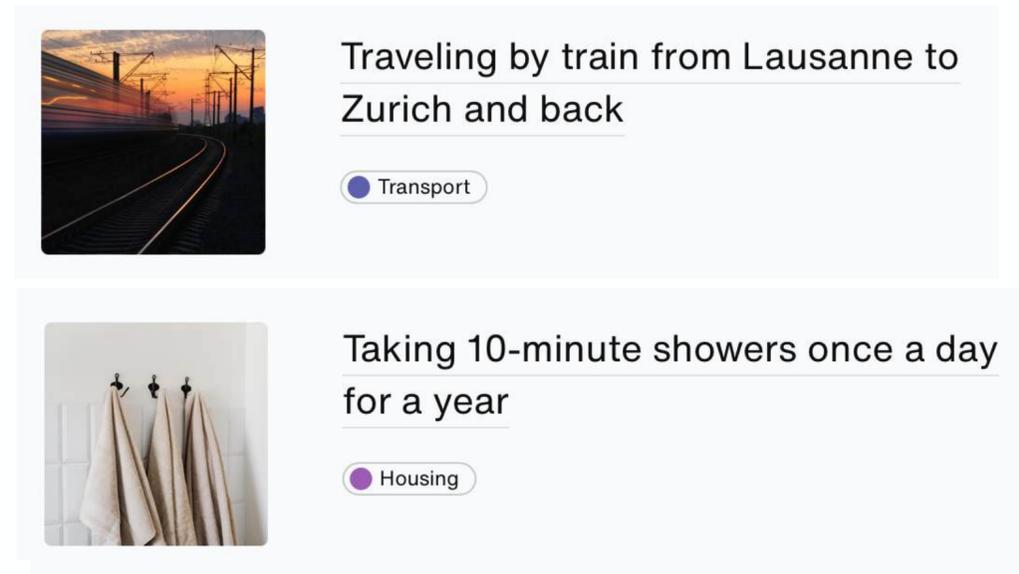
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*courtesy: climact.ch*

**Research Question 1: What's the right model to capture these effects?**

**Fading memory effects**

**Context effects**

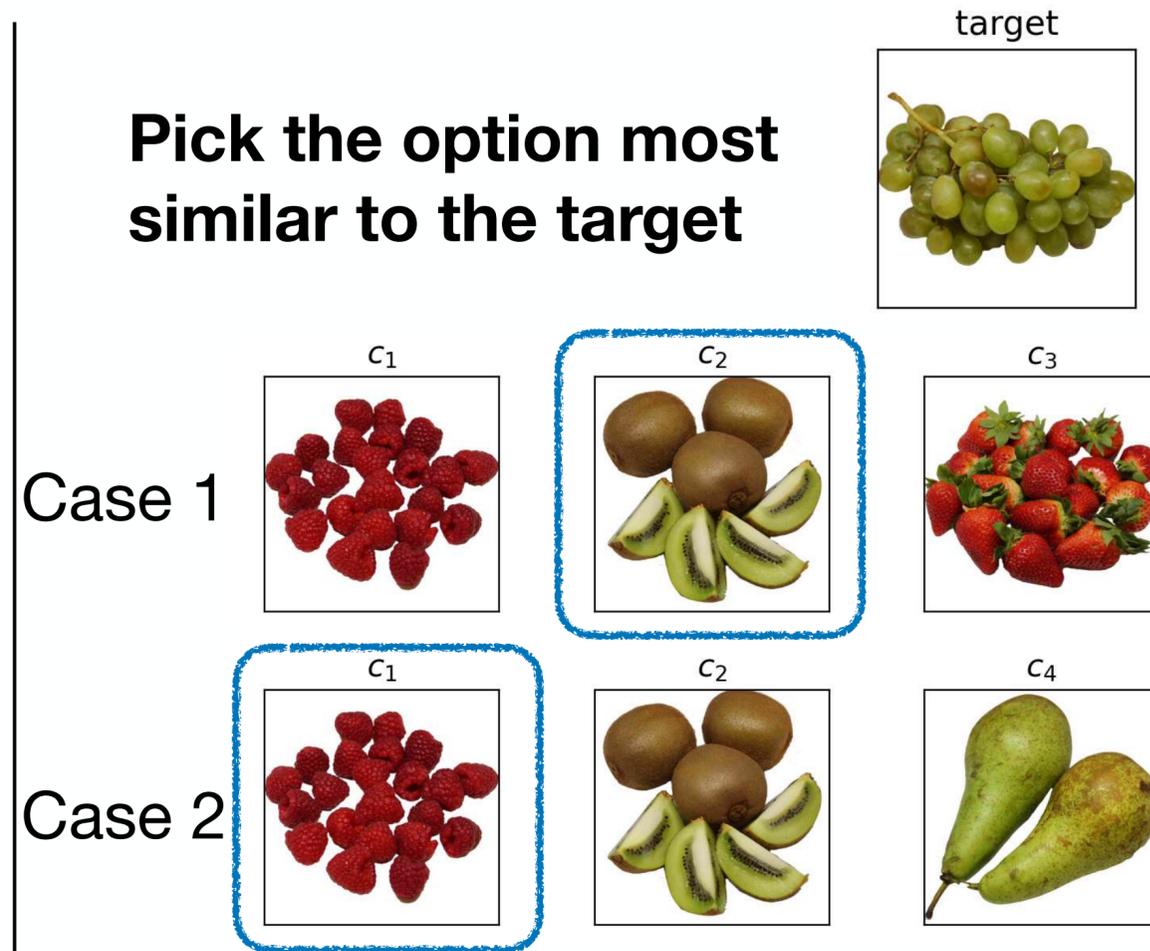
**Incompatibility effects**

# Real Data Doesn't Obey BTL

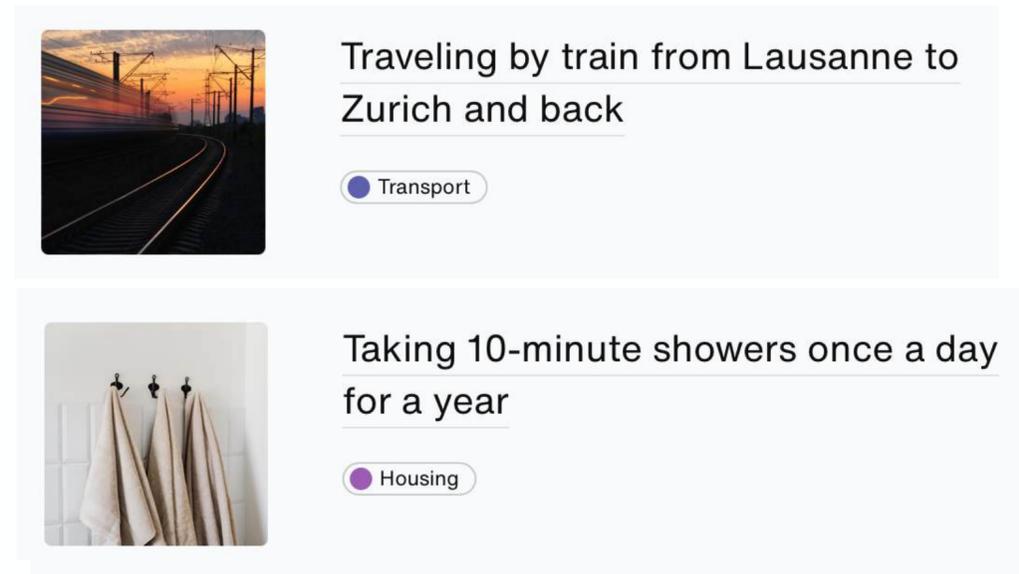
Pick the older person



Pick the option most similar to the target



Pick action with larger CO2



*courtesy: climact.ch*

**Research Question 1:** What's the right model to capture these effects?

**Research Question 2:** Do new models imply different algorithms for inference?

**Fading memory effects**

**Context effects**

**Incompatibility effects**

# My Research Contributions

- *Recommendations with Sparse Comparison Data: Nonconvex Matrix Factorisation.*  
**S. Sankagiri**, J. Etesami, and M. Grossglauser (ICML 2025)
- *Recycling History: Efficient Recommendations From Contextual Duelling Bandits.*  
**S. Sankagiri**, P. Fatemi, J. Etesami, and M. Grossglauser (Under Review)
- *Measuring IIA Violations in Similarity Choices with Bayesian Models.*  
H. Correa, **S. Sankagiri**, D. Figueiredo, and M. Grossglauser (UAI 2025)
- *Ranking Items from Discrete Ratings: The Cost of Unknown User Thresholds.*  
O. Villemaud, **S. Sankagiri**, and M. Grossglauser (Under Review)



M. Grossglauser  
EPFL, Switzerland



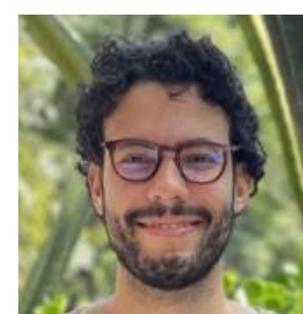
D. Figueiredo  
UFRJ, Brazil



J. Etesami  
TUM, Germany



O. Villemaud  
EPFL, Switzerland

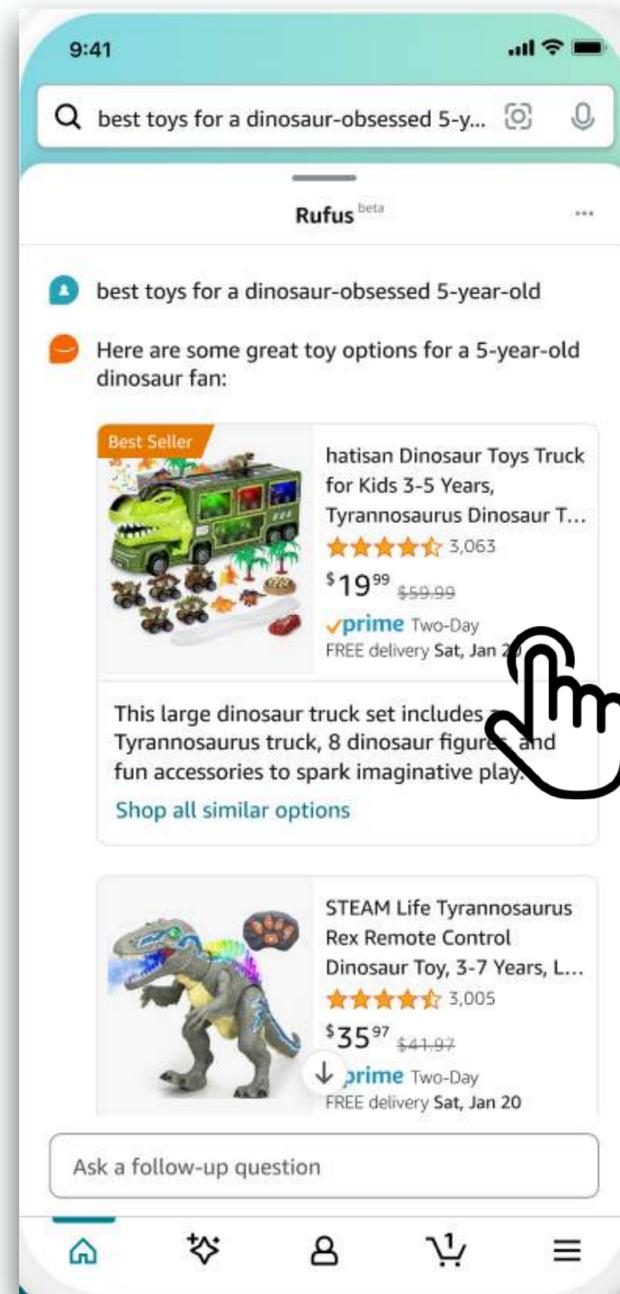


H. Correa  
UFRJ, Brazil

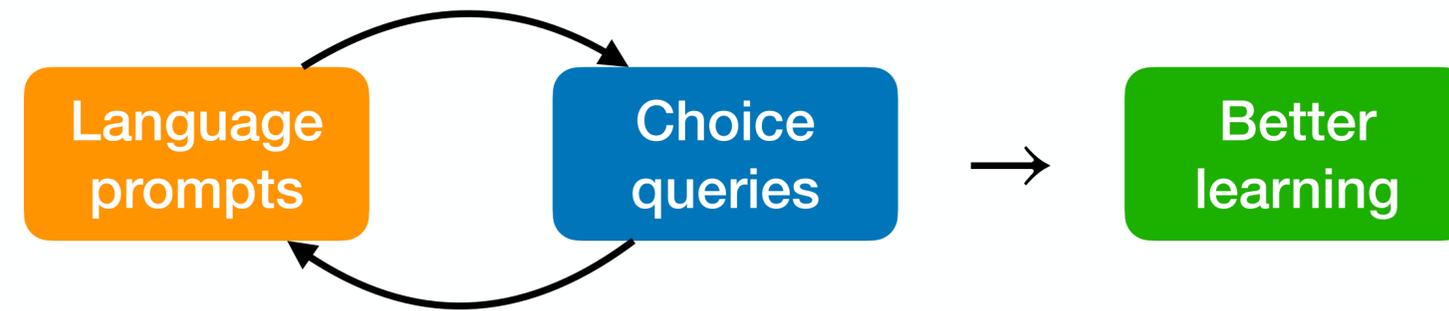


P. Fatemi  
TUM, Germany

# Vision: From Clicks to Conversations

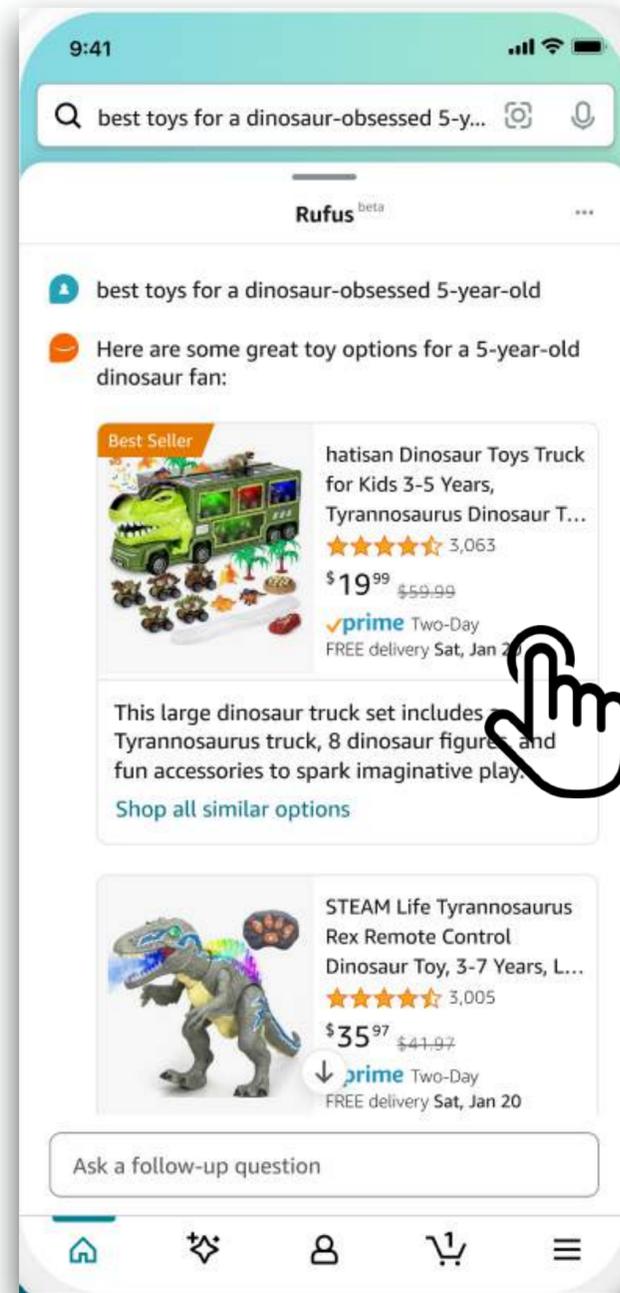


**Users can reveal preferences through choices, not just words**

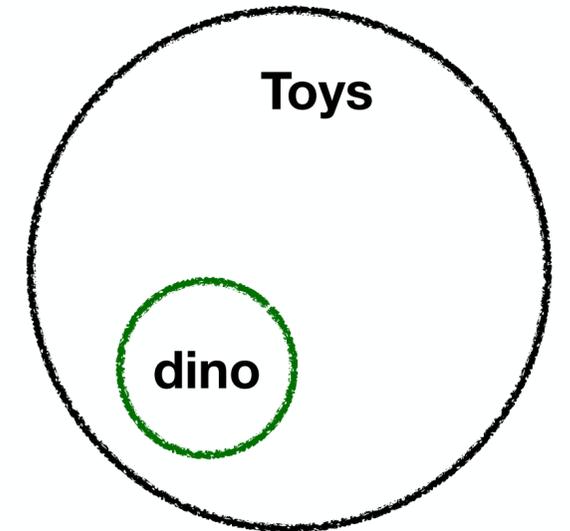
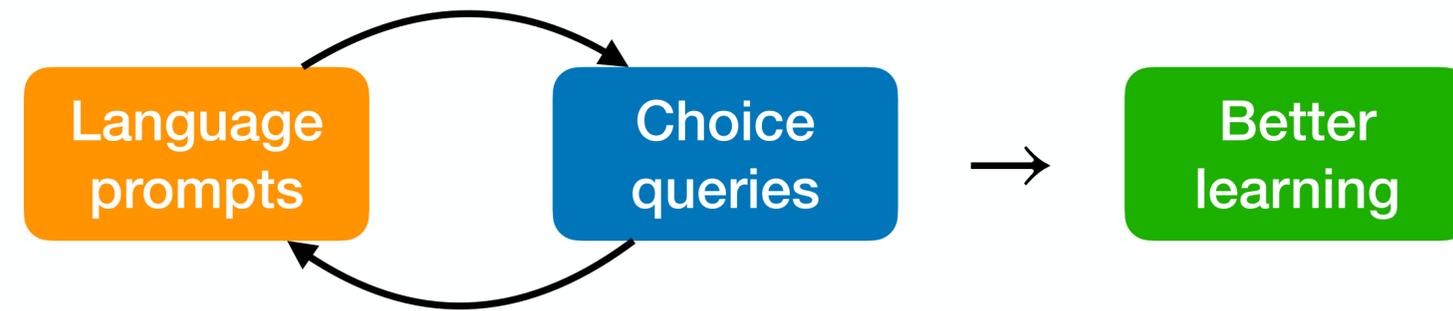


AI chatbots understand natural language

# Vision: From Clicks to Conversations

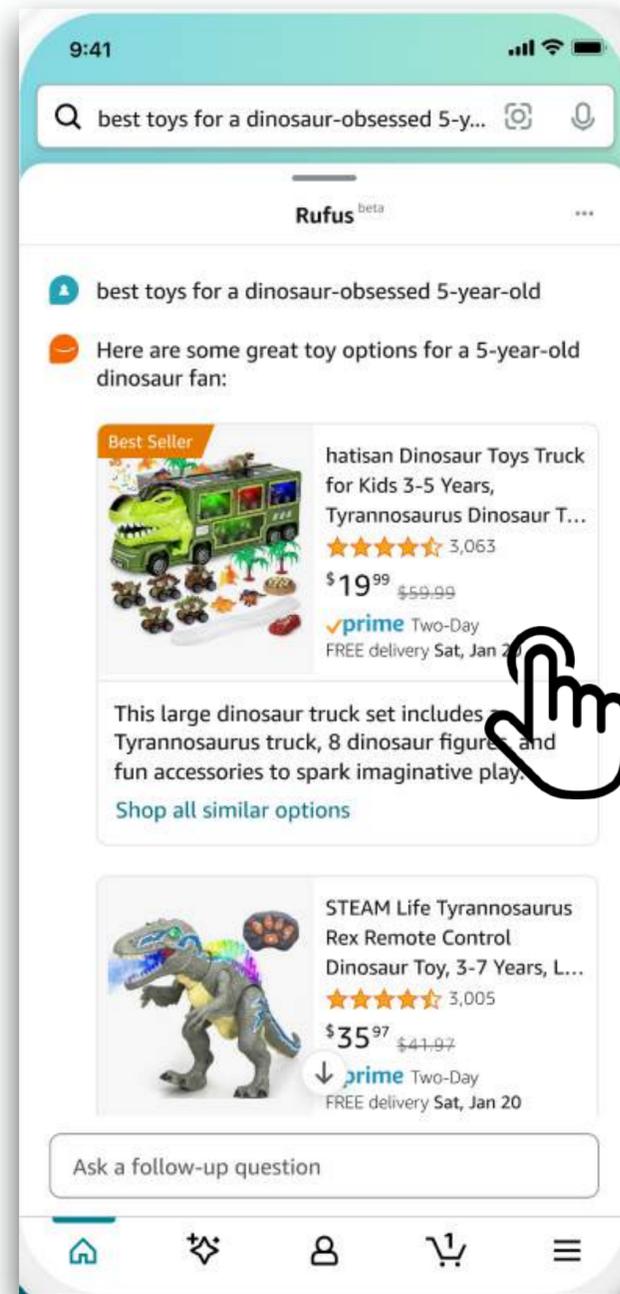


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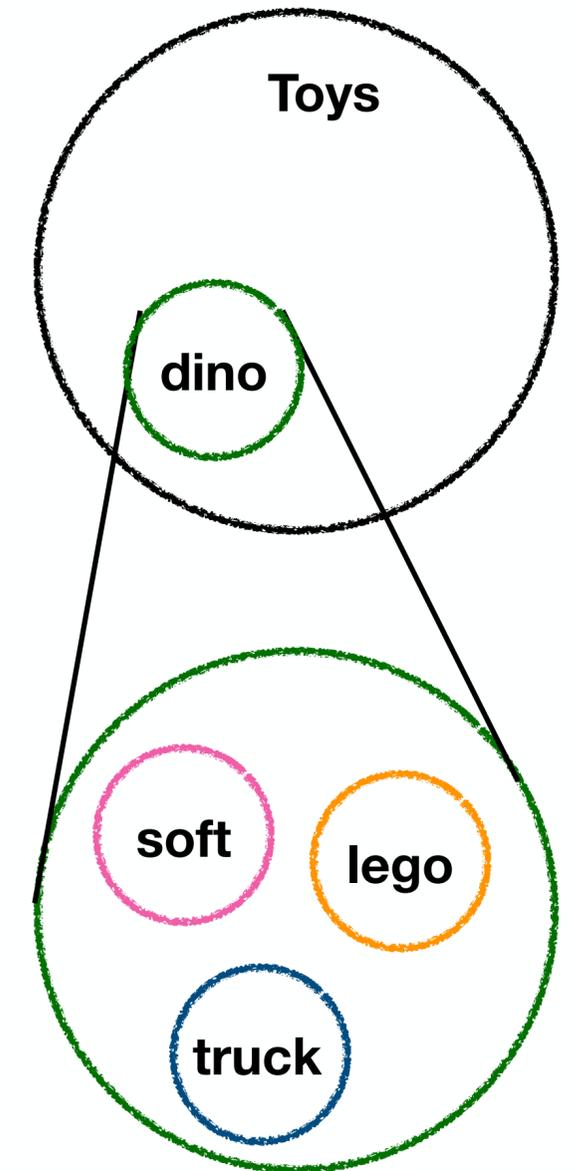
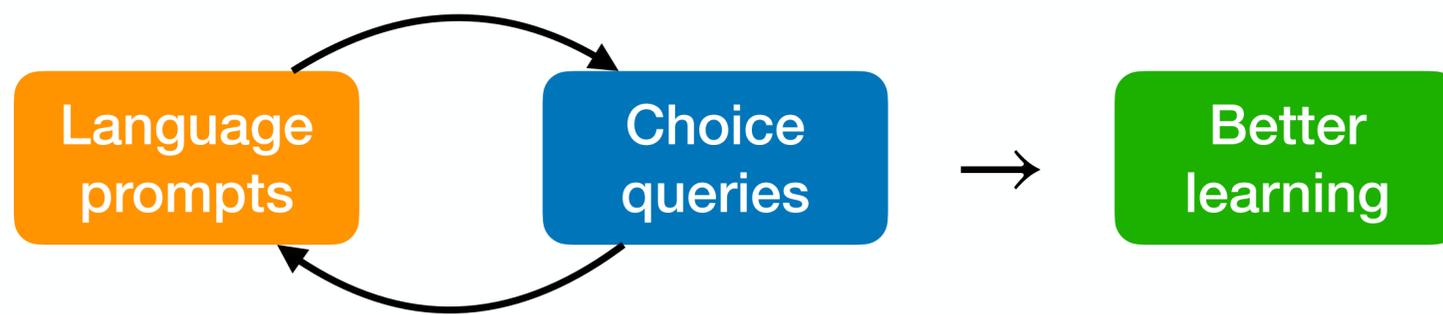


AI chatbots understand natural language

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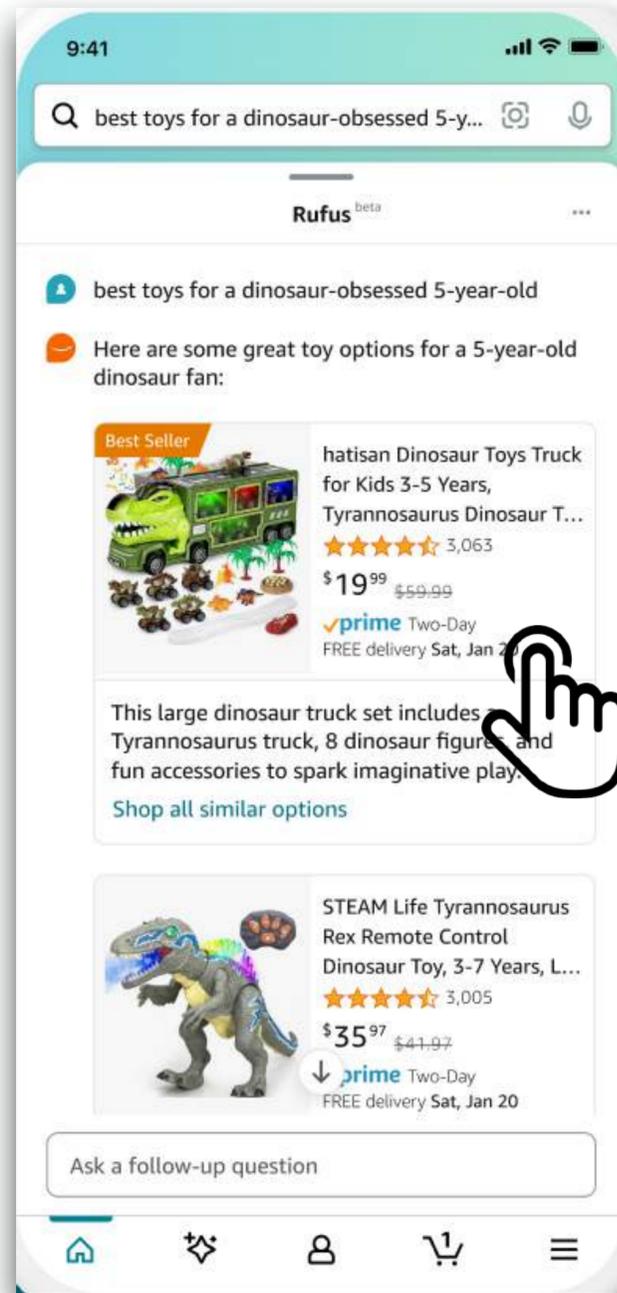


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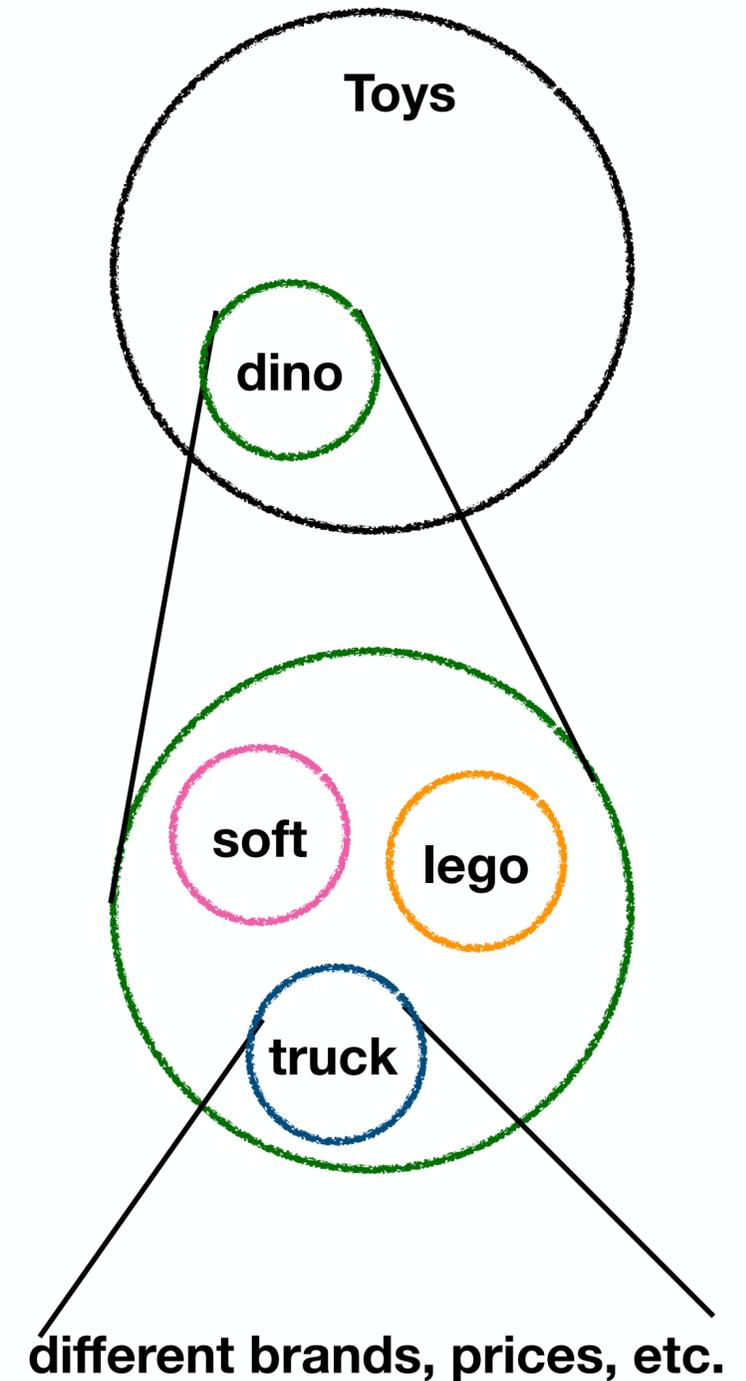
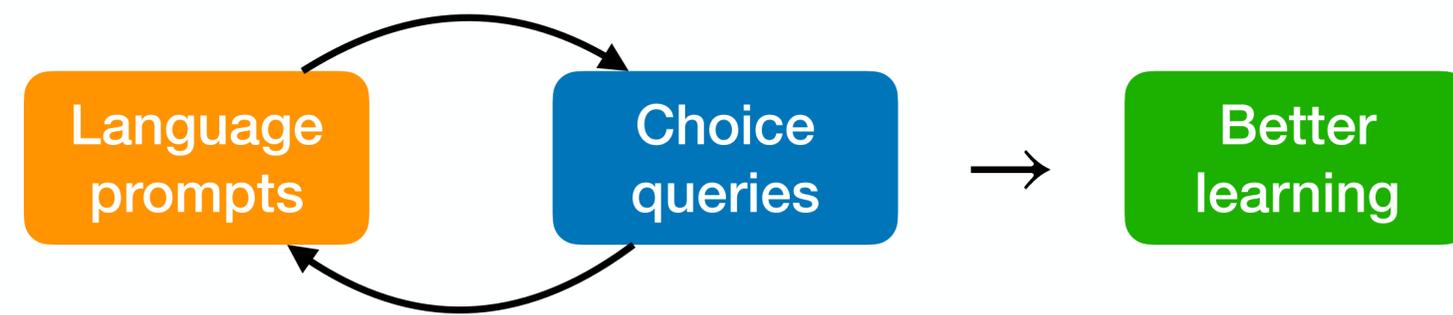
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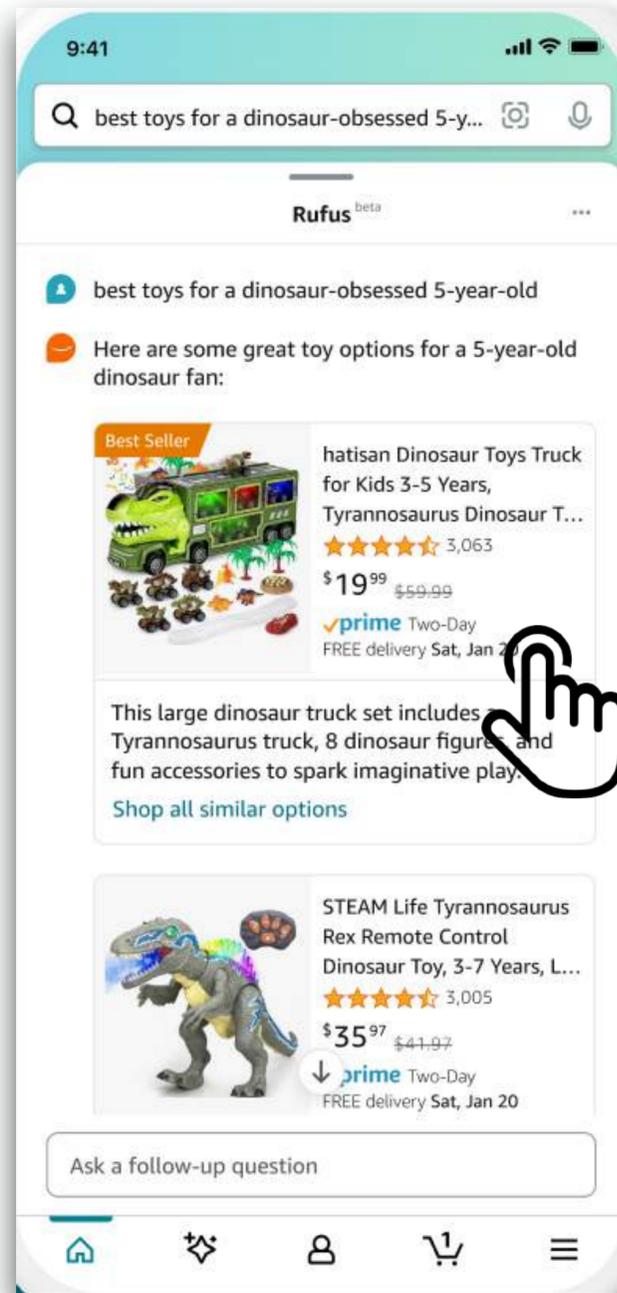


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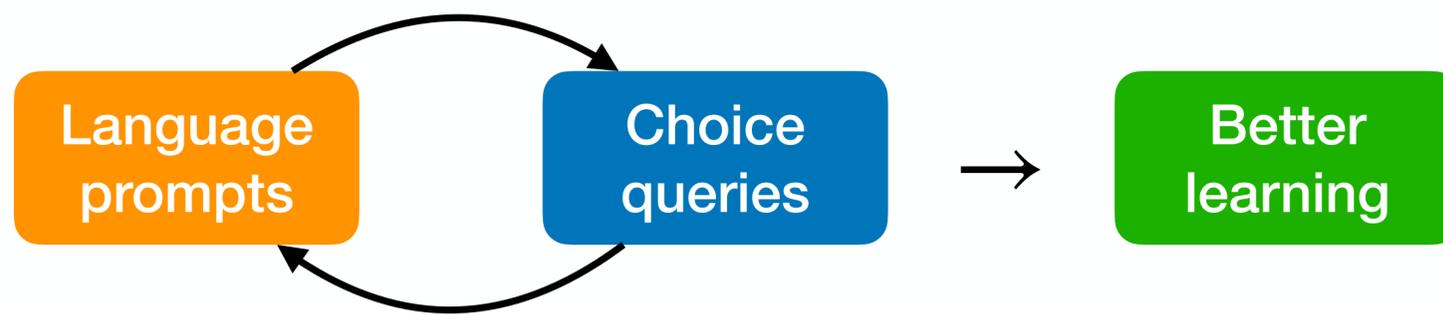


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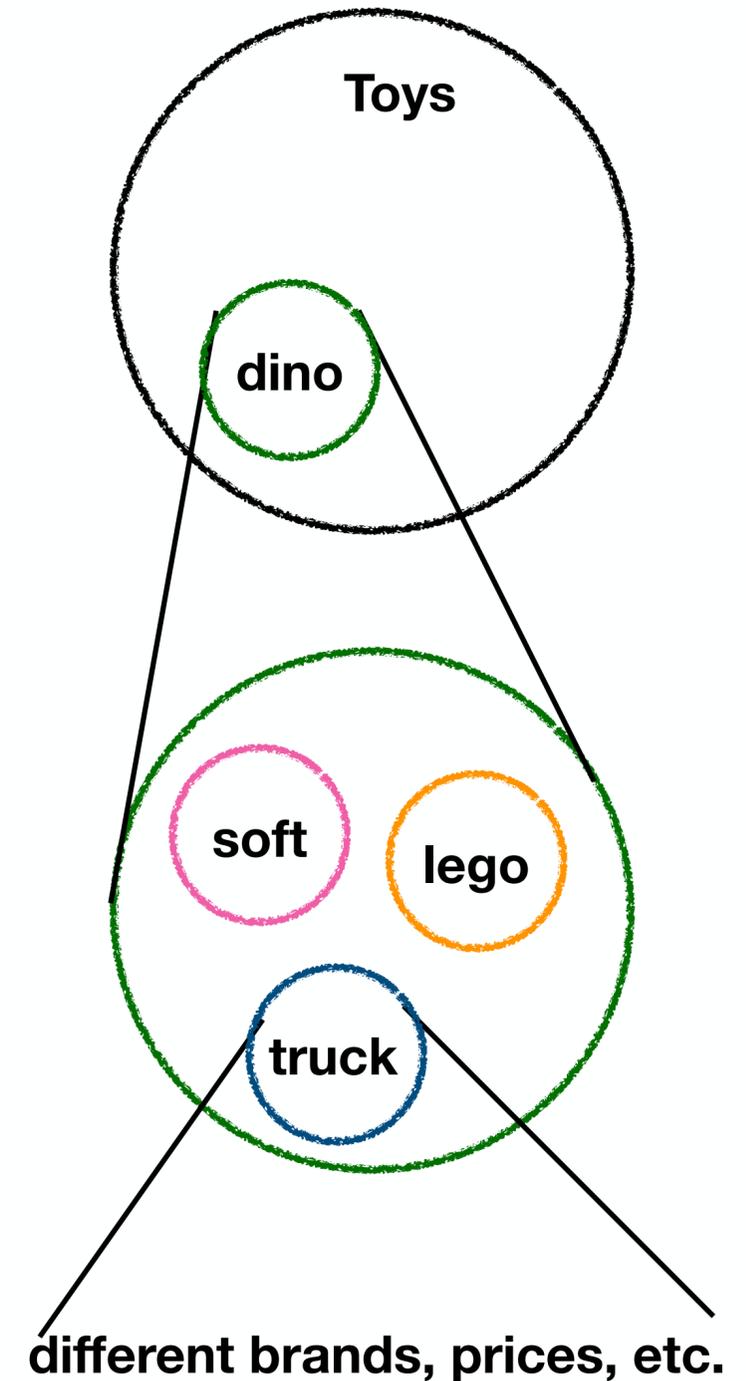


AI chatbots understand natural language

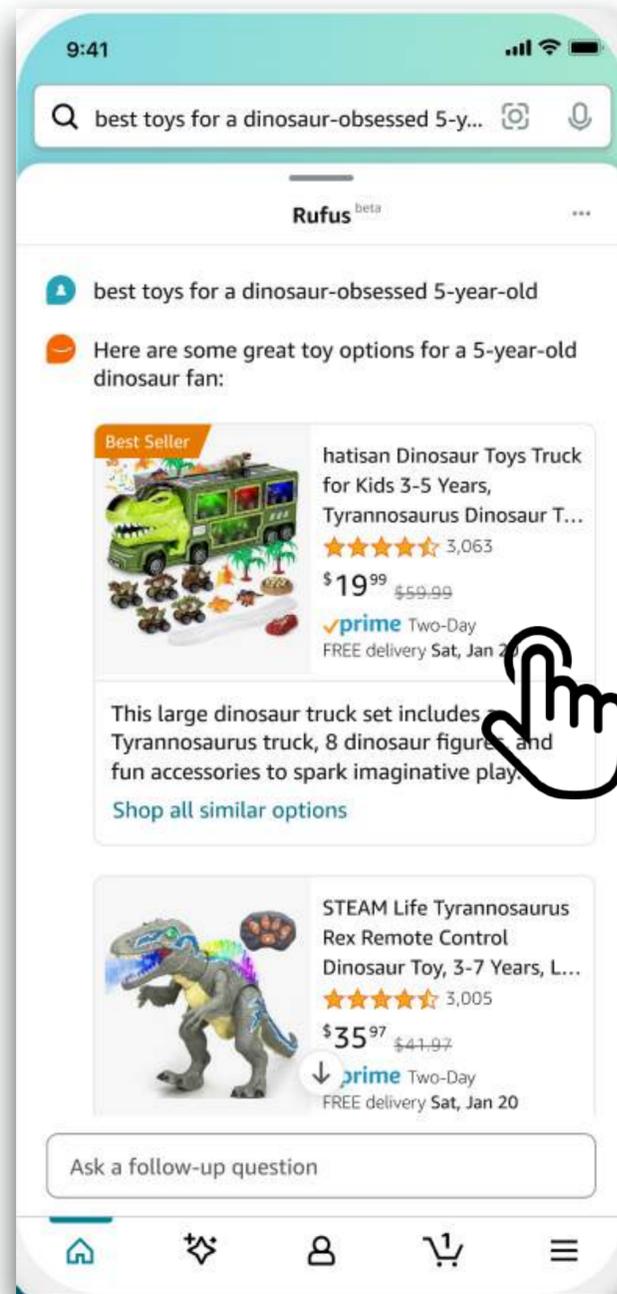
**Users can reveal preferences through choices, not just words**



- ▶ What queries to ask?
- ▶ When to ask choice queries?

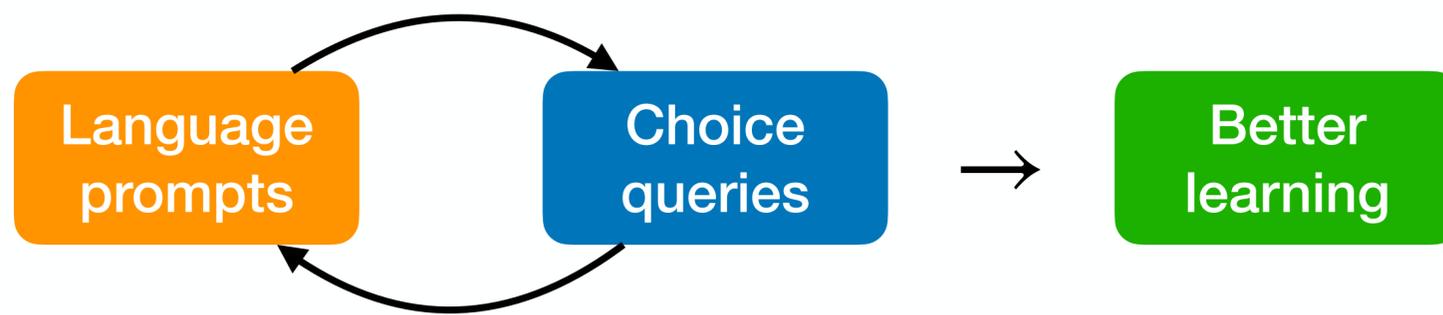


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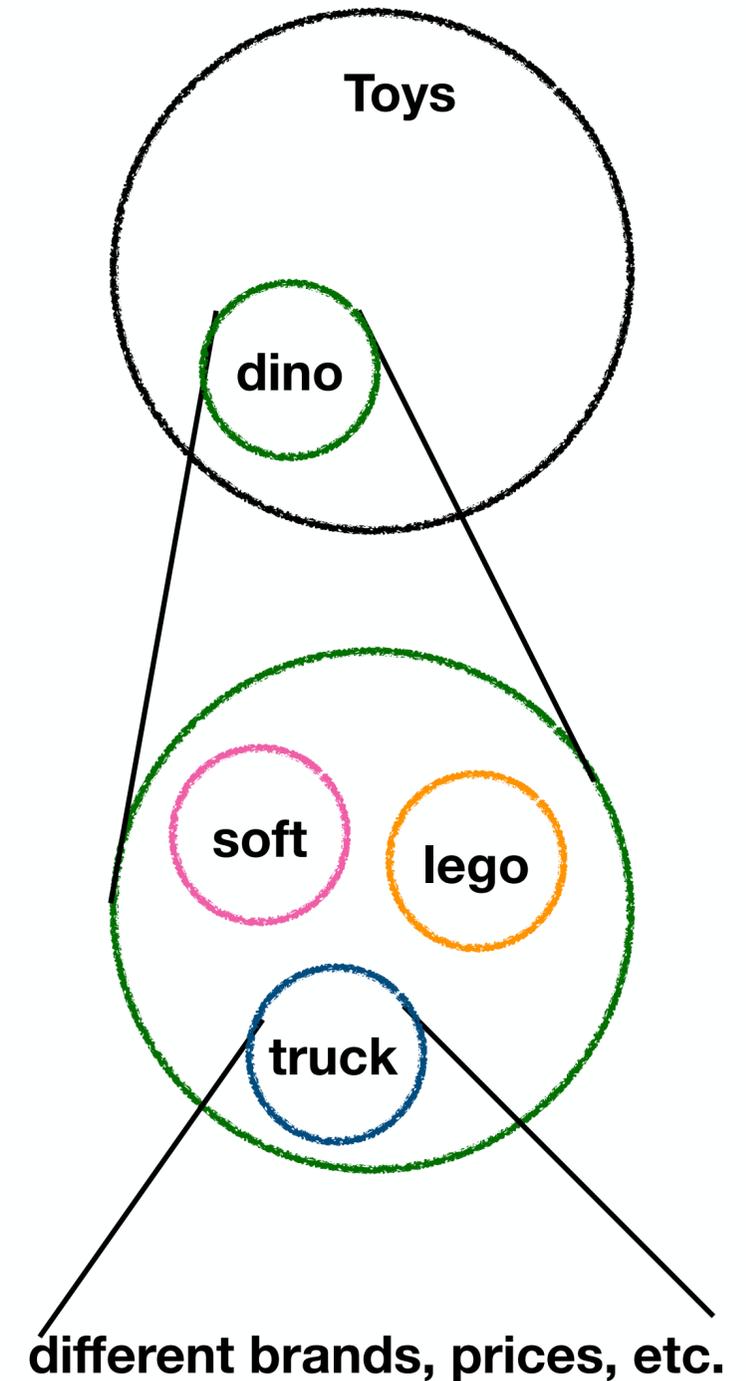
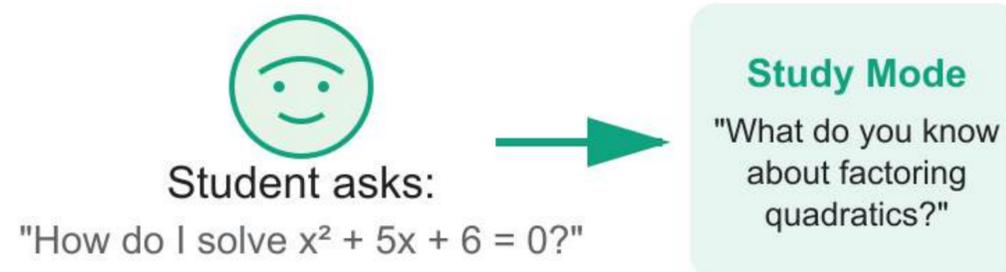


AI chatbots understand natural language

Users can reveal preferences through choices, not just words



- ▶ What queries to ask?
- ▶ When to ask choice queries? **Known!**

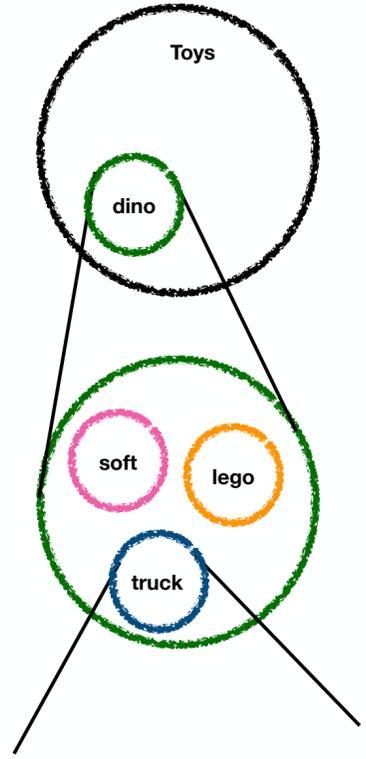


# Long-Term Preference Learning & Growth

  
Student asks:  
"How do I solve  $x^2 + 5x + 6 = 0$ ?"

**Study Mode**  
"What do you know about factoring quadratics?"

Interactive learning of preferences:  
**iterative state estimation**



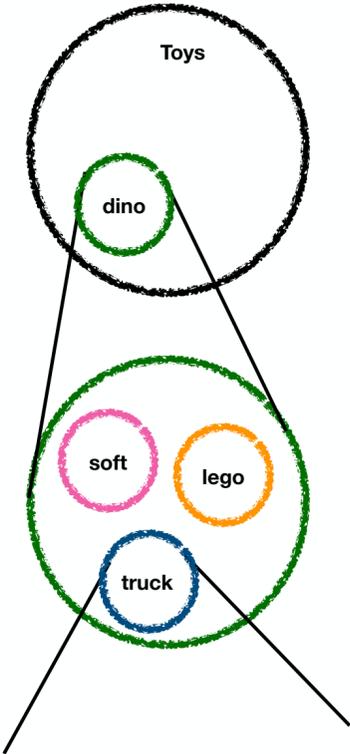
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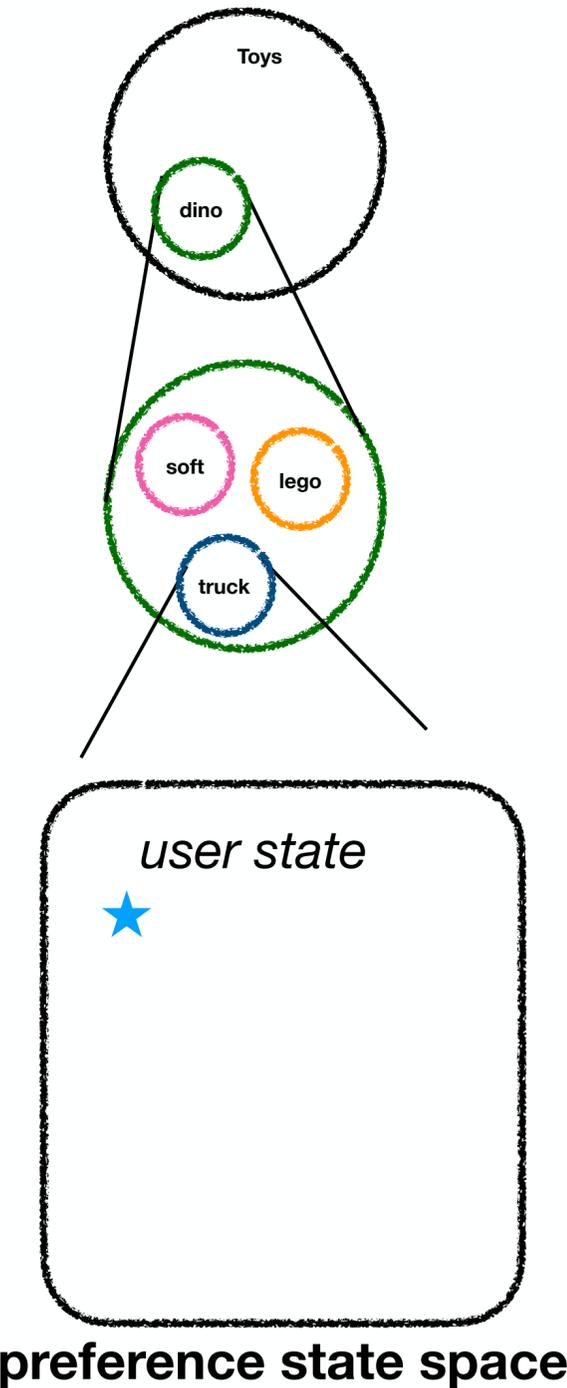
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How can an AI chatbot help a user grow?  
**A control problem**



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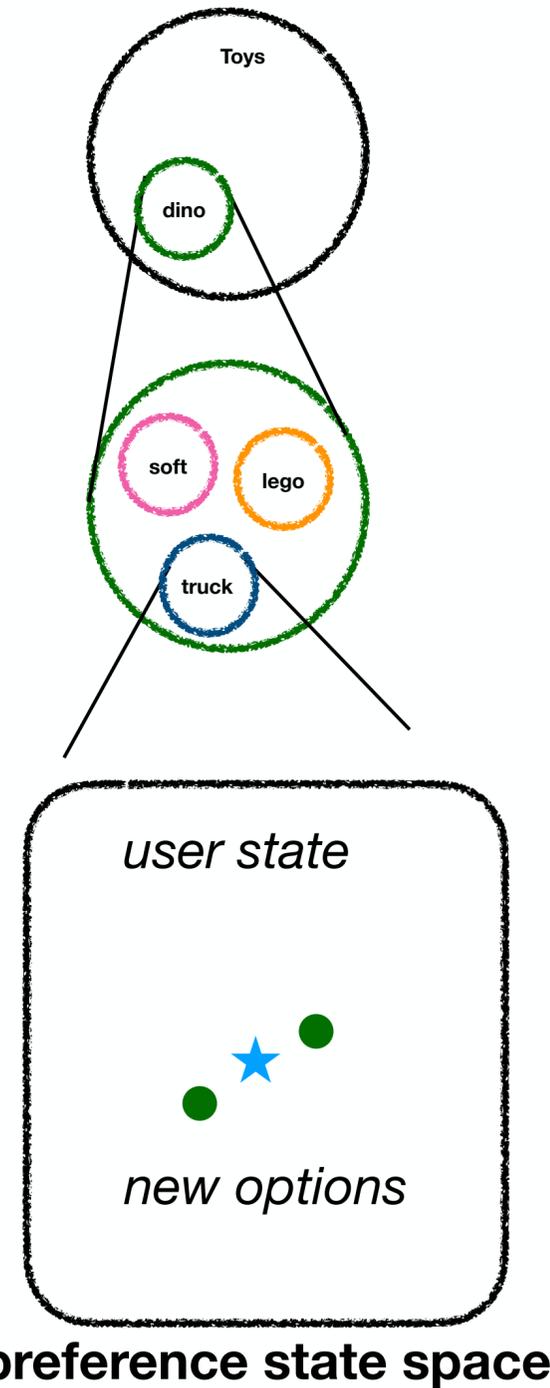
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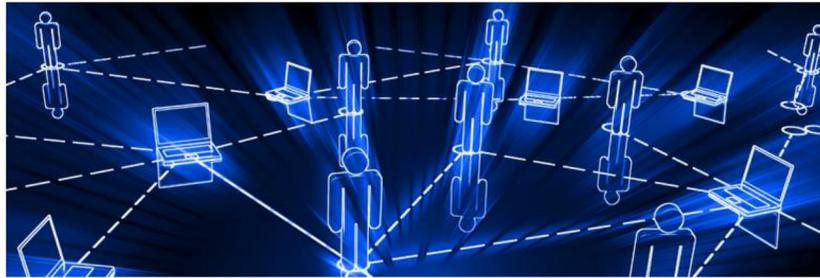
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# Concluding Remarks

## Broad Theme



Theory of human-in-the-loop systems

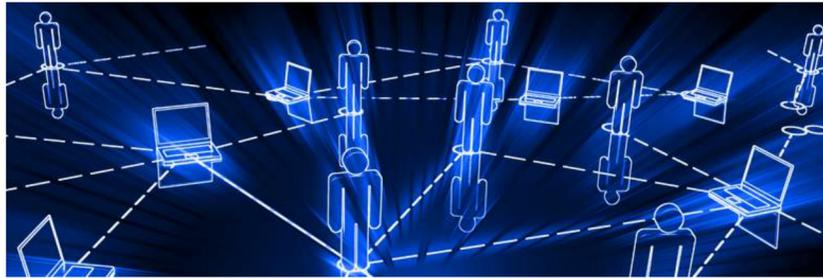
## Current Focus



Recommender systems that learn from comparisons

# Concluding Remarks

## Broad Theme



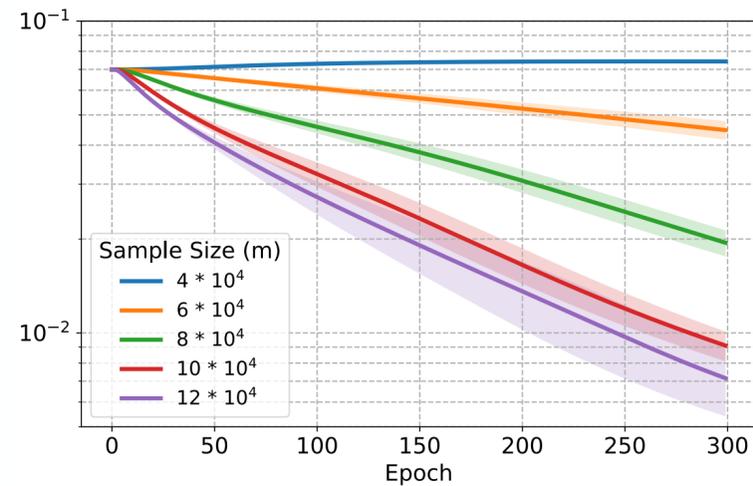
Theory of human-in-the-loop systems

## Current Focus

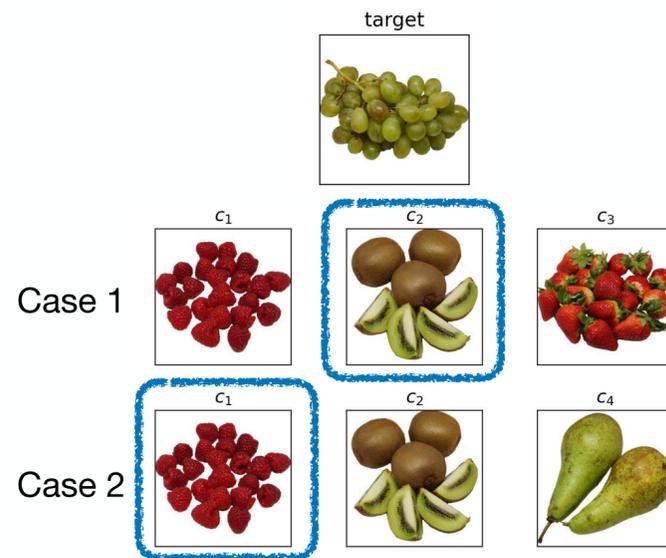


Recommender systems that learn from comparisons

## Theoretical Guarantees

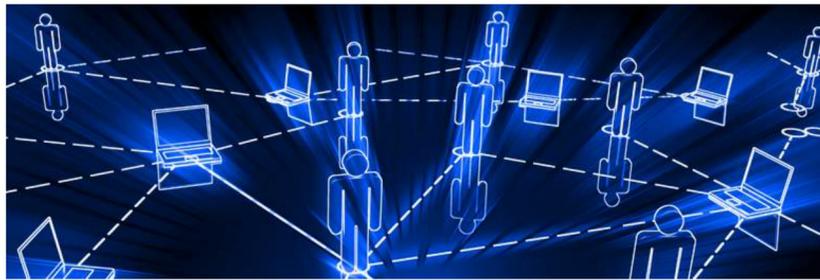


## Empirical Observations



# Concluding Remarks

## Broad Theme



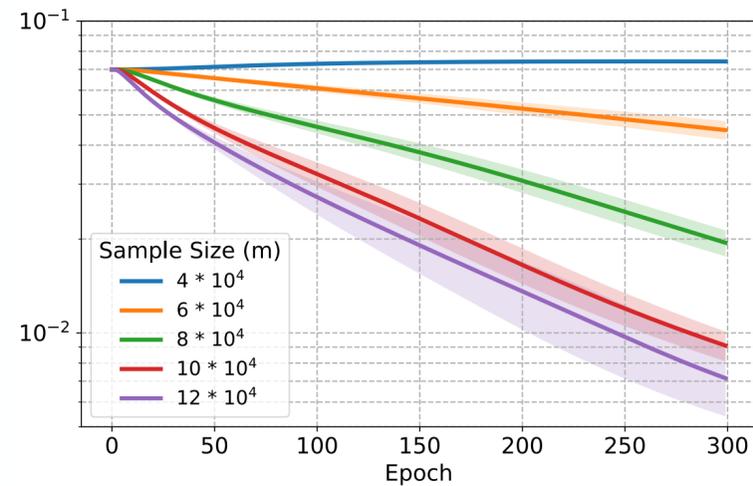
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## Current Focus

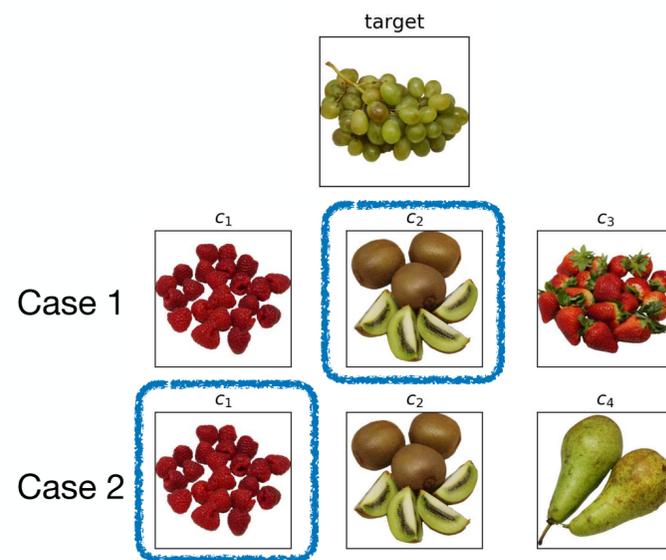


Recommender systems that learn from comparisons

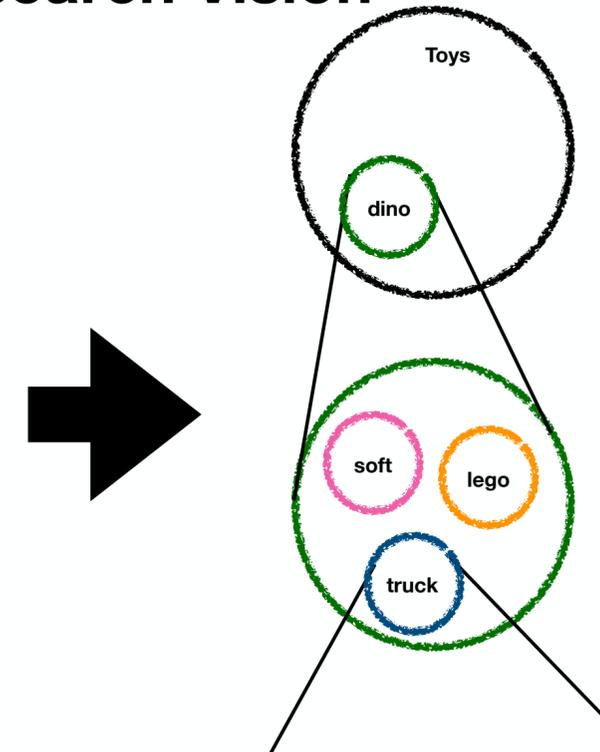
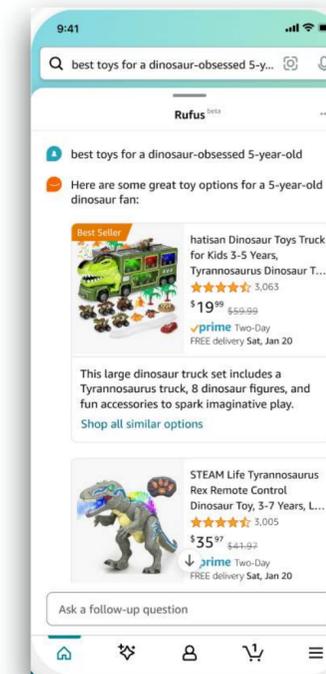
## Theoretical Guarantees



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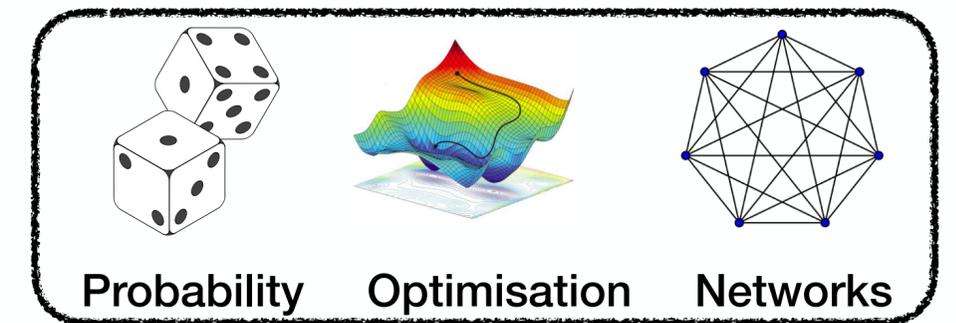


## Research Vision



interactive recommender systems

## Methodology



with industry, AI practitioners

# Thank you!